

Tim Herbertson

## AMSTRAD ASSEMBLY LANGUAGE COURSE

series
AMSTRID
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BOMREP

Tim Herbertson

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## Introduction

This book forms part of the Dr Watson Assembly Language Series. It has been written so as to provide a completely self-paced course in Z80 Assembly Language Programming. Throughout the course, new instructions are illustrated with example programs. Also, numerous exercises have been included to help test the understanding of the concepts involved.

After reading and working thorugh the first couple of chapters the reader might find it helpful to read Appendix 6. This Appendix summarises the use of the assembler, including how to save and load programs on tape.

Whilst working your way through the book don't be afraid to experiment and try out any ideas you have, you will not harm the computer or Assembler in any way.

Well that's the speil finished: you now have ten action-packed chapters, not to mention the appendices, to work through! I hope you enjoy it.
T. Herbertson

LONDON
February 1985
$\square \square C O N T E N T S \square \square \square$

## Introduction

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## Getting Started

Having used a computer before, you are probably well aware that things called 'machine code' and 'assembly language' exist. Quite simply, machine code is the language that the microprocessor chip, a Z80, in your computer understands. As an example, take a simple addition sum - adding one to 83 .

In English you would say:
Add one to eighty three; what's the answer?
In BASIC you might say something like:
10 LET $A=83$
20 LET A=A+1
30 PRINT A
In Z80 machine code you could say:
3E 53
C6 1
CD 5A BB
C9
This is pretty-well unintelligible, isn't it? Well, that's why we use assembly language. The same problem is given below in assembly language along with a brief comment on each line.

LD A, 83 Load the Accumulator 'A' with '83'
ADD A, 1
CALL 47962
RET
Add 1 to the Accumulator Store the contents of $A$ on the screen
Return from the machine-code subroutine

That's much easier to read than the machine code, isn't it? With an assembler you can enter your program in assembly language and be able to read though it and understand it more readily. All the assembler does is to change the assembly language into machine code. Thus, when it sees 'LD $A$ ' it changes this command into machine code ' $3 E^{\prime}$ and puts this into memory in the right place.

The Z80 chip contains various registers, which are in effect internal memory locations, where data can be stored. Most of the Z80's instructions use these registers. One of the most frequently used registers is the accumulator. The accumulator is capable of storing numbers from 0 to 255 . Let's now look at an instruction which allows us to LoaD a value into the accumulator. The instruction for this is:-

| LD A, n | LoaD the Accumulator with the <br> immediate value $n$ |
| :--- | :--- |

You will notice that the letters chosen for the instruction reflect what it accomplishes. Instructions of this form are called 'mnemonics'.

There are many different ways of getting numbers into and out of the accumulator and other parts of the computer; these different ways are known as 'addressing modes'. The method above, which uses an unmodified typed-in number, is known as 'immediate-mode' addressing.

The next instruction in the program is ADD:
$\operatorname{ADD} A, n \quad A D D$ the immediate value $n$ to the Accumulator

This instruction takes the number following the comma, in the example ' 1 ' (on page 1), and adds it to the value currently held in the accumulator (A). The answer is left in the accumulator, deleting the old number, in our case 83.

Looking back at the example, probably the most baffling instruction is

CALL 47962
This tells the computer to store the contents of the accumulator, 84, on the screen - i.e. to display the contents. Whilst true, this is really only half the story.

The computer has many built-in machine-code programs or 'routines' stored in its chips. Without these, it would not be able to understand BASIC, for instance. One of these routines is designed to take a value from the accumulator and display it on a monitor.

To get at these routines in order to use them, CALL is used. Inside the computer, the first instruction in every built-in routine is stored in a specific memory location, these are numbered from 0 to 65535 . The number above, 47962 , is the memory location of the first instruction in the 'print the value in the accumulator on the screen' routine.

Right then! Let's have a go at running a machine-code program!
A couple of points about the assembler: when you start to write a program the assembler should be told where you want the program to be placed in the computer's memory. For the moment the assembler will decide where to store the program. It is told to do this by the ENT command.

Thus the first line of the program will be:
10 ENT
program

Assembly language programs may be run (or called) from BASIC or called from the assembler using the Call program option.

Either way you must tell the computer to return from machine code to BASIC (the assembler program). The command that does this is RET.

RET
RETurn from machine-code subroutine

Right, to make the example into a program, we must:

1. Tell the assembler to decide where to store the program.
2. LoaD immediate value ' 83 ' into the Accumulator, i.e. 'LD A,83'
3. Add 1 to the contents of the accumulator. The mnemonic for this is 'ADD A, 1 '
4. CALL up the built-in machine-code routine to display the new value in the accumulator on the screen, i.e. 'CALL 47962'
5. RETurn from our machine-code p.ogram to BASIC, i.e. 'RET'
6. Tell the assembler (not the $\mathrm{Z80}$ ) that the program has finished, using a '@'.
or
PROGRAM 1.1 (do not type this in just yet)
10 ENT
20 LD A,83
30 ADD A,1
40 CALL 47962
50 RET
Now to enter this:
a) Load the ASSEVBLER program in the computer as follows:
1) Perform a full reset of the computer by holding down the SHIFT, CTRL and ESC keys together, then release them.
2) Fully rewind the tape (Side A).
3) Press CTRL and the small blue ENTER key, then release them.

The following message should now appear on the screen:

RUN"
Press PLAY then any key:
If it does not appear start from step 1 again.
4) Press the PLAY key on the data recorder and then press the space bar.
5) A message will then appear on the screen after a few seconds informing you that the assembler is being loaded.
b) Press CAPS LOCK so you're typing in capital letters, then type 'I' without the quotes, of course, to begin entering a new program. Enter 10 in response to the prompt "Enter start and increment", then press ENTER.
c) A 10 will appear; type in 'ENT' and then press the ENTER key.
d) A new line number will now appear, 20. Type in the next line of the program, 'LD $A, 83$ ' and press the ENTER key as before. Don't leave out the space between the 'LD' and the 'A'. Also, do not insert a space between the comma and the number, or indeed anywhere else.
e) 30 will now appear. Type in 'ADD $A, 1$ ', then the ENTER key. Again, don't leave out the space between ADD and A.
f) On line 40, type in 'CALL 47962' and then press the ENTER key. There should be a space between CALL and 47962.
g) On line 50 , type in 'RET' and then press the ENTER key.
h) Now as we have finished typing in the program, and want to return to the command mode, press @ and then the ENTER key.
i) Now press $M$ to return to the menu, then $L$ to list the program, entering 10 as the starting line number. (Note: you could have selected the List option straight away without returning to the Menu.) The program should now appear as below:-

| 10 | ENT |  |
| :--- | :--- | :--- |
| 20 | LD | A, 83 |
| 30 | ADD A, |  |
| 40 | CALL 47962 |  |
| 50 | RET |  |

If for any reason it doesn't then select the replace mode 'R' and replace the line(s) containing the error(s). When your program appears as above, when listed, press A for assemble. The assembler will now assemble the program into machine code. Select option 2.
j) After the assembler has assembled the program it will return to the '>' prompt. If there were any errors in the program the assembler would have informed you. the replace or insert function would then be used to correct these errors.
k) To see the program run, select the Call program option.

In case you're wondering why the program puts a capital $T$ on the screen and not the answer, 84, have a look at Appendix III in the Amstrad Basic manual showing the 'ASCII character set'. You will see that the code for ' $T$ ' is 84 .

ASCII stands for the American Standard Code for Information Interchange, and every symbol which the computer can put on the screen has its own ASCII code number. Thus when asked to put 84 onto the screen, the routine called using CALL 47962 puts character number 84 onto the screen.

This is true in BASIC as well, even when doing a sum like 'PRINT $83+1$ '. In this case, although the computer puts '84' on the screen, it has had to find out what the characters ' $83+1$ ' mean, do the appropriate sum and convert the answer using the ASCII codes for the characters ' 8 ' and '4'. This is in fact quite complicated to do. The computer has a built-in routine which does this automatically for BASIC.

## Z80 Chip Architecture

The $\mathrm{Z80}$ has various registers other than the accumulator, and a simplified diagram of the arrangement is shown below, in Figure 1.1.


Simplified Z80 Architecture
FIGURE 1.1

The accumulator, or A register, you have already met. It is somewhat special in that there are more $\mathrm{Z80}$ instructions which can operate on it than there are for the other registers.

All of the registers (just memory locations within the Z80 chip) are 'eight-bit registers', that is, they can only store numbers from 0 to 255 . This may not seem terribly useful, but there are ways of using the registers in combination to store much bigger numbers, as will be seen later.

The $H$ and $L$ registers taken together are known as the 'primary data pointer'. Registers $B$ and $C$, and $D$ and $E$ when taken as pairs are called 'secondary data pointers'. The main point about this for now though is that instructions which use $H$ and $L$ are often shorter when assembled into machine code, and therefore run faster.

## Immediate Addressing Of The Registers

Immediate addressing of the accumulator was discussed earlier, where a number was loaded into the accumulator using the instruction

LD A,83
Exactly the same form of instruction can be used to load numbers from 0 to 255 into any of the other registers, e.g.

LD B, 83
would load the number 83 into the $B$ register.
In general,

$$
\begin{array}{ll}
\text { LD } r, n & \text { LoaD register } r \text { with the immediate } \\
\text { value } n
\end{array}
$$

The ' $r$ ' in the above box stands for any register, i.e. any one of A, B, C, D, E, H, or L.

## Register - Register Addressing

Not only can any register be loaded with a number, but any register can be copied into any other register, or into the accumulator. For example, Program 1.2 puts 43 into the L register, copies this into the accumulator, and displays it on the screen an ASCII ' + '.

PROGRAM 1.2

10 ENT
20 LD L, 43
30 LD A,L
40 CALL 47962
50 RET

Immediate-mode load of $L$ with 43. Load A with contents of $L$. Display the contents of the accumulator.
Return to BASIC (the assembler)

Line 30 contains the new instruction:
LD A,L
This copies the contents of register $L$ into the accumulator.
Another example could be:
LD B,E
or
LD C, A
In general,

LD r1, r2
Copy the contents of register r 2 into register r1

Some authors refer to register-register addressing as 'inherent' addressing, and others refer to it as 'implied' addressing. If you refer to other books, beware of their terminology, as this can lead to confusion.

Right then! Let's type in Program 1.2. If you make a mistake typing in any line before pressing the ENTER key, just use the DELETE key to rub out the mistake and type in the correct version. If you notice a mistake on a line after you've pressed the ENTER key, you can replace those lines after pressing @ and before assembling the program.

1. Load and run the assembler program unless it is loaded already, in which case return to the menu with the $M$ command, if necessary.
2. Select ' $I$ ' to begin entering the program, and press CAPS LOCK to set it into capital letters mode.
3. Tell the assembler where in memory the program is to start, i.e. type in 'ENT' and press the ENTER key.
4. Type in 'LD $\mathrm{L}, 43$ ' and press the ENTER key, (press the ENTER key after each entry).
5. Type in 'LD A,L'
6. Type in 'CALL 47962'
7. Type in 'RET'
8. Press @
9. Select ' L ' to list the program: check it!
10. Select ' $A$ ' to assemble the program.
11. Select ' $C$ ' to run the program.

After that, you should be capable of writing some programs on your own. Have a go at the following short exercise. Don't forget to put in the 'RET' instruction, as otherwise the computer will trundle on through its memory after the program itself, looking for instructions to execute. It will almost certainly find something, and that something will cause the system to 'crash'. In other words, there will be no option but to switch off and start again from scratch - including reloading the assembler program.

EXERCISE 1.1
Using immediate mode addressing, load the accumulator with 65, and then display this on the screen. 65 is the ASCII code for capital A. A possible answer is given in the solutions chapter.

## More About CALL 47962

If this call is used several times in succession, several things can be displayed on the screen in consecutive screen locations. Try this program:

## PROGRAM 1.3

```
10 ENT
20 LD A,72
30 CALL 47962
40 LD A,69
50 CALL 47962
60 LD A,76
70 CALL 47962
80 CALL 47962
90 LD A,79
100 CALL 47962
110 RET
```

Load Accumulator with ASCII 'H' Display ' H '
Load Accumulator with 'E' Display 'E'
Load Accumulator with 'L'
Display 'L'
Display 'L' again
Load Accumulator with 'O'
Display 'O'
Return to BASIC

That program should display the word 'HELLO' on the screen, after it has been assembled and run.

## EXERCISE 1.2

Write your name in the top left corner of the screen. An answer for 'FRED' is given in the solutions chapter.

That's the end of this chapter. It wasn't that bad was it? By now you should know or be able to interpret the following:

LD A, n
LD r1,r2
RET
ENT
@
CALL 47962
ADD A,n
immediate mode addressing
register-register addressing.
How about this ( $r$ is any register)?
ADD A.r

## Jumping,Subroutines and Labels

Few real life programs proceed along a smooth uninterrupted path without jumping or branching at some stage. This chapter looks at these jump commands and their uses. After this, the chapter goes on to examine the flags that enable these jumps to be controlled. The chapter then looks at both unconditional and conditional calls to subroutines. Symbolic labels are also introduced. These are a very powerful and useful feature of the assembler and aid program development considerably.

## Unconditional Jumps

These tell the program to jump willy-nilly - no conditions.
The Z80 instruction set contains five such jumps; for the moment we shall only be concerned with two of these. The other three will be introduced later.

The first to be considered is:-

| $J P \mathrm{nn}$ | JumP to the specified address nn |
| :--- | :--- |

For example, JP 200 means jump to memory location 200.
Put into a program JP will look like this:


Using JP in a program
FIGURE 2.1
Such a jump routine doesn't really achieve a lot but it could, for instance, be used to patch a piece of code into a program. In Figure 2.1 for instance, the commands 'ADD A,1,' 'CALL, 47962' and 'JP 30005' have effectively been inserted into the program.

We shall now type this prograin into the computer. Remember to type ENTER at the end of each line, and to select ' $I$ ' to start entering a program, and enter the starting line number as 10.

Note that the first line in the program is not ENT. As the program is jumping to specific memory locations, the exact start of the program needs to be known. The ORG 30000 causes the assembler to store the machine code starting at memory location 30000. See Appendix 6 for more details.

ORG 30000
LD A,83
JP 30006
RET
ADD A, 1
CALL 47962
JP 30005
Now Assemble the program with Option A, select option 2.
The screen display of the program should now look something like this:-

| Memory <br> location | Line <br> number | Object <br> code | Source code |
| :--- | :--- | :--- | :--- |
| 7530 | 10 | OE53 | LD . A, 83 |
| 7530 | 20 | C33675 | JP 30006 |
| 7532 | 30 | C9 | RET |
| 7535 | 40 | C601 | ADD A,1 |
| 7536 | 50 | CD5ABB | CALL 47962 |
| 7538 | 60 | C33575 | JP 30005 |

FIGURE 2.2
The first number in the memory location column doesn't seem to correspond to 30000 , where the program should begin. This is because the memory locations are represented in Hexadecimal. Don't worry about this for now, just remember that 30000 is 7530 in Hexadecimal, 30006 is 7536 and 30005 is 7535.

When jumps are used in this way it is necessary to tell the program where to jump to, i.e. an address, hence JP 30006. Calculating these addresses is quite straightforward as long as it is done systematically, as will be explained below.

Looking at Figure 2.2, the numbers and letters in the second column, the 'object code', are what the assembly language looks like after it has been assembled - i.e. machine code. Each pair of alphanumeric characters (i.e. numbers and/or letters) in this column represents one item from the original assembly language. Thus, '3E' represents 'LD A' and '53' represents '83' (don't worry about why! It's Hexadecimal and will be explained in a later chapter.) For numbers in assembly language bigger than 255, four machine-code alphanumerics are required. Thus ' C 3 ' represents 'JP' and ' 3075 ' represents '30000'. How does this help us calculate addresses to jump to? Well, each pair of digits fills up one memory location - one byte of memory. Thus, as it is known that the first instruction in the program is in memory location 30000 (because of the 'ORG $30000^{\prime}$ ), we can simply count pairs of machine-code alphanumerics.

For instance, to jump to the 'ADD A, 1 ' instruction, we would need to jump to the memory location containing 'C6'. So, starting at 30000, which contains ' 3 E ', we have $53, \mathrm{C} 3,36,75, \mathrm{C} 9$, and then C6. That's 6 memory locations along from 30000, or 30006. Hence the program should jump to 30006. Admittedly, before you've entered the 30006 in the JP instructions, the '3675' won't be there for you to count. However, as you know that the address in machine code is going to be four characters (two bytes), long, this is not a problem provided you write your programs out on paper before typing them in, - which is good practise anyway.

The appendices contain tables detailing how many bytes each instruction requires to help in calculating jump addresses.

Here is a breakdown of the program:

ORG

RET

LD A, 83 Takes up 2 bytes - the first is the object code for LD $A$, and the second is the data.

JP 30006 Takes up 3 bytes - one for its object code, C3, the other two are the memory location to jump to.
Uses no memory, it is there for the assembler's use, and is called an 'assembler directive'.

Only requires one byte for its object code, C9.

ADD A, 1 | Requires 2 bytes. The first, C6, is |
| :--- |
| the object code for 'ADD A', the |
| second is the data. |

CALL 47962 This instruction requires 3 bytes, CD is the object code and 5A and BB the memory location being called.

JP 30005 This is the same as the JP 30006 except that the memory location to jump to is different.

By counting up the number of bytes we can calculate the length of the program: Program 2.1 is 14 bytes long.

Using the JP operator we can jump to any memory location from 0 to 65536. If the memory location to jump to is less than +129 or -126 bytes from the current memory location the Jump Relative can be used instead of the Jump instruction. The advantage of using this alternative instruction is that, as it only requires two bytes to store as opposed to three for the JP instruction, it is quicker.

JR e Jump Relative to address e

For example, if you are at address 30000 , and you want to jump ahead to address 30045 , you would write

JR 30045
You would not say JR 39, the computer will calculate the singlebyte offset automatically. Remember, JR can only be used if you are jumping to an address within +129 or -126 of the memory location containing the 'JR' itself.

## The Program Counter

Before going much further, the way in which a jump instruction accomplishes its task must be examined. Examining Figure 2.2 it can be seen that the program starts at memory location 30000. In the body of the program we require it to jump to memory location 30006 and 30005. How does the computer keep track of where it is? Inside the 780 chip there is a '16 bit' register called the Program Counter (PC). This register contains the address of the current instruction. When a machine code program is run, the program counter is set to the first memory location of the program. After execution of the first instruction, the program counter is updated, so that it points to the next instruction. Thus a jump instruction loads the PC with the address to jump to i.e: it 'points' it to the new instruction. The effect of this is that the program continues execution from instruction contained in the memory location pointed to by the jump address. Other instructions are available to alter the contents of the PC hence altering the programs course and will be introduced when required.

Figure 2.3 illustrates the execution of the previous program.

| Program | PC before <br> execution | PC after <br> execution |
| :--- | :--- | :--- |
| ORG 30000 | $?$ | 30000 |
| LD A, 83 | 30000 | 30002 |
| JP 30006 | 30002 | 30006 |
| ADD A, 1 | 30006 | 30008 |
| CALL 47962 | 30008 | 30011 |
| JP 30005 | 30011 | 30005 <br> RET |

FIGURE 2.3
So far the computer has jumped to another section of code unconditionally. Although useful, it would be more useful if the computer could be made to jump upon a certain condition being met. This can be accomplished with the conditional jump group of instructions.

## Conditional Jumps

Any program that needs to test for conditions needs CONDITIONAL JU MPS. In BASIC, the analogy is the IF.... THEN command.
i.e. $\quad 10$ IF $X=Y$ THEN GOTO 500

This line causes the computer to compare the variables $X$ and $Y$ and if they are the same go to line 500 .

The Z 80 carries out this operation by using a special register, the flag register. The flag register is an eight-bit register like the accumulator and the $B, C, D, E, H$ and $L$ registers, but is used quite differently from these. Whereas the other registers are used to store and manipulate bytes, the flags register is treated as if it contained eight individual bits which are used as signals or flags. The Z80 normally only handles one flag at a time, either setting the bit value to 0 or 1 . It can also test a flag to determine whether it is set (1) or reset (0).

For example one of the flags is the Z flag or Zero flag. Whenever an arithmetic process is carried out that produces a result of zero, the zero flag is set to ' 1 ' - otherwise it will be reset to ' 0 ', indicating that the previous operation did not result in zero.

Several different instructions can set this flag, one of these being:

| DEC $d \quad$ DECrement register $d$ |
| :--- | :--- |

This instruction decrements the contents of ' d ', where ' d ' is one of the following registers:

$$
\mathrm{B}, \mathrm{C}, \mathrm{D}, \mathrm{E}, \mathrm{H}, \mathrm{~L}, \mathrm{~A}
$$

If, after decrementing the specified register, the result is equal to zero, then the zero flag is set, otherwise it is reset.

Note the instruction DEC is formally called an OPERATOR, and d, the OPERAND; thus the OPERATOR operates upon the OPERAND. Some OPERATORS, such as LD A,10 require two OPERANDS, in this case, A and 10 .

Now on with the programming. Program 2.2 will print 10 A's on the screen.

ORG 30000
LD C, 10
LD A,65
CALL 47962
DEC C
JR NZ, 30004
RET
Type this program in and assemble it using option $A$, then option 2. To run the program exit to BASIC with $X$ and type in CALL 30000. You will see ten A's appear upon the screen. To return to the assembler press the decimal point key on the numeric keypad.

Examining the program, the only line which hasn't been met yet is JR NZ. This operator tests the current state of the zero flag and 'Jumps Relative' to 30004 if the last arithmetic instruction results in a non-zero answer. Thus the program puts the contents of the accumulator upon the screen, DECrements register $C$ and tests to see if the zero flag has been set by the DECrement instruction. If it hasn't, i.e. it is Non Zero, then it Jumps Relative to 30004 otherwise it goes on to the next line of the program where it RETurns.

| JR NZ, e | Jump Relative on Non Zero result to <br> address e |
| :--- | :--- |

EXERCISE 2.1
Rewrite Program 2.2 to use the $B$ register in place of the C register.

## EXERCISE 2.2

Why have we used JR NZ,e instead of the alternative JP NZ, e instruction?

Possible answers to both problems are given in the solutions chapter.

Note, as might be expected an instruction to INCrement an operand exists as well:

INC d INCrement operand d

So far the computer has been programmed to jump unconditionally and on the result of an operation being zero. In both cases it is necessary to know which memory location to jump to. While this situation is bearable within short programs, when programs start increasing in size it becomes increasingly difficult to calculate these jump addresses, not to say time consuming. To overcome this situation, labels are used.

## Labcls

The use of labels enables a program to be directed to a named instruction, without the necessity of calculating jump addresses. A fancier term for label is SYMBOLIC LABEL as the label itself is symbolic of a location in memory. For instance, the instruction

> JP LOOP:

Will cause the assembler to replace LOOP with an address, which was previously assigned to LOOP, whenever it occurs.

To tell the assembler that a label is a label it is necessary to follow the label with a colon. Also labels must be less than or equal to six characters in length. Thus, for example if the program should jump to the memory location containing the instruction DEC C, the following program lines would be used.


Further conventions must be observed when using labels. The colon for instance must follow the last character of the label (no space between them). Also, a space must follow the colon. This is simply to allow the assembler to work out where the label ends. Don't worry if you forget any of this, the assembler will pick up any errors and inform you.

To summarise:

## LABELS

1. A label must consist of six or fewer characters.
2. A colon must immediately follow the label.
3. One space must follow the colon.
4. The label must not contain a space.

For example:
LOOP:
TEST:
NXTCHR:
are all valid labels. The following are not:-
LOOP :
BACKONE:
NEXT L:
To illustrate the use of labels we will rewrite Program 2.1 using labels.

Note that as no absolute jumps are being used the ENT directive can be used instead of the ORG directive.

ENT
LD A,83
JP NXT:
END: RET
NXT: ADD A,1
CALL 47962
JP END:
When you list the above program, you will see that it is displayed with the labels out to the left of the main body of the program, like this, making it a lot easier to read:

## ENT

LD A, 83
JP NXT:
END: RET
NXT: ADD A,1
CALL 47962
JP END:
To ease typing in programs they will be displayed in this format throughout the rest of the book. However, you should, of course, type them in in the normal way.

Using the instructions introduced so far it is possible to jump unconditionally or conditionally to anywhere in memory, or using a jump relative command to any location within +129 or -126 of the current position. Labels can also be used to facilitate calculating jump addresses.

All of these commands will now be combined to print the numbers one to nine on the screen. Remember in Chapter 1 we saw that the ASCII for $T$ is 84 ? Well, the numbers one to nine also have a code associated with them. Look at the ASCII table (in the BASIC manual appendices 3) and see if you agree that the code for one is 49 and that for nine is 57.

Now to combine what has been learnt so far to solve the problem, i.e: how to put the contents of the accumulator on the screen, load it, and increment it. Also, how to decrement a register and test for zero. If you have any ideas about how to get the computer to display to numbers 1 to 9 on the screen, close the book now and try, if not, don't worry all will be explained.

The following flow chart represents the solution:-
Problem: Display the numbers 1 to 9 on the screen.


FIGURE 2.4

Translated into a program it looks like this:
PROGRAM 2.4

ENT
LD C, 9

LD A,49
NXT: CAILL 47692
INC A

DEC C JR NZ,NXT:

RET

Set start of program.
Load C with number of characters to print, i.e. nine. Load A with the code for "1".
Print contents of Accumulator on the screen.
Add one to contents of A, thus loading A with code for " 2 ".
Decrement the count register. If DEC C results in anything but zero jump relative to the location addressed by the label NXT. If $\mathrm{C}=0$ then return to the assembler.

Before running it, let's sted through it, each step in one loop of the program.

| Step <br> Number | Accumulator | Register C | Z flag |
| :---: | :---: | :---: | :---: |
| 1 | 49 | 9 | 0 |
| 2 | 50 | 8 | 0 |
| 3 | 51 | 7 | 0 |
| 4 | 52 | 6 | 0 |
| 5 | 53 | 5 | 0 |
| 6 | 54 | 4 | 0 |
| 7 | 55 | 3 | 0 |
| 8 | 56 | 1 | 0 |
| 9 | 57 | 0 | 0 |
| 10 | 58 | 1 |  |

When the $Z$ flag is set (1) the program terminates and returns to the assembler. (Step 10)

Now assemble and run the program.

EXERCISE 2.3
Write a program which will print the alphabet on the screen. (Hint: the code for $A$ is 65.)

A possible answer is given in the solutions chapter.

So far only the zero flag has been used, one of the seven flags available. Here are the rest.

## The Flags

The Carry Flag (C)
This flag is set whenever an addition or subtraction results in a carry (or borrow). It is also used in certain shift and rotate instructions.

## Subtract Flag (N)

This flag is mainly used by the Z 80 rather than by programs for certain arithmetic operations.

Parity/Overflow Flag (P/V)
This flag has two distinct functions, the first to indicate the parity of a result. The 'parity' of the result is obtained by adding up all the ones in its binary representation. If the result is even then the parity but is set, otherwise reset, i.e.=0. The flag is also set when during certain arithmetic operations 'overflow' occurs.

The Half Carry Flag (H)
The half carry flag is used by the Z80 for 'Binary Coded Decimal' instructions. Don't worry about this for the moment.

Zero Flag (Z)
The zero flag is set when an operation results in zero, and as such, is used a lot for compares.

The Sign Flag (S)
This flag indicates the sign of the arithmetic result or of a byte being transferred. It basically tests bit 7 of a byte, and is set if it equals 1 and reset otherwise.

## Subroutines

As the JP instruction was compared with the BASIC statement IF $\mathrm{X}=\mathrm{Y}$ THEN 500, a Z80 instruction similar to the BASIC statement GOSUB 500 exists. This instruction, CALL, has already been used to print the contents of the accumulator on the screen.

| CALL $n n$ | CALL the routine commencing at the <br> memory address $n n \quad(n n ~ c a n ~ b e ~$ |
| :--- | :--- |
| represented by a label). |  |

As in BASIC, a return instruction is required at the end of the subroutine.

| RET | Return from the subroutine last <br> called. |
| :---: | :--- |

Let's see how these instructions can be used in a program.
Problem: Print the ASCII characters 200 to 250 on the screen using a subroutine print the characters.

PROGRAM 2.5

|  | ENT |  |
| :--- | :--- | :--- |
|  | LD A,200 | A $=$ 1st ASCII code |
|  | LD B,50 | $\mathrm{B}=$ count |
| NXT: | CALL PRINT: | Call printing routine |
|  | DEC B | Decrement count |
|  | INC A | Next ASCII code |
|  | JR NZ,NXT: | If $\mathrm{B}=0$ jump to NXT |
|  | RET |  |
| PRINT: | CALL 47962 |  |
|  | RET |  |

Assemble then run it.
To aid understanding the program the print subroutine is assigned a label PRINT. As well as unconditional calls, conditional calls exist, much the same as conditional and unconditional jumps.

CALL ce, nn Call the subroutine starting at memory location nn , if condition cc is met.

The conditions on which the routine is called are exactly the same as those used for conditional jumps. When a CALL instruction is executed the current contents of the program counter are saved. The program counter is then loaded with the call address nn. When the Z 80 has completed the subroutine, i.e. reached a RET instruction the program counter is loaded with the saved value of the program counter.

Problem Print 100 A's on the screen, but for every 10 printed, print a space.

Representing the solution as a flow chart:


Converting this into a program:
PROGRAM 2.6


Try running this program now; $l 0$ and behold a hundred A's appear upon the screen separated every 10 by a space. This form of conditional call is very useful as it considerably eases writing structured programs.

## Summary

The program counter (PC) is a 16-bit register, which contains the memory address of the current instruction from within a program.

The flags register contains 8 bits, which reflect the status of the arithmetic section of the Z 80 .

Labels can be used in jump instructions. A label must be less than seven characters long, terminated by a colon which must be followed immediately by one space.

Two main forms of jumps exist, conditional and unconditional. These two forms can be divided further into absolute jumps, i.e. JP NXT or relative jumps, i.e. JR NXT.

Two forms of CALL exist, conditional and unconditional. Every call instruction must have associated with it a RET instruction.

The following list of instructions should be understood in context, even if you don't quite understand all the flag conditions.

| JP | nn |
| :--- | :--- |
| JP | ce, nn |
| JR | e |
| JR | Z, e |
| JR | NZ, e |

Where:-
$\mathrm{nn} \quad$ is an absolute address or a label.
ce is one of the operands signifying what flag to test for.
e is an absolute address, except that it is limited to -126 to +129 bytes from the current address. A label can also be used.
ce condition
NZ Non-Zero
Z Zero
NC No-Carry
C Carry
PO Parity Odd
PE Parity Even
P Positive
M Negative
Also:-
INC r
DEC $r$
Where $r$ is an 8 -bit register, and any one of the following

$$
\mathrm{B}, \mathrm{C}, \mathrm{D}, \mathrm{E}, \mathrm{H}, \mathrm{~L}, \mathrm{~A} .
$$

The definition of operand and operator is best shown with an example:


## Register pairs and addressing modes

So far we have only been able to load a register with an 8 -bit number. The Z 80 allows certain registers to be combined into pairs, thus allowing 16 -bit numbers to be stored and manipulated.

The following registers may be paired together.
$B$ and $C$
$D$ and $E$
$H$ and $L$

We have already met the instructions that enable us to load 8-bit data into individual registers. The instruction which allows 16bit loading is:


Where dd is any of the following registers: $\mathrm{BC}, \mathrm{DE}, \mathrm{HL}$, or SP . ' nn ' is a 16 -bit number.

Note: The SP register is a special purpose register, called the stack pointer. We will return to it at a later stage.

When loading a register pair in this way we are loading it immediately with the data value given, hence the formal term for this type of addressing, IMMEDIATE MODE.

All the programs so far have stored data in registers. This situation is fine if we don't have very much data to process. In real-life situations though, we will require more data storage than the seven 8 -bit or three 16 -bit registers available.

A need arises for intructions to load memory with data, and to read the contents of a memory location. The Z 80 allows the contents of registers to be stored in memory, and the contents of memory locations to be copied into registers.

This form of addressing is termed DIRECT MODE, because it uses the contents of memory locations and registers directly - i.e. without doing anything with them first.

| LD (nn), dd | LoaD memory location $n n$ with the <br> contents of register pair dd. |
| :--- | :--- |

An example of this instruction is:
LD (200), BC
This will copy the contents of register pair $B C$ into memory location 200. Note that the memory location has to be included in brackets.

The opposite instruction, to copy the contents of a memory location into a register pair is:

LD dd, (nn) Load register pair dd with the contents of memory location nn .

An example of this instruction is:
LD BC,(200)
What will this do? It will load the contents of memory location 200 into $B C$.

Okay, let's now use these instructions.
Up until now characters have been printed on the screen with a CALL instruction. This is not the only built in routine available. The internal memory (ROM) also contains some graphics routines, which amongst other things allow us to draw lines on the screen. For the moment we will not be concerned with how this is accomplished, but with how to use it. When in BASIC to draw a line from the origin to the point 400,200 the following command would be typed in (assuming that the graphics cursor is at 0,0 ).

DRAW 400,200
If you try this, ensure that you reset the graphics cursor to 0,0 with the following command:

PLOT 0,0

By using the graphics routine starting in memory location 48118, we can also plot a line to 400,200 using machine code. In BASIC, the coordinates are typed in following the DRAW statement. When using machine-code routines, the data is passed (X,Y coordinates in this case) in registers. The $D E$ register is loaded with the $X$ cordinate, HL with the Y coordinate.

Let's now summarise the information needed to use this routine:
Start address 48118
Parameters X,Y
$X$ stored in register pair $D E$
Y stored in register pair HL
Right, let's now plot a line to the point 400,200 on the screen.
Here is the program:-
PROGRAM 3.1

## ENT

LD DE, 400
LD (35000), DE
LD HL, 200
LD (35002), HL
LD DE,(35000)
LD HL,(35002)
CALL 48118
RET
Type it in now and run it .....
Examing the program. The first point to notice is that the contents of DE are stored in memory location 35000, but the contents of HL in 35002. Why not store the contents of HL in 35001? The reason is that any one memory location can only store an 8 -bit number and we are storing the contents of a 16 -bit register i.e. 16 bits. What happens is that the 16 -bit number is split into two 8-bit numbers which are then stored concurrently. Thus to store a 16 -bit number requires two memory locations. See Figure 3.1.


Figure 3.1

The 'Least Significant Byte' (LSB) is stored first, followed immediately by the 'Most Significant Byte' (MSB).

## EXERCISE 3.1

Write down the order in which the registers would be stored if the following sub-program was executed.

LD (200), DE
LD (202), HL
See the solutions chapter for the answer.

When paired, the $C, E$ and $L$ registers are classed as the Least Significant Bytes, hence the Most Significant Bytes are registers $B, D$ and $H$.

## EXERCISE 3.2

Write a program to load memory location 35000 with 100 and location 35002 with 400 and then plot a line to these points.

Note the graphics cursor will have to be reset to 0,0 . Either jump into BASIC by selecting $X$ to do this with PLOT 0,0 or for the more adventurous; the Amstrad contains a machinecode routine to plot a point, thus we could incorporate this into the program. This would save using BASIC to reset the graphics cursor.

The format of this call is as follows:-

Calling address 48106.
$D E=X$ coordinate
HL $=Y$ coordinate
(Pretty much the same as the line plotting routine)

So to plot a point at 0,0 we have to load $D E$ with 0 and HL with 0 , then call 48106.

A possible answer is given in the solutions chapter.

EXERCISE 3.3
Write a program which will join the following points together with lines:

| $X$ | $Y$ |
| :---: | :---: |
| 200 | 300 |
| 400 | 200 |
| 0 | 0 |

> N.B. Start with 200,300, remember, you load DE with the $X$ coordinate and HL with the Y coordinate.
> Possible solutions are given in the solutions chapter.

The Z 80 chip also supports various other addressing modes. So far, the immediate mode for both 8 and 16 -bit data, as well as direct mode for 16 -bit data have been used. A nother mode is Indirect.

## Indirect mode addressing

In this mode of addressing, the contents of a register are used to point to a memory location. This mode is very useful, as we can load a 16 -bit register with the starting memory address of our data, read the data, then increment (i.e. add 1 to) the register pair and access the next item of data.

The instruction family is as follows:-

LD r, (HL) LoaDs register $r$ with the contents of memory location pointed to by HL. (This in effect means that we load HL with the memory address).

LD (HL), LoaDs the memory location pointed to by HL with the contents of register $r$.

LD A, (BC) LoaDs the accumulator with the contents of memory location pointed to by BC.

LD A, (DE) LoaDs the accumulator with the contents of memory location pointed to by DE.

LD ( BC ), A LoaDs the memory location pointed to by BC with the contents of accumulator.

LD (DE), LoaDs the memory location pointed to by DE with the contents of the accumulator.

The above table may appear formidable at first, hopefully not, anyway; all will be explained as the instructions are used in examples.

What we will do now, to illustrate the use of some of the above commands, is to store the ASCII representation of three A's in memory, then print them on the screen using the HL register as a 'pointer'.

To simplify loading the three A's into memory we will use $B C$ as a moving pointer. Thus, if the accumulator contains the code for ' $A$ ' (65), then using LD (BC), A and INC BC we can load three A's into consecutive memory locations, starting at the address held in BC , by incrementing $B C$ three times.

Here is a program to do this:-
PROGRAM 3.2 (don't assemble this yet)

ENT
LD BC, 35000
LD A,65
LD (BC), A
INC BC
LD (BC), A
INC BC
LD (BC), A
$\mathrm{BC}=$ start of data in memory $A=65$, the ASCII code for ' $A$ ' store first A increment pointer store second $A$ increment pointer store third A

Now to write the program to read the data, which starts at 35000 , onto the screen.

LD HL, 35000
LD A,(HL)
CALL 47692
INC HL
LD A, (HL)
CALL 47692
INC HL
LD A, (HL)
CALL 47692
RET
$\mathrm{HL}=$ start address
$A=$ contents of memory location addressed by HL
Print contents of $A$ on screen
Increment pointer
Reload A
Print second character
Increment pointer
Reload A
Print third character Return.

Assemble and run this program now. While this program accomplishes its aim, it is not very efficient. Let's now see how we can improve upon it.

Considering the first section:-
We duplicate the following commands three times, to set up the data.

LD (BC), A
INC BC
Why not set up a loop? If we load an unused register, say $E$, with 3 , then everytime we load a memory location, we decrement $E$ and test it to see if this results in a zero. If so, we end the loop, otherwise we jump back to the beginning of the loop. This method accomplishes the same task with greater elegance and efficiency.

Here is the first section of the modified program:-
PROGRAM 3.3 (Don't assemble this yet)

## ENT

LD BC,35000
LD A,65
LD E, 3 load count register
NXT: LD (BC),A
INC BC
DEC E decrement count
JR NZ,NXT: if not zero jump back to NXT
Note the use of the label NXT to simplify the calculation of the jump address.

No great time is saved in typing this program in: imagine though using the previous method to store 200 ' A 's.

The same techniques can be applied to the second section.

EXERCISE 3.4
Add a second section to the program, using a loop to print out the three A's, then assemble and run it.

EXERCISE 3.5
Write a program to store the alphabet in memory, then read it out of memory onto the screen.

See the solutions chapter for possible answers.

Let's briefly recap upon the addressing modes used so far.

| Register -Register | Immediate |
| :--- | :--- |
| LD B,A | LD A,83 or LD BC, 300 |
| Direct | Indirect |
| LD $A,(2000)$ | LD $B,(H L)$ |

You will find a full list of the Z 80 mnemonics in the appendices. Most of the 8 and 16 -bit load groups should be comprehensible by now.

## Indexed addressing

In Program 3.3 we used a register pair to access a sequentially stored block of data. While in certain applications this method is very efficient, the Z 80 offers an alternative. In addition to the registers already introduced the Z80 contains two 16-bit 'index registers', IX and IY. If you look up the word 'memory' in the index of this book, you will probably start by finding the beginning of the M's, then searching for the word 'memory'. In other words you have treated the start of the M's as a base and then started your search from there. This is directly analogous to Indexed Addressing. The IX or IY register is loaded with a base address. Then, to access a piece of information, an offset is added to this base. The general format for the indexed part of an instruction is as shown below:-


Where $d$ is a number in the range -127 to +128 . Here is a sample instruction using the index register IX:
LD A, (IX+3)

What will this do?
Suppose IX contains 200. What value will be loaded into A?


FIGURE 3.2
The accumulator will therefore contain 4 after this instruction. What offset would you have had to use to load A with 3? Answer: (IX+2)

Instead of using the IX register as a base we could have used IY with the instruction:

$$
\text { LD } A,([Y+3)
$$

Now let's review the load instructions which use either IX or IY.

## Indexed addressing lnstructions

There is a shorthand method of describing the operation of an instruction, referred to as its symbolic operation. Here is an example:-

$$
\text { Instruction } \quad \text { Symbolic Operation }
$$

$$
\text { LD r, (IX+d) } \quad r \longleftarrow(I X+d)
$$

This loads register $r$ with the contents of the memory location pointed to by the addition of IX and $d$. The appendices contain a complete table of Z 80 instructions including symbolic oderations.

Here are the indexed loading instructions:

| Instructions | Symbolic Operation |
| :---: | :---: |
| LD $\mathrm{r},(\mathrm{IX}+\mathrm{d})$ | $r \longleftarrow(I X+d)$ |
| LD r, (IY+d) | $r \longleftarrow(I Y+d)$ |
| LD ( IX + d), r | $(I X+d) \leftarrow r$ |
| LD ( IY + d), r | $(I Y+d) \leftarrow r$ |
| LD (IX+d), n | $(I X+d) \leftarrow-n$ |
| LD ( $\mathrm{I}+\mathrm{+d}$ ), n | $(\mathrm{IX}+\mathrm{d}) \leftarrow \mathrm{n}$ |

Now let's see how we can load the IX or IY registers themselves. Look up the 16 -bit load group table, and see if you can identify what instructions to use.

Here they are; the format should appear familiar:-

| Instruction | Symbolic Operation |
| :--- | :--- |
| LD IX, nn | IX $\longleftarrow \mathrm{nn}$ |
| LD IY, nn | IY $\longleftarrow \mathrm{nn}$ |
| LD IX, (nn) | IX $\longleftarrow(n n)$ |
| LD IY,(nn) | IY (nn) |
| LD (nn),IX | $(n n) \longleftarrow$ IX |
| LD (nn),IY | $(n n) \longleftarrow$ IY |

One point to note: it is not possible to compute the value of ' d ', it has to be given absolutely - i.e. as an immediate value.

To illustrate the use of index registers, Program 3.2 has been rewritten.

Note: From now on the ENT instruction will be omitted from all programs: it will be assumed that you will automatically insert it as the first line.

Here is the program:-

## PROGRAM 3.4

LD IX, $35000 \quad$ IX=base
LD A,65
LD (IX+0),A first 'A' stored
LD (IX+1), A second ' $A$ ' stored
LD (IX+2), A third ' $A$ ' stored
The second section, which prints out the contents of memory on the screen, is as follows:-

LD A, (IX+0)
CALL 47692 print first character
LD A, (IX+1)
CALL 47692 print second character
LD A, (IX+2)
CALL 47692
RET

Now try it.
Because the Z 80 has to add the offset to the base for indexed instructions, it requires more time to execute than an indirect or immediate instruction. Also, because ' d ' has to be given as an absolute value, indexed addressing is not much good in a loop, as ' d ' cannot be incremented. However, the main advantage of IX and IY lies in their ability to access data, which is, stored in memory relative to some known memory location - i.e. for accessing tables of data, where various items of information are stored using known offsets.

EXERCISE 3.6
Write a program using IX to store five letters, e.g. a name. Then print the third and fourth letters on the screen.

The following table may help.

| Memory <br> location | Letter | Code <br> for letter |
| :---: | :---: | :---: |
| 35000 | S | 83 |
| 35001 | U | 85 |
| 35002 | S | 83 |
| 35003 | A | 65 |
| 35004 | N | 78 |

A possible solution is given in the solutions chapter.

Well done! The end of another chapter; all that is left now is a summary of what you have learnt during this chapter. If you feel up to it, try writing your own programs. How about printing a character, erasing it by printing a space over it, then printing it in another location. This could be the basis of a game!

## Summary

The following terms should now be understood:-

1. Register Pairs
2. Addressing Modes
a. Register-Register
b. Immediate
c. Direct
d. Indirect
e. Indexed
3. M.S.B. and L.S.B.
4. Symbolic Operation
5. Although not specifically mentioned, the following commands will probably make sense (ss is a register pair).

INC ss
DEC ss
6. You should now be able to understand these three instructions which were mentioned briefly in Chapter 2.

DEC (HL)
DEC (IX+d)
DEC (IY+d)
Where ss is any one of the following (ignore SP for now)
BC,DE,HL,SP
d is a number in the range -126 to +129 .

## Arithmetic operations

Most real life situations require the manipulation of numbers. So far, we can only increment and decrement the contents of registers or memory locations. The $\mathrm{Z80}$ provides us with some additional arithmetic instructions which although not extensive form the basics for more powerful operations.

This chapter explains these instructions. If you are not familar with the binary or hexadecimal representation of numbers turn to the Appendix 5 and work through it.

Welcome back.
The concepts of binary and hex (hexadecimal) should now be familar. You will see why we use hex soon; it saves typing for one thing!

We can classify the arithmetic instructions into two groups, the 8 and 16 bit. In this chapter we shall be concerned mainly with the 8 -bit group, as the 16 -bit group naturally follows on.

The most common arithmetic process is adding two numbers. To add two 8-bit numbers the following instruction is used:

$$
\begin{aligned}
& \text { ADD A, } \mathrm{ADD} \mathrm{n} \text { to the contents of the } \\
& \text { Accumulator, replacing the contents } \\
& \text { of the accumulator with the result. }
\end{aligned}
$$

To illustrate this command we will add 65 and 20 giving 85 . When the result is printed on the screen we will see a $U$. (The character corresponding to the ASCII value of 85 ).

Try the following program.

## PROGRAM 4.1

ENT
LD A,65
Load A with 65
ADD A, 20
ADD 20 to $A$
CALL 47962
Print the result on the screen RET

Lo and behold a $U$ appears on the screen.
The assembler also allows numbers to be represented in hexadecimal. To allow the assembler to distinguish between them, hexadecimal numbers are preceeded by a ' $\&$ '.

Rewriting Program 4.1 using the hexadecimal representation for 47962, 65 and 20:

PROGRAM 4.2
ENT
LD A, \& 41
ADD A,\& 14
CALL \& BB5A
RET
Verify that this program is exactly the same as Program 4.1 by running it.

EXERCISE 4.1
Write a program which will add 200 and 48 together then print the result on the screen.

EXERCISE 4.2
Write a program that will add \& 41 and $\& 10$ together. Then print the result on the screen. What will be printed?

Possible answers are given in the solutions chapter.

So far all our answers have been less than 255 , the maximum number an 8 bit register can hold. What do you think will happen if 150 and 171 are added together? Try the following program. Don't forget ENT.

LD A, $150 \quad$ Load 4 with 150
ADD A, 171 ADD 171 to A
CALL 47962 Print the result on the screen
RET
What has happened is that the accumulator has overflowed. It reached 255 then when 1 more was added it went back to zero and started again, reaching 65; hence the $A$ on the screen.

What cannot be seen from the program is the contents of the flags register. If observable, it would be seen that as the accumulator overflowed the carry bit was set (1). This fact can be used to add together two numbers whose sum is greater than 255. This process will be illustrated on paper first, then a program will be written to accomplish the same task in assembly language.

Problem: Add 1157 to itself. i.e: $1157+1157=$ ?

Convert 1157 to Hex.

$$
1157 \div 4096=0 \text { remainder } 1157
$$

$1157+256=4$ remainder 133
$133 \div 16=8$ remainder 5
$5 \div 1=5$ remainder 0
Thus $1157=\$ 0485$.
$\& 0485$ expressed in binary is a 16 -bit number. This therefore needs to be split in half to allow the use of 8-bit arithmetic instructions. This is easily accomplished in hex. (Which is why it is used!)


Note the terms MSB and LSB, meaning Least and Most Significant Byte, respectively.

## Step 2

To add the two \&0485's together we must first add the LSB's then add the MSB's, taking into account any carry generated by the addition of the ISB's.

Thus the result is $\& 0 \mathrm{~A}+$ a carry.

## Step 3

Add the MSB's taking the carry bit into account.

$$
\begin{array}{r}
04 \\
+\quad \underline{04} \\
\hline \underline{08}
\end{array}
$$

Now add the carry bit:

$$
\begin{array}{r}
01 \\
+\quad 08 \\
\hline
\end{array}
$$

## Step 4

Recombine the new LSB and VSB.

$$
1157+1157=\& 090 \Delta
$$

Now satisfy yourself that \&090A equals 2314.
The main point to note is that in all DOUBLE PRECISION work, i.e. using 16 -bit numbers, the LSB is always operated upon first, so that the carry (if any) can be taken into account.

Before we can write the program to accomplish this addition we have to be aware of some new instructions:-

[^0]Only one effect of this operation need to be observed at the moment, which is resetting the carry flag to zero. Why is this necessary? Ans: if the carry flag was unintentionally set the result after the addition would be incorrect due to the inclusion of the incorrect carry in the addition.

An instruction which adds two registers plus the contents of the carry flag is now required.

```
ADC A,s
```

ADd the contents of register $s$ plus the Carry flag to the contents of the Accumulator. The result is stored in the accumulator.

Note that the ADC instruction uses a register as one of its operands. An instruction similar to ADD A,n exists using a register in place of the immediate data $n$.

```
ADD A,s
ADD the contents of register \(s\) to the contents of the Accumulator. The result is stored in the accumulator.
```

Now on to the program.
PROGRAV 4.4 (don't assemble this yet)

| LD C, \& 85 | Load C with the 1st LSB. |
| :---: | :---: |
| LD A, \& 85 | Load A with the 2nd LSB. |
| AND A | Clear the carry flag. |
| ADD A,C | $A=L S B+L S B$. |
| LD ( \& 7000), A | Save new LSB. |
| LD C, \& 04 | Load C with the 1st MSB. |
| LD A, \& 04 | Load A with the 2nd viSB. |
| ADC A,C | $\mathrm{A}=\mathrm{MSB}+\mathrm{MSB}+$ carry. |
| LD ( \& 7001), A | Save new MSB. |

Well this program adds the two numbers together. But how can the result be checked? What is now needed is a program to display the answer in a recognizable format. Why can't the contents of the two memory locations be printed on the screen? Nothing recognizable would happen, as the ASCII codes $\& 09$ and $\& 0 \mathrm{~A}$ do not represent characters but control codes. An offset has to be added to both answers to bring them into the ASCII alphabet range (65-122).

As the code for $A$ is 65, this seems a reasonable offset to use. Thus adding the following lines to the previous program from where we left off:

PROGRAM 4.4(a)
LD C,65
LD A,(\&7001)
4DD A,C
CALL \& BB5A
LD A, (\&7000)
ADD A,C
CALL \&BB5A
RET
Now assemble and run the whole program. You will see a $J$ and $K$ on the screen (corresponding to $\& 09+65$ and $\& 04+65$ ).

EXERCISE 4.3
Write a program to add together 250 and 600 , in hexadecimal, adding 65 to the V , SB and LSB. Then print the result on the screen.

## Subtraction

| SUB s | SUBtracts the contents of register s <br> from the accumulator. The result is <br> stored in the accumulator. |
| :---: | :---: |
| SBC A,s | SUBtracts the contents of register s <br> plus the Carry Flag from the <br> Accumulator. The result is stored in <br> the accumulator. |

The process of subtracting two 8 -bit numbers is left for Exercise 4.4. Try it!

## EXERCISE 4.4

Write a program that will subtract 9 from 233. Then print the result on the screen. Note that there is know need to add the offset of 65 to the result. Why?

EXERCISE 4.5
Write a program that will calculate the answer to the following sum:-
$(97+126)-153=?$
Possible answers are given in the solutions chapter.

As seen previously, when adding two numbers that give a result greater than 255, overflow occurs. This overflow causes the carry flag to be set.

The opposite situation occurs when trying to subtract a large number from a smaller one. For example, try the following:-

$$
\begin{array}{r}
25 \\
-\quad \frac{17}{?} \\
\hline
\end{array}
$$

It is not possible to directly subtract 7 from 5 so a unit is borrowed from the next column. The first step in the subtraction now becomes:

$$
\begin{array}{lr}
5+\text { borrow }= & 15 \\
-\frac{7}{?} & -\frac{7}{8}
\end{array} \text { Ans } 1=8
$$

As we have borrowed we have to 'pay back' i.e: subtract one from the next column.

Completing the subtraction.

$$
\begin{array}{ll}
2 \text { - borrow }= & 1 \\
-\frac{1}{?} & -\frac{1}{\underline{0}} \quad \text { Ans } 2=0
\end{array}
$$

Combining the two answers (Ans1 and Ans2)

$$
0+8=8
$$

Thus:-

$$
27-17=8
$$

By using the same process we can perform this subtraction using the Z 80 subtract instructions.

## Problem: Subtract 2000 from 2224.

## Step 1

Convert the two numbers to Hex.

| $2000 \div 4096=0$ | remainder 2000 |
| :---: | :---: |
| $2000 \div 256=7$ | remainder 208 |
| $208 \div 16=\mathrm{D}$ | remainder 0 |
| $0 \div 1=0$ |  |
| $2224 \div 4096=0$ | remainder 2224 |
| $2224 \div 256=8$ | remainder 176 |
| $176 \div 16=B$ | remainder 0 |
| $0 \div 1=0$ |  |
| $2000=* 07 \mathrm{D} 0$ |  |
| $2224=808 \mathrm{B0}$ |  |

## Step 2

Subtract the two LSB's


## Step 3

Now the MSB's
08
08
$-\frac{07}{? ?}$
$-\underline{\underline{07}}+$ borrow $=-08$

Combining the two results:

$$
2224-2000=\& 00 \mathrm{E} 0
$$

When carrying out this form of subtraction the carry flag acts as a borrow flag, being set when a borrow occurs. Let's now convert this subtraction into Z80 instructions.

## PROGRAM 4.5

LD C,\&D0
LD A,\&B0
AND A
SUB C
LD (\&7000), A
LD C,\&07
LD A, \& 08
SBC A,C
LD (\&7001), A
LD A,(\&7000)
CALL \&BB5A RET

C= 1st LSB
$A=2$ nd LSB
Clear carry flag
$A=$ new LSB
Save LSB
$\mathrm{C}=1 \mathrm{st}$ MSB
$A=2 n d M S B$
$\mathrm{A}=\mathrm{A}-\mathrm{C}$-carry
Save VSB
Recall LSB
Print result

Points to note: firstly, as the MSB of the answer is known to be zero there is no need to print it. Secondly, there is no need to add any offset to the answer as it is within the printable range of ASCII characters (65-255).

EXERCISE 4.6
Write a program to perform a 16 bit subtraction using the following instruction (ss is a register pair - i.e. BC or DE in this case).

SBC HL,ss
eg. $4248-4008=$ ?
(Hint: it is a lot easier than Program 4.5.)
Answer in the solutions chapter.

## EXERCISE 4.7

Store two numbers in memory, then add the contents of the accumulator to both. Replace the old values with the new calculated results.

The following tables may help.

| Memory <br> location | Contents |
| :--- | :---: |
| 35000 | 10 |
| 35001 | 20 |

Accumulator $=65$
After program has been run

| Memory <br> location | Contents |
| :--- | :---: |
| 35000 | 75 |
| 35001 | 85 |

Use the instruction ADD A,(HL). Verify that the results are as expected by printing the contents of the memory location on the screen.

Answer in the solutions chapter.

## EXERCISE 4.8

Draw a line to the point 100,50 on the screen using the line drawing routine. Then add 75 to each coordinate and draw another line, to this point.

The line drawing routine is fully documentated in the appropriate appendix, but briefly:-

Calling Address 48118
Parameters $\mathrm{X}, \mathrm{Y}$
$X$ passed in DE
Y passed in HL
A possible answer is given in the solutions chapter.

Well that concludes the basics of addition and subtraction. Although not* explicitly mentioned, the following instructions should be self explanatory.

| Instruction | Symbolic Operation |
| :--- | :--- |
| ADD HL, ss | $\mathrm{HL}-\mathrm{HL}+\mathrm{ss}$ |
| ADC HL,ss | $\mathrm{HL} \mathrm{HL}+\mathrm{ss}+$ carry |
| SBC HL, ss | $\mathrm{HL} \mathrm{HL}-\mathrm{ss}-$ carry |
| ADD IX,pp | $\mathrm{IX} \mathrm{IX}+\mathrm{pp}$ |
| ADD IY,rr | $\mathrm{IY} \mathrm{IY}+\mathrm{rr}$ |

Where ss is any one of $\mathrm{BC}, \mathrm{DE}, \mathrm{HL}$ or SP
pp is any one of $\mathrm{BC}, \mathrm{DE}, \mathrm{IX}$ or SP
rr is any one of $\mathrm{BC}, \mathrm{DE}, \mathrm{IY}$ or SP
You should be able to understand what each instruction accomplishes from the symbolic operation. It is possible to add or subtract 32 -bit numbers using the above instructions and the carry flag, using the same method by which 16 -bit arithmetic was carried out using 8 -bit instructions.

## The carry flag Instructions

Before any arithmetic operations, the carry flag has to be reset. This process has been accomplished using the AND A instruction. The carry flag can also be reset by using the two following instructions:

| SCF | Set the Carry Flag |
| :--- | :--- |
| CCF | Complement the Carry Flag |

To reset the carry flag with these instructions, firstly the carry flag is set using the SCF instruction, then it is complemented by using the CCF instruction. When a binary number is complemented, a zero is replaced by a one; likewise a one is replaced by a zero. The carry flag when set will equal one, so, after complementing it, it will equal zero. The reason AND A was used is that it requires half the time required by SCF and CCF .

## Summary

The basics of 8 and 16 -bit addition and subtraction, should now be understood, including the use of the carry flag.

# $\square \square C|A| P \mid T R D 5 \square \square$ 

## Binary Coded Decimal and Logical Operators

In addition to numbers being represented in binary, hex and decimal notation, another representation exits. This is given the rather grand name of Binary Coded Decimal. Whereas in binary one number $(0-255)$ is normally stored per byte, in $B C D$ the byte is split into two. The name given for each 4-bit half-byte is a nybble!

For example, 7564 stored in $B C D$ requires 2 bytes ( 4 digits to encode at 2 digits per byte).

Byte 1

| 0 | 1 | 1 | 1 | 0 | 1 | 0 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | 1

Byte 2


Note that byte 1 is not necessarily stored in memory first. Its location depends upon the storage format used in the program.

It may have crossed your mind that 4 bits are used to storn each number ( $0-9$ ) when 3 bits could uniquely store them. The reason 4 bits are used is that $B C D$ has been around much longer than micros. It was first used on mainframes where it was more efficient to store BCD digits in 4 bits. $B C D$ is used a lot in accountancy programs as well as being very useful for passing information to certain forms of display devices (e.g. the 7-segment displays seen in calculators and digital watches).

Let's now see how two BCD numbers are added together.

| Decimal | BCD |
| :---: | ---: |
| 8 | 1000 |
| +2 | $\underline{0010}$ |
| 10 | $\underline{1010}$ |

This is fine but 1010 is 10 in decimal and therefore too large to be stored in one BCD nybble which can only store numbers 0 to 9. Some form of adjustment is required for answers bigger than nine. By adding 6 to any result greater than 9 the correct result is obtained:

Thus:


Giving the correct representation of 10 in $\mathrm{BCD} ; 00010000$.
It would soon get very annoying if every time we performed some BCD arithmetic we had to check the validity of the result and correct it if necessary. Fortunately the Z80 contains a instruction to do this for us:

DAA Decimal Adjust the Accumulator

Now on with the programming.
Program 5.1 adds 8 and 2 together to produce the answer in BCD.
PROGRAM 5.1
LD A, 8
ADD A, 2
DAA
ADD A, 65
CALL 47962
RET
Note the use of the offset (65) to bring the result into the alphabet range.

The result, before the offset is added, will be the BCD representation of $10(00010000)$. In decimal this binary value corresponds to 16 . Thus the character with the ASCII code $16+65$ will be printed on the screen(Q).

## EXERCISE 5.1

Add 7 and 12 together in $B C D$ then print the answer as a letter on the screen.

## EXERCISE 5.2

Subtract $\& 12$ from $\& 35$ then convert the answer to $B C D$ and print the answer as a letter on the screen.

Possible answers are given in the solutions chapter.

In some situations it is necessary to extract the least significant nybble from a byte. This is accomplished by removing the most significant nybble. This can be done with the instruction

| AND $s$ |
| :---: |
| Logical AND of operand $s$ |

Where $s$ is any of $A, B, C, D, E, H, L,(H L),(I X+d),(I Y+d)$.
Anyone who has come into contact with digital electronics will recognise the following symbol. It is the symbolic representation of an AND gate.


## AND Gate

FIGURE 5.1

The AND gate functions as follows; if and only if both inputs A and $B$ are set (1) then the output $C$ will be set. Describing the operation of an AND gate is fairly easy, but as the logic of gates becomes more complex it becomes increasingly difficult to describe clearly. The answer to this problem is to use a truth table. A truth table enables a logic gate's output to be easily and quickly derived from a given set of inputs.

For example here is the AND gate's truth table.

| I NPUTS |  | OUTPUT |
| :---: | :---: | :---: |
| A | $B$ | $C$ |
| 0 | 0 | 0 |
| 0 | 1 | 0 |
| 1 | 0 | 0 |
| 1 | 1 | 1 |

Truth Table for Logical AND
FIGURE 5.2

Notice $C$ is set only when both A AND B are, hence the name AND.

EXERCISE 5.3
Using Figure 5.2 decide whether $C$ would be set or not for the following inputs
$1 \mathrm{~A}=0 \quad \mathrm{~B}=1$
$2 A=1 \quad B=1$
$3 A=0 \quad B=0$

When the Z 80 chip performs an AND instruction it operates upon 8 bits at a time. Take a look at this:

Problem: What is the result of ANDing 10101101 with 00001111 ?

Solution:
10101101
AND 00001111
$\overline{00001101}$

What has happened?
The most significant nybble has been 'masked off', i.e. all the bits comprising the MSN have been set to zero whilst those in LSN have been left untouched.

This process is very powerful in that it allows us to extract any portion of a byte using a suitable mask. e.g. To mask off the LSN of 10111011 we would AND it with 11110000 .

AND | 1010 | 1101 |
| ---: | :--- |
|  | 1111 |
|  | 0000 |
| 1101 | 0000 |

Generally any bit position that is required to remain intact is ANDed with one, the rest with zeros. For example, if the result of ANDing an eight-bit number with 00000011 is 2 , then we know that the number, whatever it is, is divisible by 2.

EXERCISE 5.4
What mask would have to be used to result in 00000011 from 10101011?

EXERCISE 5.5
What is the result of ANDing 253 with 75 ?
The answers are given in the solutions chapter.

Now to write a program using the AND instruction. Program 5.2 logically ANDs 225 with 254 and then prints the result on the screen.

PROGRAM 5.2
LD C, 225
LD A, 254
AND C
CALL 47962
RET
This will produce a 'face' on the screen, the Amstrad's ASCII symbol for 224.

AND is not the only logical operator that the $\mathrm{Z80}$ supports. Let's now investigate the OR gate. The standard symbol for an OR gate is


OR Gate
FIGURE 5.3
The output $C$ is set (1), if either $A$ or $B$ is set (1) or both $A$ and $B$ are set. This is expressed in the following truth table.

| INPUTS |  | OUTPUT |
| :---: | :---: | :---: |
| A | $B$ | $C$ |
| 0 | 0 | 0 |
| 0 | 1 | 1 |
| 1 | 0 | 1 |
| 1 | 1 | 1 |

Truth Table for Logical OR
FIGURE 5.4
The Z80 OR instruction is:-

| OR $s$ |
| :---: |

Where $s$ is any of $A, B, C, D, E, H, L,(H L),(I X+d),(I Y+d)$.

## EXERCISE 5.6

What is the result of the following logical operations?

1. 1001 OR 1101 (binary numbers)
2. 250 OR 25
3. (209 OR 20) AND 27

Answers are given in the solutions chapter.

It may seem strange that an OR gate produces an output when both inputs are set (1); indeed this can be a problem in certain cases. Thus the 'exclusive OR' gate is used, overcoming this problem. The symbol used to represent an XOR (eXclusive OR) is:-


XOR Gate
FIGURE 5.5

| INPUTS |  | OUTPUTS |
| :---: | :---: | :---: |
| $A$ | $B$ | C |
| 0 | 0 | 0 |
| 0 | 1 | 1 |
| 1 | 0 | 1 |
| 1 | 1 | 0 |

XOR Truth Table
FIGURE 5.6
The corresponding $\mathrm{Z80}$ instruction is:

XOR s
eXclusive $O R$ of operand $s$

Where $s$ is any of $A, B, C, D, E, H, L,(H L),(I X+d),(I Y+d)$.

EXERCISE 5.7
What is the result of the following logical operations? Try them on paper first and then verify your answers by writing a program.

1. 1011 XOR 1110100
2. 77 XOR 200
3. (25 OR 255) AND 200

Answers are given in the solutions chapter.

## Signed numbers

So far all the numbers dealt with have been positive. In many situations a need arises for negative numbers.

How can negative numbers be represented in binary? The method used allows the Z80 to treat negative numbers in much the same way as it treats positive numbers. This method is given the rather grand name "two's complement". Before investigating two's complement, however, it is necessary to understand the concept of one's complement!

## One's complement

When using one's complement notation all positive integers are represented in binary as usual. However, negative numbers are represented by replacing all the 1 's in a byte with 0 's, and replacing all the 0's with 1 's.

For example:

$$
+9=1001
$$

Now replace all the 1 's by 0 's and all the 0 's by 1 's, i.e: 1 's complement +9:

1001 1's complement $=0110$
Thus in 1 's complement notation $-9=0110$
But 0110 also represents +6 ; this is in fact one of the problems of 1 's complement notation.

EXERCISE 5.8
Convert the following numbers to their 1's complement form.

1. 1011
2. 1011101
3. 14

Answers are given in the solutions chapter.

## Two's complement

As in 1 's complement positive integers are represented normally in binary. Negative numbers are first 1 's complemented then one is added to the result. It may seem like a strange way of representing negative numbers at first, but it works. Let's now try adding 7 and -5 using 2 's complement for -5 .

| $5=$ | 0101 |
| :--- | ---: |
| 1's complement |  |
| Add 1 | 1010 |
|  |  |
|  | $\underline{0001}$ |
|  | $\underline{1011}=-5$ |

Now:-

| 7 | 0111 |
| :--- | :--- |
| $+(-5)$ | 1011 |
| $\overrightarrow{2}$ | $\underline{0010}+$ carry |

Ignoring the carry bit, the answer is correct. The fact that the carry bit can be disregarded, with the result remaining correct, considerably aids writing simple arithmetic programs dealing with negative numbers.

## EXERCISE 5.9

Calculate the answer to each of the following problems using the 2 's complement representation for negative numbers.

1. $-3+10=$ ?
2. $-1+7=$ ?
3. $-10+8=$ ?

The answers are given in the solutions chapter.

Using 4 bits, the decimal numbers represented by 2 's complement notation are as below:

| Decimal | Binary |
| :--- | :--- |
| +7 | 0111 |
| +6 | 0110 |
| +5 | 0101 |
| +4 | 0100 |
| +3 | 0011 |
| +2 | 0010 |
| +1 | 0001 |
| 0 | 0000 |
| -1 | 1111 |
| -2 | 1110 |
| -3 | 1101 |
| -4 | 1100 |
| -5 | 1011 |
| -6 | 1010 |
| -7 | 1001 |
| -8 | 1000 |

The 16 unique combinations of 1 's and 0 's which result from 4 bits no longer represent the integers $0-15$ but the integers +7 to -8 . Similary when using 8 bits the valid range of numbers is to +127 to -128. This can lead to problems when adding together two numbers that result in a number greater than +127 .
e.g:

| 100 | 01100100 |
| ---: | ---: |
| 79 | 01001111 |
| $\overline{179}$ | $\overline{10101011}$ |

In 2's complement 10101011 represents -85 ; this is clearly the wrong answer. Overflow is said to have occurred. This is detected by the P/V (Parity/oVerflow) flag and it is up to the programmer how to act on this information. One blunt solution is to declare the result invalid. Overflow will generally occur under the following conditions.

When:-

1. Adding together two large positive or negative numbers.
2. Subtracting a large positive number from a large negative number or subtracting a large negative number from a large positive number.

The Z80 contains instructions which convert the contents of the accumulator into either 1 's or 2 's complement, as follows:

| NEG | NEGates the contents of the <br> accumulator (exactly the same as 2's <br> complement) |
| :--- | :--- |
| CPL | ComPLements the contents of the <br> accumulator (1's complement). |

Program 5.3 below calculates the answer to the sum $-112+104$.
PROGRAM 5.3

| LD A, 112 | $A=112$ |
| :--- | :--- |
| NEG | $A=-112$ |
| ADD A,104 | $A=-112+104$ |
| CALL \&BB5A |  |
| RET |  |

When run this program will print a little man on the screen, the Amstrad's character for ASCII code 248 . The binary representation of 248 is 11111000 which using the 2 's complement notation represents -8 . The important point to notice here is that the $\mathrm{Z80}$ cannot distinguish between 248 and -8 . 2 's complement is a concept the programmer uses to represent negative numbers, not the $\mathrm{Z80}$, and as such, care is needed when using it to ensure the expected result is obtained.

EXERCISE 5.10
Use the CPI and INC instruction instead of NEG to calculate the result of the following sum
$-20+98=?$
A possible answer is given in the solutions chapter.

That's 'yer lot' for another chapter; now to summarise.

## Summary

The following ideas and concepts should now be familar.

1. BCD Arithmetic
2. Logical Operators
3. AND
4. OR
5. XOR
6. Logical Masks
7. Signed Numbers
8. 1's Complement
9. 2's Complement
10. Overflows

The following instructions should also be recognised.
DAA AND s
CPL OR s

NEG XOR s

Multiplication, Division and the Rotate Group
Almost all real life computer applications require the manipulation of numbers. Whilst some only require basic adding and subtracting, many require multiplication and division. This chapter looks at how these arithmetic functions can be implemented in assembly language.

## Binary Multiplication

Before we embark upon Binary Multiplication, let's examine the decimal multiplication process. Take the sum $13 \times 14$. We define 13 as the MULTIPLICAND and 14 as the MULTIPLIER and lay out the multiplication as below:-

$$
\begin{aligned}
13 & \text { Multiplicand } \\
14 & \text { Multiplier } \\
\hline \frac{52}{130} & \\
\hline 182 & \text { Answer }
\end{aligned}
$$

The multiplication is performed by multipling the multiplicand by the rightmost digit of the multiplier and storing this result as the first "partial product". i.e. $13 \times 4=52$. Next we multiply the multiplicand by the next digit of the multiplier, resulting in the second partial product. i.e. $1 \times 13=13$. This partial product is written down shifted one bit position to the left. The two partial products are now added together resulting in 182, the correct answer.

It is quite possible to use the same method when performing binary multiplication.

For example, to multiply $5 \times 7$ in binary:-

$$
\begin{aligned}
& 5=0101 \text { (working only to } 4 \text { bits) } \\
& 7=0111
\end{aligned}
$$

$$
\begin{array}{rlllll} 
& 0 & 1 & 1 & 1 & =(7) \\
\mathbf{x} & 0 & 1 & 0 & 1 & =(5)
\end{array}
$$

Partial Product 1
Partial Product 2
Partial Product 3
Partial Product 4

0111
Adding as we go!
0111
0111
100011
100011

Ans 100011
$100011=(1 \times 32)+(0 \times 16)+(0 \times 8)+(0 \times 4)+(1 \times 2)+(1 \times 1)=35$
With 1 as the rightmost digit of the multiplier, the partial product has the same pattern of digits as the multiplicand i.e: 0111. Otherwise the partial product is zero, i.e. 0000. Every new partial product is written down shifted one bit position to the left. Thus binary multiplication reduces to successive additions and shif ts.

## 8-Bit Multiplication

In order to perform a multiplication using the Z 80 we will use the accumulator to hold the 'running total', register $C$ for the multiplicand and register $E$ for the multiplier. Let's now see how the partial products are formed.


The problem of binary multiplication can be expressed in a flowchart as follows:


FIGURE 6.1

All that is required before starting to write the program are the instructions that enable us to shift bits within bytes.

| SRL $s$ | Logical Shift Right of operand $s$ |
| :---: | :--- |

Represented diagramatically:


Operand byte Carry flag

For example, consider shifting 10110111 right with the instruction SRL.


Bit 7 has been replaced with a 0 , bits 1 to 6 shifted right one position and bit 0 moved into the carry flag.

Now onto the program:
PROGRAM 6.1

|  | LD A, 0 | Zero Accumulator |
| :---: | :---: | :---: |
|  | LD C, 7 | $\mathrm{C}=$ Multiplicand |
|  | LD E, 5 | $\mathrm{E}=$ Multiplier |
|  | LD B, 4 | $\mathrm{B}=$ Count (for 4bits) |
| ADD : | SRL C | Shift C right |
|  | JR NC, NOADD: | If rightmost bit $=0$ then jump to NOADD |
|  | ADD A,E | Add IPP to running total in accumulator |
| NOADD: | SLA E | Shift IPP left |
|  | DEC B | Decrement counter |
|  | JR NZ, ADD: | Jump back to ADD if there are still some more bits to multiply |
|  | ADD A,65 | Add offset |
|  | CALL \& BB5A | Print character on screen |
|  | RET | Return |

An offset of 65 is used resulting in the character with an ASCII code of 100 being printed on the screen, i.e. a lower case $d$ (The answer to $7 \times 5$ was $35,35+65=100$ )

## EXERCISE 6.1

Write a program to multiply $10 x 9$. Then print the result directly on the screen.

A possible answer is given in the solutions chapter.

Program 6.1 can only multiply together two numbers which result in a sum less than 255. The main reason for this limiting factor is that as the invisible partial product is shifted left it will eventually shift completely out of the register. A smiliar problem occured when we were dealing with 16 bit addition and subtraction. The problem was overcome by reloading the high order register with the carry bit when overflow occured. What is now required is an instruction which after a shift instruction on the ISB will shift the MSB including any generated carry. This is accomplished with the following instruction:

## RL s Rotate Left operand s including the carry bit

Represented diagramatically:
Carry Operand
bit


The carry flag is loaded into bit 0 , bits $1-8$ are shifted left one position and the carry flag loaded with bit 7.

To shift a 16 bit register two instructions are thus required. The LSB is shifted normally using the SLA instruction then the MSB is shifted using the RL. For example suppose we wanted to shift left the contents of DE. The following instructions would accomplish this.

```
SLA E
```

RL D

Now to incorporate this new instruction into a program.
Problem Print the result of the following sum on the screen: $7 \times 10=$ ?

## PROGRAM 6.2

| LD C, 7 | C = Multiplicand |
| :--- | :--- |
| LD E, 10 | E = Multiplier |
| LD D,0 | Zero register D |
| LD B,8 | B = Number of bits |
| LD HL, 0 | Zero HL, it will be used to keep the |
|  | running total |
| SRL C | Shift multiplicand right |
| JR NC, NOADD: | If carry=0 jump to NOADD |
| ADD HL,DE | Add IPP to running total |
| SLA E | Shift LSB left |
| RL D | Reload carry and shift D left |
| DEC B | Decrement counter |
| JR NZ,NXTB: | Jump back if any more bits left |
| LD A,L | Load A with answer |
| CALL \&BB5A | Print answer on screen ('F'). |

Note that although we used a 16 bit register for the result due to the careful selection of the multiplier and multiplicand only the LSB contains a value, allowing us to print it on the screen.

```
EXERCISE 6.2
Using Program 6.2 calculate the answer to the sum \(146 \times 124\). Note that this results in a 16 bit answer, thus both \(H\) and \(L\) will have to be printed on the screen.
A possible answer is given in the solutions chapter.
```

Program 6.2 used register $B$ as a counter. Everytime the multiplier was shifted left, $B$ was decremented then tested. This operation requires two instructions DEC and JR NZ. These two instructions, can however be replaced by just one, making the program more efficient and elegant.

DJNZ e Decrement $B$ and if this results in a Non-Zero answer Jump to memory address e.

EXERCISE 6.3
Replace the DEC B and JR NZ, NXTB with a DJNZ NXTB instruction in Program 6.2, or your answer to Exercise 6.2

An answer is given in the solutions chapter.

Binary division is also possible using a very similar method to that used for multiplication.

## Binary Division

Consider the following division:

$$
1 1 \longdiv { 7 8 5 }
$$

Firstly we try to divide 7 by 10 ; as 10 does not go into 7 the next step is to bring down the 8 and try to divide 78 by 10 . This divides seven times with a remainder of 8 .

$$
1 9 \longdiv { 7 8 5 }
$$

As 10 'doesn't go into' 8, the next step is to bring down the 5 and try to divide 85 by 10 . This divides 8 times remainder 5.

$$
\begin{array}{r}
79 \\
1 0 \longdiv { 7 8 5 }
\end{array} \text { remainder } 5
$$

Thus the result is 78 remainder 5. This form of division is termed 'integer division' as fractions are not considered.

As with multiplication the various numbers in a division sum have names; for example 'remainder' is already familar. The others are as follows:


Now to consider a 16 bit by 8 bit division.
Problem Print the result of the following division on the screen in a recognisable format.
$2765 \quad 75=$ ?

Binary division is carried out as follows. If without borrowing, the 8 bit divisor can be subtracted from the MSB of the 16 bit dividend, then the relevant bit in the 8 bit answer is set. This process is repeated eight times resulting in an 8 bit quotient and an 8 bit remainder.

PROGRAV 6.3
LD HL, $2765 \quad \mathrm{HL}=$ Dividend
LD C,75
C = Divisor
LD B, 8
NXT: ADD HL, HL
B = Count
LD A,H
SUB C
JR C,NXTB:
LD H,A
INC L
NXTB: DEC B
JR NZ,NXT:
LD A,L
CALL \&BB5A
LD A, H
CALL \& BB5A
RET
Shift dividend left
$A=$ MSB of dividend
Subtract divisor
If carry jump to NXT
Reload dividends MSB
Increment answer
Decrement counter
If non-zero jump to NXT
$A=$ answer (quotient)
Print answer
A = Remainder
Print remainder

Run the program. It will print ' $\$ A^{\prime}$ ' on the screen, where the 'ASCII code for '\$' corresponds to the answer and ' $A$ ' the remainder. Check that these are correct. One point to note as the 780 doesn't contain a 16 bit left shift instruction, $A D D$ HL,HL was used. In binary, adding a number to itself is the same as shifting it left one bit position, or multiplying by two. If you compare this with the base 10 case, say, shifting left 19 will give 190 - the same as multipling by 10 . What do you think will be the effect of shifting a binary number right one bit position? (Answer: it's the same as dividing the number by 2 ).

So far only a few of the Z80's shift instructions have been used in general purpose multiplication and division routines. It is sometimes easier and quicker to use a small group of shift or rotate instructions to perform a a specific arithmetic operation. By using a rotate as opposed to a shift instruction the register contents are altered, but no information is lost - i.e. no bits dissapear off the end without trace. Here is an instruction which rotates the contents of the accumulator left:

| RLCA | Rotate the contents of the Accumulator |
| :--- | :--- |
| Left and load a copy of bit 7 into the |  |
| Carry flag. |  |

Representing RLCA diagramatically:


Notice that bit 7 is not lost but inserted into bit 0 . An instruction to rotate the contents of the accumulator right also exists:

RRCA Rotate the content of the Accumulator Right and load a copy of bit 0 into the Carry flag.

Let's now use these two instructions.
Problem Multiply 10 by 16 , print the result on the screen, divide the result by 2 and print the new result on the screen.

PROGRAM 6.5


## EXERCISE 6.4

Write a program to calculate and print the results of the following sums in the screen using the rotate and add instructions.

1. $5 \times 32=(160)$
2. $254-2=(127)$

Possible answers are given in the solutions chapter.

The $\mathrm{Z80}$ supports more rotate and shift instructions than have been used, these are detailed in the appendices under The Z80 instruction set'.

Now let's have a look at a set of instructions that allow individual bits within a byte to be set, reset or tested.

## The Bit Set, Reset and Test Group

Consider the following instruction:

BIT b,r $\begin{aligned} & \text { Tests the bit at position } b \text { in the } \\ & \text { operand } r \text {. }\end{aligned}$

This instruction is used whenever a a particular bit in a byte needs to be tested e.g: in input/output operations.

To illustrate the use of this command, a register will be zeroed. increment until bit 7 is set, the resultant register contents will then be printed on the screen.

|  | LD A,0 | A=0 |
| :--- | :--- | :--- |
| NXT: | INC A | Increment A |
| BIT 7,A | Test bit 7 of accumulator |  |
| JR Z,NXT: | Is bit 7 set? |  |
|  | CALL \&BB5A | Print contents of A on the |
|  | screen |  |
|  |  |  |

This program loads $A$ with zero and repetedly increments it until, eventually, bit 7 is set.Run it; no great effect is noticed as bit 7 being set corresponds to 128 in decimal, the ASCII for a space. Try inserting either a INC A or DEC A instruction just before the CALL \&BB5A instruction to print something visible on the screen.

Two further bit instructions exist: one to set and the other to reset an individiual bit within a byte.

SET b, r SETs the bit at position $b$ in the nperand $r$.

RES b, r RESets the bit at position b in the operand $r$.

To illustrate these instructions, consider the ASCII code for ' $C^{\prime}$ ', in binary 01000011. If bit 0 is reset, the effect is the same as subtracting one, resulting in the ASCII representation of ' $B$ '.

## PROGRAM 6.7

| LD A, 67 | A=ASCII for ${ }^{\prime} C^{\prime}$ |
| :--- | :--- |
| CALL \&BB5A | Print 'C' |
| RES 0,A | Reset bit 0 |
| CALL \&BB5A | Print 'B' |
| SET 0,A | Set bit 0 |
| CALL \&BB5A | Print 'C' |
| RET |  |

## EXERCISE 6.5

Write a program that loads the accumulator with 255, prints the contents on the screen, resets bit 4 , prints the result on the screen, sets bit 4 resets bit 3 and then prints the final result on the screen.

A possible answer is given in the solutions chapter.

Well that concludes another chapter, by now you should have a fair idea as to how to write a fairly complex program. Now to summarise:

## Summary

The following ideas and instruction groups should now be reasonably familiar:

1. Binary multiplication and division
2. The shift and rotate group.
3. The bit set, reset and test Group.

# $\square$ <br> CH|A <br> P <br> T <br> E <br> R <br> 7 <br>  

## The Stack

The stack is a b.ook of memory located from \&C000 downwards. It is used for the rapid transfer of data, and is filled downwards from $\& C 000$, the next vacant location being recorded by a register called the Stack Pointer', or SP. The usual analogy is with a stack of plates, only the top one being accessible as this was the last one put there. However, the stack is filled DOWNWARDS, i.e. from \&C000 towards zero, so plates are put in and retrieved from the bottom, antipodean fashion! This mode of filling and emptying the stack is known as 'last in, first out' or LIFO, so the stack is a LIFO store.

One function of the stack is to record addresses during subroutine calls, which the $\mathrm{Z80}$ does automatically. When the $\mathrm{Z80}$ sees an instruction such as CALL \&BBBA, it must first of all record where the next instruction in the calling routine (main program) is, so that it can find it again after the subroutine has been executed. It then places the 'BBBA' into the PC (program counter).

Suppose the Z 80 is about to execute the following instruction:

## CALL \& BBBA

The Z 80 does the following things:

1. Increment PC
2. Fetch command byte ('CALL')
3. Increment PC
4. Fetch first byte of operand ( \& BA)
5. Increment PC
6. Fetch second byte of operand ( $\& B B$ )
7. Store MSB of PC on stack
8. $\quad \mathrm{SP}=\mathrm{SP}-1$
9. Store LSB of PC on stack
10. $\mathrm{SP}=\mathrm{SP}-1$
11. Put \&BBBA into the PC
12. Execute subroutine, up to RET
13. Increment PC
14. Fetch command byte ('RET')
15. Load LSB of PC from stack
16. $\mathrm{SP}=\mathrm{SP}+1$
17. Load VSB of PC from stack
18. $\mathrm{SP}=\mathrm{SP}+1$
19. Increment PC
20. Continue with main program

In this example, the subroutine could well have met further subroutines or 'nested' subroutines, and each time a CALL was executed the return address would have been piled onto the stack. Then as the program RETurned successfully through these subroutines, the return addresses would have been stripped off successively to steer the Z 80 back to the original point of departure. The area of memory used for the stack is more than 256 bytes long, so there should be plenty of room.

Fortunately, the operation of the stack in recording addresses when executing subroutines is automatic and so the programmer can allow the Z 80 to do the job. However, when using built-in subroutines, the stack does not automatically store register contents but must be programmed to do so. The instructions for doing this are:

## Push and Pop

PUSH qq PUSH register pair qq onto the stack

Where $q q$ is any of $A F, B C, D E$ and $H L$. PUSH also comes in a form suitable for storing IX and IY:

| PUSH IX | PUSH the IX register onto the stack |
| :---: | :--- |
| PUSH IY | PUSH the IY register onto the stack |

These instructions copy the contents of the specified registers onto the stack. Having dealt with the subroutine or whatever, to restore the former contents of the registers, the instruction POP is used:

| POP qq | Retrieve register contents from the <br> stack |
| :---: | :--- |

Again, $q q$ is any of $A F, B C, D E$ or HL.

| POP IX | Retrieve IX from the stack |
| :---: | :--- |
| POP IY | Retrieve IY from the stack |

Whether you are using PUSH or POP, there is no need for you to update the stack pointer - this is taken care of automatically.

When storing register contents on the stack, it is important to remember that the stack is a LIFO structure: you will normally retrieve the registers in the reverse order to that in which you stored them. Also, when writing a program incorporating PUSH and POP, every PUSH should be matched by a POP, otherwise the computer could get mixed up: it might, for instance, think that a number in the stack is a RETurn address, when in fact it is the unPOPed BC register pair. Obviously, this could lead to a system crash. Program 7.1 is an example of using PUSH and POP correctly, to preserve $A$ and $H L$. It uses two of the computer's built in routines; one is the familiar \&BB5A output text routine. The other is at location \&BB75 and sets the text cursor position (see Appendix 4 for details). To use it, $H$ must contain the column position and $L$ the row position required. Note that \&BB75 corrupts the registers, which is why it is a good idea to store them on the stack!

## PROGRAM 7.1

| LD HL, \&0604 | Load H with column 4 and L with row 6 |
| :--- | :--- |
| LD A, \&4D | Load A with ASCII 'M' |
| PUSH HL | Copy HL onto stack |
| PUSH AF | Copy A on stack |
| CALL \&BB75 | Set cursor using HL |
| POP AF | Recall A |
| CALL \&BB5A | Write 'M' at cursor using A |
| LD BC, \&0101 | Put cursor offset in BC |
| ADD HL, BC | Add offset to HL |
| PUSH AF | Save AF on the stack |
| CALL \&BB75 | Update cursor position (HL) |
| POP AF | Recall A |
| CALL \&BB5A | Write 'M' at new cursor position |
| RET | Back to BASIC |

This should produce two M's, in consecutive diagonal positions. There are a couple of points worth noting in Program 7.1. Firstly, although things are PUSHed onto the stack, the information remains in the relevant registers until they are changed as PUSH only copies registers onto the stack; in the above program, the register contents are changed unpredictably ('corrupted') by the use of the built-in routines. Nevertheless it was still correct to PUSH AF and then CALL a routine which uses the contents of the A register, as this hadn't been changed up until then. Another point to note is that even though only $A$ had to be preserved, $A F$ had to be PUSHed onto the stack, as PUSH only works with register pairs. Similarly for POP.

EXERCISE 7.1
Write a short program to:
a) set the graphics cursor to $(0,0)$
b) put 100 in DE and 200 in HL
c) save DE and HL on the stack
d) draw a line to $(100,200)$
e) reset the graphics cursor to ( 0,0 )
f) retrieve DE and HL , but putting the old contents of $D E$ into $H L$ and vice-versa.
g) draw a line to ( 200,100 )

Hint: see Appendix 4 ; \& BBC 0 to set the cursor and \&BBF6 to draw the lines. A possible answer is given in the solutions chapter.

If you have done the above exercise, you may have noticed in the solution an interesting way of swapping the contents of DE and HL:

```
PUSH DE
PUSH HL
    .
    .
POP DE
POP HL
```

The registers are POPed in the 'wrong' order.
There is another way of swapping the contents of the register pairs $D E$ and $H L$ :

EX DE,HL EXchange contents of DE with HL

This instruction only works as written above; i.e. EX HL,DE or EX $\mathrm{BC}, \mathrm{HL}$ etc. will not work.

## The Stack Pointer (SP)

To keep trank of which items to POP next, or where to place the next item to be PUSHed onto the stack, the Z 80 uses a special register called the Stack Pointer, or SP. This normally points to the last location in the stack - i.e. to the last byte within the stack.

There are several instructions that allow the programmer to access the stack pointer, and change it. Using these, it is possible to set up a 'user stack'. After adjusting SP to point to some new memory location, the $\mathrm{Z80}$ will use the new location as the start of a new stack, completely ignoring the old one. Thus, if a new stack is set up within a subroutine, it is important to preserve any RETurn addresses by PUSHing them onto the new stack.

There are three LD instructions which can be used to alter SP:

LD SP, HL LoaD SP with the contents of HL

| LD SP,IX | LoaD SP with the contents of IX |
| :--- | :--- |
| LD SP,IY | LoaD SP with the contents of IY |

To find out the current value of SP , the following instruction can be used:

| LD (nn), dd | LoaD memory location nn with the <br> contents of register pair dd |
| :--- | :--- |

dd can be any of $B C, D E, H L$ or in this case, SP.
Just to prove that setting up your own stack will work, try the following program:

| LD A, 43 | Put '+' in A |
| :---: | :---: |
| PUSH AF | Store A in current stack |
| CALL \& BB5A | Put ${ }^{+1}$ ' on screen |
| LD (\&714A) , SP | Remember current value of SP |
| LD HL, \& 7148 | Get ready to: |
| LD SP, HL | Set up new stack at \& 7148 |
| LD A,61 | Put ' $=$ ' in A |
| PUSH AF | Store A in new stack |
| CALL \& BB5A | Put ${ }^{\prime}=1$ on screen |
| LD HL, (\&714A) | Find original location of SP |
| LD SP, HL | Go back to original stack |
| POP AF | Retrieve '+' |
| CALL \& BB5A | Put ' + ' on screen |

Program 7.2 will put ${ }^{\prime}+=+$ ' on the screen. If the stack pointer had not been moved to a new location, then the POP AF would have retrieved an ' $=$ ' instead, and the screen would have displayed ${ }^{\prime}+=={ }^{\prime}$. Just to prove that there is a new stack at \&7148, try the following short exercise!

EXERCISE 7.2
Extend the above program so that it retrieves the $'=$ ' and displays it and then puts SP back where it came from again to retrieve and display another ' + '. The screen should then display '+=+=+'.

Hint: Remember that SP should point to the last location within the stack, so moving it to $\& 7148$ will not work. Use $\& 7146$.

A solution is given in the solutions chapter.

To conclude this chapter, it is worth mentioning the other commands that can affect the stack. These allow the advanced (and careful!) programmer to mess about with the contents of the stack without necessarily PUSHing or POPing repeatedly to get the SP to point to the desired element in the stack.

First of all, there are three more EXchange instructions:

EX (SP), HL EXchange contents of HL with the top of the stack.

EX (SP),IX EXchange contents of IX with the top of the stack.

EX (SP),IY EXchange contents of IY with the top of the stack.

The other instructions which can affect SP are:

INC ss $\quad$ INCrement register pair ss

DEC ss
DECrement register pair ss
ss is any of $B C$, $D E, H L$ or $S P$.

$$
\begin{array}{ll}
\text { ADD IX, pp } & \text { ADD contents of register pair pp to } \\
& \text { IX }
\end{array}
$$

Where pp is any of BC, DE, IX or SP.

ADD IY,rr ADD contents of register pair rr to IY

Where rr is any of $B C, D E$, IY or SP.

## Summary

Having read this chapter, you should know about the following:

| LIFO | EX DE,HL |
| :--- | :--- |
| SP | Which part of the stack SP points to |
| PUSH | User stacks |
| POP | LD (nn), dd |
| EX (SP),HL |  |

## Block moves and compares

The Z 80 has several instructions designed to allow whole sections of memory to be handled easily, and without the program having to specifically include the addresses of each individual memory location. These instructions can be divided into two classes. The block moves allow areas of memory to be copied from one place to another. The block compares are used to search a region of memory for some specific data item.

## Block moves

The first of the block move instructions to be looked at in this chapter is LDI:

| LDI | LoaD memory from memory and <br> pointers | Increment data |
| :--- | :--- | :--- | :--- | :--- | :--- |

To use this instruction, HL should contain the address of the memory location that the data is to come from, and DE should contain the address of the memory location that the data is to be copied into. After executing this instruction, the Z 80 increments both DE and HL. Also it decrements BC ; this makes LDI particularly useful in loops - BC can be used as a loop counter. When BC is decremented to 1 , the parity/overflow flag is reset to 0 - at other values of $B C$, LDI sets this flag to 1 , so that it can be tested to end a loop upon being set, using the PO condition. This is described in more detail below; but first the program.

As an example of using LDI, Program 8.1 copies some memory onto the screen. It copies some data from part of the stack, which occupies memory locations $\& B 100$ to $\& B F F F$, to the screen, which corresponds to memory locations \&C000 to $\& F F F F$ inclusive.

|  | LD HL,\&B992 | Load HL with start address of data |
| :--- | :--- | :--- |
|  | LD DE,\&C000 | Load DE with destination |
| LOOP: | LD BC,\&A1 | Load BC with amount of data +1 |
|  | LDI | Copy a byte of data |
|  | JP PO,FINISH: | Exit loop if BC $=1$ |
| JP LOOP: | Else continue loop |  |

FINISH: RET
This should produce a horizontal multicoloured line across the screen, with a short multicoloured line at opposite ends on either side.

## Parity

As stated earlier, the parity/overflow flag is set when it is decremented to 1 rather than zero, so it is necessary for accurate memory copying to load BC with the number of bytes to be copied plus 1. To test the parity/overflow flag, the conditions are PO 'parity odd' and PE - 'parity even'.
'Parity' refers to the number of bits set in the byte or flag being tested: even parity means that an even number of bits are set and odd parity means that an odd number of bits are set. Thus, when the parity flag is set, it contains an odd number (1) of set bits, and can be tested with the PO condition, as in Program 8.1 above:

JP PO,FINISH:
Should you ever need to test the parity of a byte of data, this can be done by loading $A$ with 255 , and ANDing it with the byte in question. The parity flag will be set appropriately and can be tested with a statement such as the conditional JP above. Parity tests are usually used in communications systems: one bit of each byte will be set aside for use as 'parity bit' which will be set or reset appropriately for each byte so that all bytes transmitted and received will have identical parity. If any interference garbles the data, the chances are that the parity of some bytes will have changed, and this can be detected.

## EXERCISE 8.1

Write a program similar to Program 8.1, to copy \&3FFF bytes starting at $\& B 100$, and to display them on the screen starting at \&C000. Warning: be careful! A mistake might cause the computer to crash, requiring you to reload the assembler. A possible answer is given in the solutions chapter.

The solution to Exercise 8.1 fills the screen with rubbish alright, but it might be nice to see this done more slowly. Try Program 8.2:

PROGRAM 8.2
LD HL, \&B100
LD DE,\&C000
LD BC, \& 4000
LOOP: LDI JP PO,FINISH:
LD A,\&FF
DELAY: DEC A Time 'wasting' instructions JP NZ,DELAY: JP LOOP:
FINISH: RET
When this is run, the screen fills up line-by-line, the lines at first separated, and then the gaps being filled in.

The reason the screen fills up like that rather than, say, line-by-line with no initial separation between the lines, is because of the way the computer controls the screen. Consecutive bytes of screen-memory (i.e. from $\& C 000$ to $\& F F F F F$ ) do not control (or in the jargon are not 'mapped on $t{ }^{\prime}$ ') consecutive screen locations on the monitor. Details of how the screen memory is organised are to do with the 'operating system' of the computer rather than machine code or assembly language, and the interested reader is referred elsewhere, e.g. to Amsoft's "The Complete CPC 464 Operating System Firmware Specification", SOFT 158.

Program 8.2 illustrates, indirectly, the main purpose of the LDI block move instruction: you can put extra instructions in between successive operations of the LDI instruction. Program 8.1 illustrates LDI's main drawback: if you don't require any extra instructions between each operation of LDI, you still have to have a jump back to the LDI to get it to repeat. This wastes both memory space and time. The Z 80 has a fix for this:

LDIR LoaD memory from memory, Increment data pointers and Repeat

This instruction acts in exactly the same way as LDI except that it automatically repeats itself until $B C$ has been decremented to 0 . Also, it sets the parity/overflow flag to 0 regardless of the current value of BC. This doesn't matter of course, as with autonatic repetition there is no need to do any tests to find out whether it has finished or not anyway. Program 8.3 is a rewritten version of Program 8.1, replacing LDI and JP with LDIR.

## PROGRAM 8.3

LD HL, \&B992
LD DE, \&C000
LD BC,\&A0
LDIR
RET
Note that in this case, it is not necessary to load $B C$ with the number of bytes to be transferred plus one, as LDIR stops when BC is zero, whereas in Program 8.1 and 8.2 the loop was ended when $\mathrm{BC}=1$. BC need only be loaded with the actual number of bytes to be transferred.

There are two more block move instructions:
LDD LoaD memory from memory, Decrement data pointers

LDDR LoaD memory from memory, Decrement data pointers
and Repeat

These are the same as LDI and LDIR respectively except that DE and HL are decremented rather than incremented. For example, try Program 8.4, which will fill the screen from the bottom up:

PROGRAM 8.4
LD HL, \&BFFF
LD DE,\&FFFF
LD BC, \& 4000
LOOP: LDD
JP PO,FINISH:
LD A,\&FF
DELAY: DEC A
JP NZ, DELAY:
JP LOOP:
FINISH: RET

## Compares

It is often handy in a program to be able to compare two values, and then to make a decision according to the result - as in the BASIC IF...THEN construction. The assembly-language equivalent is

CP s ComPare s with A by subtracting s from A, leaving A unchanged

In the above, ' $s$ ' is any one of the following: $A, B, C, D, E, H$, $L$, (IX+d), (IY+d), (HL). After subtracting $s$ from $A$, the result is not kept (i.e. $A$ is not corrupted) although the consequences of the subtraction are recorded by the carry, zero, overflow, sign and half-carry flags. The overflow, sign and half-carry flags are discussed elsewhere in the book. They are used when you wish to compare two's complement numbers.

Since the comparison subtracts $s$ from $A$, the carry flag will be set if $s>A$, and reset otherwise. If $s=A$ then the zero flag will be set, otherwise reset. Program 8.5 demonstrates the use of CP.

LD A,\&21 Put a number into A
LD B, \& 40
Put a number into $B$
CP B
Compare B with A
JP C, BIGGER:
JP Z,EQUAL:
LD A,\&73
CALL \&BB5A
If carry set, $B>A$
If zero set, $B=A$
Else B<A;Put ASCII 's' in A
Put on screen
ASCII 'く'
LD A,\&3C
Put on screen
ASCII 'A'
LD A, \& 41
CALL \&BB5A RET
BIGGER: LD A,\&73
CALL \&BB5A
LD $A, \& 3 E$
CALL \& BB5A
LD A, \& 41
CALL \& BB5A
RET

EQUAL: LD A,\&73
CALL \&BB5A
LD A,\&3D
CALL \&BB5A
LD A,\&41
CALL \&BB5A
RET
Put on screen
Exit program
ASCII 's'
Put on screen
ASCII ${ }^{\prime}$
Put on screen
ASCII ' $A$ '
Put on screen
Exit program
ASCII 's'
Put on screen
ASCII ${ }^{\prime}=1$
Put on screen
ASCII ' A '
Put on screen

Try this program out again with values $\& 40$ in $A$ and $\& 21$ in $B$, and with \& 21 in both $A$ and $B$ to check that it works as you might expect it to.

Not only does the Z 80 have the above compare instruction, it has some block compare instructions as well. The first of these is CPI

CPI ComPare A with memory, Increment data pointer

As with LDI, this instruction decrements $B C$, the 'Byte Counter'. Also, the parity flag is set when $B C$ is decremented to 1 , otherwise it is reset. This instruction does not use the carry flag, however, but it does affect the zero flag. This means that CPI can only be used to test for equality, not greater than or less than. Program 8.6 searches memory for a bracket '(' and puts one ' $($ ' on the screen for each one it finds in memory.

|  | LD A, \& 28 | Put '(' in A |
| :---: | :---: | :---: |
|  | LD HL, \& 0 | Start at beginning of memory |
|  | LD BC, \& 0 | Search 64k ( $\mathrm{BC}=$ bytes $+1,0-1=$ FFFF ) |
| LOOP: | CPI |  |
|  | JP PO,FINISH: | Finish if parity flag set |
|  | CALL Z,FOUND: | Call 'found' if zero set |
|  | .JP LOOP: | Loop again |
| FIN ISH: | CALL Z,FOUND: | Check zero flag before finishing |
|  | RET | Back to the assembler |
| FOUND: | CALL \& BB5A | Put '(' on screen |
|  | RET | RETurn from subroutine |

One thing to note in this program is that the 'FOUND' subroutine needs to be called from within 'FINISH' because if $Z$ was tested before PO, and a '(' was found, calling BB5A would corrupt the parity flag. If PO is tested first this problem does not arise.

Another block compare instruction is:

```
CPIR ComPare A with memory, Increment data pointer and Repeat
```

This instruction is the same as CPI, except that it automatically continues either until a match is found, or until $\mathrm{BC}=0$. Program 8.6 can be rewritten simply by changing CPIR for CPI. The new program will run faster with CPIR because the conditions do not need to be tested after every comparison.

The last two block comparisons are the same as CPI and CPIR except the data pointer, $H L$, is decremented rather than incremented:

CPD ComPare A with memory, Decrement data pointer

CPDR ComPare A with memory, Decrement data pointer and Repeat

Unlike LDD and LDDR, these instructions do still effect the parity flag.

In case you ever need to know, a table of the effects of comparisons on the testable flags $C, S$ and $V$ is to be found in the appendices. This should be referred to if you ever need to compare two's complement numbers (i.e. numbers greater than 128)

## Summary

Having read this chapter, you should now be aware of:

| LDI | LDD |
| :--- | :--- |
| PE | LDDR |
| PO | CP s |
| parity | CPI |
| a delay loop | CPIR |
| LDIR | CPD |
|  | CPDR |

## Special Operations and Interrupts

This chapter is about some of the least useful features of Z80 assembly language, at least from a purely software point of view. Many of the special operations and features described in this chapter are hardly used at all by most programmers. However, it is worth being aware of them. Interrupts, discussed below, are very useful, but detailed discussion of them is beyond the scope of this book as they are really a matter for a hardware manual.

## Interrupts

When doing a job that has to be done, no-one likes interruptions until the job is finished. The Z 80 is like that too. Whilst executing a piece of program, it has all its registers under control, and all its flags set appropriately.

An interrupt, however, is a subroutine that demands execution when IT is ready, and not the Z 80 . In other words, an interrupt comes from outside the Z80's direct field of control - either from some external device, or from the keyboard. Thus, flags have to be stored by the Z 80 - usually on the stack. Then the Z 80 will 'service' the interrupt - i.e. do whatever it is required to do by the interrupt, and then it must restore all the registers and flags and continue with the original program.

Interrupt handling should be allowed for in any program which expects interrupts, particularly if the program does certain jobs which must not be interrupted. If, for intance, another device is sending a stream of data into memory, then a 'hand-shaking' procedure is carried out between the two machines. Quite simply, this is an exchange of messages like: "I am ready to send data, are you ready to receive it?" "Yes." "Here's the data ..... end of data." "Thanks!"

If such an exchange is interrupted, then the data is likely to become garbled, and hence worthless. During such periods when no interrupting is allowable, the program can block most interrupts not all - to allow a particular process to be completed. Interrupts which can be blocked are called 'maskable' interrupts, and interrupts which cannot be blocked are called 'non-maskable' interrupts, or NMI's.

The instruction to block all maskable interrupts is DI:

| DI | DIsable maskable interrupts |
| :--- | :--- |

Having completed the, preferably short, section of the program which cannot be interrupted, interrupts can be re-enabled using EI

EI Enable maskable Interrupts

When the Z 80 services an interrupt, it does this by means of a machine-code subroutine. In common with other subroutines, they must be terminated with a return statement. For non-maskable interrupts the instruction is:

RETN $\quad$ RETurn from Non-maskable interrupt

For maskable interrupts it is:

RETI RETurn from Interrupt

If you think about the above, you may realise that interrupts could be interrupted. There are priorities, however: for instance, a maskable interrupt will not normally be allowed to interrupt a non-maskable interrupt - it will usually just have to wait.

The highest priority interrupt of all is a 'bus request' or BUSRQ. With other maskable and with non-maskable interrupts, the Z 80 will at least finish executing the current instruction before dealing with the interrupt. With a BUSRQ, however, the Z 80 reacts on the next 'tick' of its internal clock - i.e. on its next cycle whether it has finished the current instruction or not.

How the $Z 80$ reacts to maskable interrupts depends on the current 'interrupt mode'. In all cases, it first of all disables further (maskable) interrupts, and saves the PC on the stack. It is necessary always to re-enable interrupts (EI) before returning from your servicing routines.

## Interrupt Modes For Maskable Interrupts

The default mode is mode 0 . It can be set within a program using the instruction:

IM $0 \quad$ Set Interrupt Mode 0

Upon receiving and accepting a maskable interrupt in mode 0 , the Z80 will expect the external device to give it an instruction on its next clock-cycle via its general input line, the 'data bus'. This instruction is usually a CALL to an interrupt servicing routine that the programmer has placed somewhere in memory. It is also often a ReSTart instruction:

```
RST n ReSTart at address n
```

The address $n$ is a single byte address and can only be one of the following: $\& 0, \& 8, \& 10, \& 18, \& 20, \& 28, \& 30$ and $\& 38$. Because RST is a single byte instruction, it is often used when a fast response to the interrupt is required. The problem with it is that there is only really room at those memory locations for a jump to some other address - especially if there are several interrupt servicing routines, each required by differing devices using different RST addresses.

Both CALL and RST automatically cause the PC to be saved onto the stack. The Z 80 disables further maskable interrupts and begins the servicing routine. If the programmer requires the registers and flags to be preserved, then the interrupt servicing routine should begin with something like this:

## PROGRAM 9.1

PUSH AF
PUSH BC
PUSH DE
PUSH HL
PUSH IX
PUSH IY

It should end with something like:

## PROGRAM 9.2

POP IY
POP IX
POP HL
POP DE
POP BC
POP AF
EI
RETI
Notice the 'AF'. This is the accumulator and the flags.
The next interrupt mode is mode 1 :

```
IM 1
set Interrupt Vode 1
```

This mode is similar to interrupt mode 0 except that the Z8i) automatically executes a RST $\& 38$ upon accepting a maskable interrupt. Also, the Z 80 will ignore the contents of its data bus in the clock cycle following the interrupt. The final mode is mode 2:

IM 2 set Interrupt Mode 2

In this mode, after finishing the current instruction, saving the PC and disabling further maskable interupts, the Z 80 will jump to any specified even-numbered memory location - i.e. one in which the least significant bit is a 0 . The most significant eight bits of the address should be set in advance in a special register calaled the 'interrupt vector' register, or 'I' register. The least significant eight bits of the address are supplied by the interrupting device. This allows the Z 80 to jump to any one of up to 128 addresses held in a table in memory starting at the highbyte address held in the I register.

## The Alternate Registers

You are by now well aware that the Z 80 has many different registers, in particular, $A, B, C, D, E, H, L$ and the flags. Well, the Z 80 has a second set of these particular registers, known as he 'alternate register set', $A$ ', $B$ ', $C$ ', $D$ ', $E$ ', $H$ ', $L^{\prime}$ and the alternate flags $\mathrm{F}^{\prime}$.

Although they can be used by the programmer, it is not advisable on the Amstrad. Using the built-in routines will corrupt them, as will any interrupt. The instructions to use them are as follows:
EXX EXChange register pairs

This instruction swaps the contents of the register pairs $\mathrm{BC}, \mathrm{DE}$ and HL with their alternates. Note that this means that any following instruction using say $D E$ will now use the new contents of DE, that used to be in DE'.

If the alternate registers $\mathrm{B}^{\prime}$, or $\mathrm{C}^{\prime}$ are used, they must be restored prior to swapping back to the original register set and enabling interrupts. Thus a program to use the alternate registers might look like this:

## PROGRAM 9.3

| DI | Disable interrupts |
| :--- | :--- |
| EXX | Exchange register pairs |
| PUSH | BC |
| Save new | BC |


|  |  |
| :--- | :--- |
|  |  |
| POP |  |
| EXC |  |
| Restore BC |  |
| EI | Back to original registers <br> Enable interrupts |

Any such program should be kept short, as various automatic operating-system interrupts such as timers, keyboard scanning etc. need to use the alternate registers, and anything other than a short routine could cause problems. This is true whenever interrupts are disabled. (For further details see Sof t 158).

Another instruction allows $\mathrm{A}^{\prime}$ and $\mathrm{F}^{\prime}$ to be used:

```
EX AF,AF' EX.change contents of AF and AF'
```

F' must be restored prior to 'unexchanging'. Again, interrupts must be disabled whilst using these registers.

Note that exactly the same instruction is used to unexchange i.e. EX $\mathrm{AF}, \mathrm{AF}^{\prime}$, not $\mathrm{EX} \mathrm{AF}^{\prime}, \mathrm{AF}$.

## More EXchange Instructions

There are two other forms of EX which are worth mentioning:

$$
\begin{aligned}
& \text { EX DE, HL } \begin{array}{l}
\text { EXchange the contents of DE with the } \\
\text { contents of } H L
\end{array}
\end{aligned}
$$

and

| EX (SP), HL | EXchange the top of the stack with <br> the contents of HT. |
| :---: | :--- |

```
EX (SP), IX EXchange the top of the stack with the contents of IX
```

EX (SP),IY | EXchange the too of the stack with |
| :--- |
| the enitents of IY |

The top byte on the stack goes into $L$ and vice-versa, and the next byte on the stack goes into $H$ (and vice-versa). Similarly with IX and IY.

## Halt

## HALT

```
Halt program execution
```

This instruction stops the Z 80 until an interrupt is received. The only thing it does is keep 'refreshing' the memory. As you know, if you switch the computer off, it forgets any program or data which is held in its memory. This is because the memory consists of 'dynamic RAM' or 'Random Access Vemory'. If this memory isn't continually updated or 'refreshed' - i.e. if the internal voltages are not continually corrected, then these voltages die away and the data stored disappears with them. The Z 80 uses a 'refresh register' to tell it which memory bank to refresh at any one moment.

## The INs and OUTs of the $\mathbf{Z 8 0}$

The Z80 has a family of instructions designed to allow inputs and outputs of data from and to external devices. Again, these instructions are hardware orientated, and will only be discussed briefly here.

| IN A, ( $n$ ) | INput contents of port $n$ to the <br> accumulator |
| :---: | :--- |

A 'port' is a connector to an outside device. Which number refers to which port is determined by hardware - i.e by the actual physical wiring and circuitry of the computer.

The port, as far as the Z 80 is concerned, is an 8-bit data store. IN $A,(n)$ does not affect any of the flags.

There is a form of the IN command which allows the contents of a port whose number is held in the C register to be placed in any of $\mathrm{A}, \mathrm{B}, \mathrm{C}, \mathrm{D}, \mathrm{E}, \mathrm{H}$ or L :

$$
\begin{array}{ll}
\text { IN } r,(C) & \text { INput contents of port addressed by } \\
& C \text { to register } r
\end{array}
$$

This instruction resets the add/subtract flag. The carry flag is not affected, but the other flags are altered according to the value INput.

Should they be necessary, the Z 80 also has forms of the IN command which parallel LDI, LDIR etc. The first of these is:

INI $\quad \begin{aligned} & \text { INput contents of port addressed by } \\ & \text { C, decrement B, Increment HL }\end{aligned}$

With this instruction, $B$ can be used as a loop counter if required. Notice, however, that only $B$ is used by INI, rather than $B C$ as in, say, LDI. $C$ should contain the port number, and $H L$ the memory location in which the data is to be placed. INI corrupts the sign, half-carry and parity/overflow flags, and sets the add/subtract flag. The carry flag is not affected. The zero flag is set when $\mathrm{B}=1$.

INIR
INput contents of port addressed by C, decrement B, Increment HL, Repeat until $B=0$

This is the same as INI except that it automatically repeats until $B$ is decremented to zero. The flags are affected in the same way as with INI except that the zero flag is always set.

| IND | Input contents of port addressed by C, <br> decrement B, Decrement HL |
| :--- | :--- |
| INDR | Input content of port addressed by C, <br> decrement B, Decrement HL, Repeat until <br> $\mathrm{B}=0$ |

These are the same as INI and INIR respectively, except that HL is .iecremented instead of incremented.

OUT ( $n$ ), A OUTput contents of Accumulator to port $n$

OUT (C), $r$ OUTput contents of register $r$ to the port addressed by C

The latter of these two differs from $\mathrm{IN} \quad \mathrm{r},(\mathrm{C}$ ) in that it does not fffect any of the flags.

| OUTI | OUTput to contents of decrement $B$, | port addressed by $C$ memory addressed by Increment HL | the <br> H , |
| :---: | :---: | :---: | :---: |
| OTIR | OUTput to contents of decrement $B$, $B=0$ | port addressed by $C$ memory addressed by Increment HL , Repeat | the HL, until |



These instructions affect the flags in the same way as the corresponding IN instructions.

One slightly useful instruction hasn't been mentioned yet:

## NOP

| NOP |
| :--- |

This tells the Z 80 to do nothing for one clock cycle. This can be useful for fine tuning the duration of delay loops. Also, if you are using absolute addresses rather than symbolic labels, it can be used to pad out your program to allow for addressing errors.

## Summary

This chapter covered the following instructions:

| DI | EX AF,AF' |
| :--- | :--- |
| EI | EX DE,HI |
| RETN | EX (SP),HL |
| RETI | EX (SP),IX |
| IM0 | EX (SP),IY |
| IM1 | HALT |
| IM2 | IN A,(n) |
| RST n | IN r,(C) |
| EXX | INI |
| OUT (n), A | INIR |
| OUT (C),r | IND |
| OUTI | INDR |
| OTIR | NOP |
| OUTD |  |
| OTDR |  |

#  

## External commands and graphics extensions

This chapter explains how additional commands may be added to those already supported by BASIC. For example, a circle-drawing command will be added to the Amstrad's BASIC. These routines will be written entirely in assembly language and interfaced to the BASIC interpreter using 'external commands'. This chapter makes use of some of the more advanced features of the assembler. It is recommended that you read Appendix 6 first.

## External command (RSX's)

All commands in BASIC, e.g. LIST, GOTO, RND etc. are known as 'internal commands'. When a BASIC program is run and the interpreter encounters an internal command it is searched for in ROM (Read Only Vemory) whereas, if an 'external command' is encountered, the RAM (Random Access Memory) is searched as well. An external command or Resident System eXtension consists of a string of alphanumeric characters preceded by a vertical bar (Shift and @). The following are all valid external commands.

IIRCLE ITRIANGLE IBOX
Try typing in IBOX when in BASIC. The computer will respond with 'Unknown command'. This is because the BASIC interpreter cannot find the command BOX in ROM or RAM. It is quite simple to tell the computer that an external command exists; here's how:-

## Step 1

Firstly the computer needs to be informed that some external commands are to be added. This is accomplished by creating a command table of new commands. This command table acts as a jump block to further tables, providing explicit information about the new commands i.e. syntax, location, etc. This information is passed to the operating system, by calling a routine in ROM, after loading the relevant registers with data as well as the address of a four-byte buffer required by the operating system.

Routine's use: Logs an external command onto the operating system (i.e. tells operating system that the command exists.

Calling address: \&BCD1.
Entry conditions: $\quad B C=$ The starting memory location of the external command table.
$\mathrm{HL}=$ The starting memory location of a fourbyte buffer.

This whole process will now be illustrated with an example. The external command table will start at the memory address represented by the label EXCOMT (EXternal COMmand Table). The easiest method of setting aside four bytes for a buffer is to use the 'DEFS' assembler directive. This buffer will be assigned the label BUFF:

Thus:-

BUFF: DEFS \&04
Combining these various elements:
PROGRAM 10.1(don't enter this yet)

BUFF: DEFS \& 04
LD BC,EXCOMT Set up buffer
$\mathrm{BC}=$ Start of table
LD HL, BUFF: $\quad H L=$ Start of buffer
CALL \& BCD1 Log-on table
RET

Return to Basic.

Don't enter this program yet as although the computer knows the location of the external command table it wouldn't find any new command names when it looked there. Thus the new external command table needs to be filled with the new command names.

## Step 2

Further details of the new command table must be held in an additional table. The address of this table is given by the label NENAM (NEw NAMe). Thus the first line of this section is:-

EXCOMT: DEFW NENAM:
The new command names are then added using the JP instructions as follows.

```
JP BOX:
```

This would assign a jump address for the new command BOX. Assuming that only one external command is going to be added, the second section of the program appears as below.

EXCOMT: DEFW NENAM:
JP BOX:
All that is now required is to add the specific details of the new external command's name.

## Step 3

The new command name is entered as a string of ASCII characters starting at the memory address pointed to by NENAM. The Amstrad's internal operating system requires that bit 7 be set in the byte representing the last ASCII character of the command name's string. This is most easily accomplished by adding \&80 to the ASCII code of the last letter. Therefore $\& 80$ has to be added to the ASCII for " X " in the example. Thus this section of the program appears as below.

| NENAM: | DEFM | $" B O "$ |
| :--- | :--- | :--- |
|  | DEFB | $" X "+\& 80$ |
|  | DEFB | $\& 0$ |

The $\& 0$ is to signify the end of the table.
Combining these three sections together:
PROGRAM 10.2 (don't assemble this yet)
ORG 40000
BUFF: DEFS \& 04
LD BC, EXCOMT:
LD HL, BUFF:
CALL \& BCD 1
RET
EXCOMT: DEFW NENAM:
JP BOX:
NENAM: DEFM "BO"
DEFB "X"+\&80
DEFB \& 0
Note that ORG has been set to 40000. By then setting MEVIORY to 39999 hence preventing BASIC from using any memory location above 39999 the external command cannot be corrupted.

When : BOX is typed in, from BASIC, the computer will jump to the memory location addressed by the label BOX - to illustrate the new external command type in Program 10.3 immediately following Program 10.2.

PROGRAM 10.3
BOX: LD A,66
CALL PRINT:
LD A, 79
CALL PRINT:
LD A,88
CALL PRINT:
RET
PRINT: EQU \&BB5A
Note the use of the memory label PRINT.
Now assemble the whole program; when listed it should appear as below.

ORG 40000
BUFF: DEFS \& 04
LD BC,EXCOMT:
LD HL,BUFF:
CALL \&BCD1
RET
EXCOMT: DEFW NENAM:
JP BOX:
NENAM: DEFM "BO"
DEFB "X" +880 DEFB \& 0
BOX: LD A,66
CALL PRINT:
LD A,79
CALL PRINT:
LD A, 88
CALL PRINT:
RET
PRINT: EQU \&BB5A
Run the program with a 'CALL 40000' from BASIC. Although nothing visible has happened, the external command BOX has been 'logged on' to the Amstrad's operating system. Exit to BASIC and type in the following.

IBOX

BOX appears upon the screen! Thus any assembly-language program addressed with the label BOX can be called with this external command. For example a box could be drawn on the screen, using the inbuilt graphics routines. To specify the size of the box, some parameters have to be passed to the assembly-language program. Consider the following diagram.


FIGURE 10.1
By defining two diagonally opposing corners, a unique box can be described. It would be useful if, as well as the size, the colour of the box could be changed. Thus five parameters need to be passed to the assembly-language routine. One possible solution would be to poke the data into a block of memory, creating a 'data block'. Although cumbersome, it would work. Fortunately the external command system creates this 'data block' for us. When called, the starting location of the data block is stored in the register pair IX, with the number of data items stored in the accumulator. Consider the following command which would draw a box 100 by 100 units on the screen at 200,100 in ink 2.

IBOX, 200, 100, 300, 200, 2


FIGURE 10.2
Before the box's parameters are stored in memory they are converted to hexadecimal.

## Step 1

$$
\begin{aligned}
100 & =\& 0064 \\
200 & =\& 00 \mathrm{C} 8 \\
300 & =\& 012 \mathrm{C} \\
2 & =\& 0002
\end{aligned}
$$

## Step 2

The parameters are stored LSB first followed immediately by the MSB. The last parameter entered is pointed to by IX. Thus the parameters in the example are stored as follows:

| Memory <br> location | Contents |  |
| :---: | :---: | :---: |
| Hex | Decimal |  |
| IX+0 | 02 | 2 |
| IX+1 | 00 |  |
| IX+2 | 00 | 200 |
| IX+3 | C8 |  |
| IX+4 | 01 | 300 |
| IX+5 | 2 C |  |
| IX+6 | 00 | 100 |
| IX+7 | 64 |  |
| IX +8 | 00 | 200 |
| IX +9 | C 8 |  |

Thus by using a suitable offset any one of these parameters may be accessed. Note that as each parameter is stored in two bytes, a parameter can be in the range 0 to 65536.

Now, from the coordinates passed by the external command, four coordinate pairs have to be derived describing the box.

Consider Figure 10.3:


FIGURE 10.3
As the coordinates $\mathrm{X}, \mathrm{Y}$ and $\mathrm{X} 1, \mathrm{Y} 1$ are passed by the external command the coordinates of the other two corners may be deduced and a box plotted. This is represented by the following flow chart:


FIGURE 10.4
Expressing this flowchart in a program (note the use of the stack to store the coordinates):

| 10 | DRAW: | EQU | \& BBF 6 |
| :---: | :---: | :---: | :---: |
| 20 | PLOT: | EQU | \& BBEA |
| 30 | INK: | EQU | \& BBDE |
| 40 | BOX: | LD | $A,(I X+0)$ |
| 50 |  | CALL | INK: |
| 60 |  | LD | D, (IX+8) |
| 70 |  | LD | D, (IX+9) |
| 80 |  | PUSH | DE |
| 70 |  | LD | E, (IX+6) |
| 100 |  | LD | D, (IX+7) |
| 110 |  | PUSH | DE |
| 120 |  | LD | E, (IX+4) |
| 130 |  | LD | D, (IX+5) |
| 140 |  | PUSH | DE |
| 150 |  | LD | $E,(I X+2)$ |
| 160 |  | LD | D, (IX+3) |
| 170 |  | PUSH | DE |
| 180 |  | LD | $E,(I X+8)$ |
| 190 |  | LD | D, (IX+9) |
| 200 |  | LD | E, (IX+6) |
| 210 |  | LD | $H,(I X+7)$ |
| 220 |  | PUSH | DE |
| 230 |  | CALL | PLOT: |
| 240 |  | POP | DE |
| 250 |  | POP | HL |
| 260 |  | PUSH | HL |
| 270 |  | CALL | DRAW: |
| 280 |  | POP | HL |
| 290 |  | POP | DE |
| 300 |  | PUSH | DE |
| 310 |  | CALL | DRAW: |
| 320 |  | POP | DE |
| 330 |  | POP | HL |
| 340 |  | PUSH | HL |
| 350 |  | CALL | DRAW: |
| 360 |  | POP | HL |
| 370 |  | POP | DE |
| 380 |  | CALL | DRAW: |
| 390 |  | RET |  |

Using labels for memory addresses greatly increases the readability of the program. Now replace the subroutine starting with the label BOX in the previous program with Program 10.4. Assemble and run it. Now exit to BASIC and try Program 10.5, after logging on the command with a 'CALL 40000'.

Note: As the Assembler uses the BASIC lines above 64000 don't type NEW or you will have to reload the assembler again.

PROGRAM 10.5

$$
\begin{aligned}
& 10 \text { VODE 0:CALL } 40000 \\
& 20 \text { X=RND }(1) * 550 \\
& 30 \text { Y=RND }(1) * 350 \\
& 40 \text { X1=RND }(1) * 50 \\
& 50 \text { Y1=RND(1)*50 } \\
& 60 \text { C=RND }(1) * 15 \\
& 70 \text { IBOX, X,Y,X+X1,Y+Y1,C } \\
& 80 \text { GOTO } 20
\end{aligned}
$$

Well that concludes the external commands section. The rest of this chapter will explain how additional graphics commands may be added.

## Some Additional Graphics Commands

1. $\mathrm{BOX}, \mathrm{X}, \mathrm{Y}, \mathrm{X} 1, \mathrm{Y} 1, \mathrm{C}$

Draws a box on the screen using PEN C.
2. $\mathrm{BOXF}, \mathrm{X}, \mathrm{Y}, \mathrm{X} 1, \mathrm{Y} 1, \mathrm{C}$

Where the arguments are exactly the same as for BOX. The only difference is that the box is filled in.
3. TRI, X,Y, X1, Y1, X 2, Y2, C

Draws a triangle on the screen.


Note $Y$ must equal Y2

## 4. CIRCLE, X, Y, R,C

Where:-


The external commands reside in memory starting at memory location 40000. To ensure that they are not corrupted the BASIC memory pointer is moved down to 39999 with the following BASIC command

MEMORY 39999
Thus it is wise to ensure that the first two lines of any BASIC program using these external commands are as follows:-

1 MEMORY 39999
2 CALL 40000
:
:

## The box-fill commands

This command draws a solid box upon the screen; it is drawn as a series of consecutive horizontal lines.

Consider Figure 10.5


FIGURE 10.5
The algorithm for filling in this box is as follows:-


FIGURE 10.6
Expressing this algorithm as a program:

| 10 | COUNT: | DEFS | 4 |
| :---: | :---: | :---: | :---: |
| 20 | DRAW: | EQU | \& BBF6 |
| 30 | PLOT: | EQU | \&BBEA |
| 40 | INK: | EQU | \& ${ }^{\text {PBDE }}$ |
| 50 | BOXF: | LD | A, (IX+ ${ }^{\text {) }}$ |
| 60 |  | CALL | INK: |
| 70 |  | LD | L, ( $1 \mathrm{X}+2$ ) |
| 80 |  | LD | H, (IX C ) |
| 90 |  | LD | E, (IX+6) |
| 100 |  | LD | D, ( $1 \mathrm{X}+7$ ) |
| 110 |  | AND | A |
| 120 |  | SBC | HL, DE |
| 130 |  | JP | C, END: |
| 140 |  | LD | (COUNT: ), HL |
| 150 |  | LD | E, ( $1 \times+8$ ) |
| 160 |  | LD | D, ( $1 X+9$ ) |
| 170 |  | LD | L, ( $1 X+6$ ) |
| 180 |  | LD | H, (IX+7) |
| 190 |  | PUSH | HL |
| 200 |  | PUSH | DE |
| 210 |  | CALL | PLOT: |
| 220 |  | LD | $E,(1 X+4)$ |
| 230 |  | LD | D, ( $1 X+5$ ) |
| 240 |  | POP | IX |
| 250 |  | POP | IY |
| 260 | NXT: | PUSH | DE |
| 270 |  | PUSH | IY |
| 280 |  | POP | HL |
| 290 |  | CALL | DRAW: |
| 300 |  | PUSH | IX |
| 310 |  | POP | DE |
| 320 |  | POP | IX |
| 330 |  | INC | IY |
| 340 |  | LD | HL, (COUNT:) |
| 350 |  | PUSH | DE |
| 360 |  | LD | DE, 1 |
| 370 |  | AND | A |
| 380 |  | SBC | HL, DE |
| 390 |  | LD | (COUNT:), HL |
| 400 |  | POP | DE |
| 410 |  | JR | NZ,NXT: |
| 420 | END: | RET |  |

The assembler tape (side B) contains a file called GRAPHICS-EXT which contains all the additional graphics commands presented in this chapter. To use it load the assembler then load in the file GRAPHICS-EXT and assemble it. If you wish to use the additional commands within your BASIC programs, save a copy of the object code generated by using the file identifier '-b'. e.g. Save it under the name GRAPHICS-B. This file can then be loaded from BASIC with the command LOAD "GRAPHICS-B",40000. However, ensure that the BASIC memory pointer has been moved down first to 39999 , using the following command MEMORY 39999. Then to log on the graphics commands type in CALL 40000 from BASIC. All the commands are now available. Study the additional commands program GRAPHICS-DEMO if you are not sure.

## The triangle command

This command produces a solid triangle upon the screen. The method used is iterative and is chosen for its simplicity and not efficiency, in that a given procedure is repeated until a condition is met. Here the difference between the two $X$ basecoordinates is used as a count. See Fig 10.7


FIGURE 10.7
A series of lines are drawn from the apex (X1,Y1) to the base. This results in the apex pixel being overwritten 'count' number of times. The pixels in the proximity of the apex are also overwritten, but less frequently. This, is a very inefficient algorithm; ideally each pixel in the triangle would be written to once. This may be achieved by using more complex algorithms (e.g. a scan-line algorithm). This is beyond the scope of this book for the interested reader the following book is recomended:

Fundamentals of Interactive Computer Graphics. J.D. FOLEY and A. VAN DAM Addison-Wesley 1982 ISBN 0-201-14468-9.

Here is a listing of the triangle command:

| 10 | COUNT : | DEFS | 4 |
| :---: | :---: | :---: | :---: |
| 20 | DRAW: | EQU | \& BBF 6 |
| 30 | PLOT: | EQU | \& BBEA |
| 40 | INK: | EQU | \& BBDE |
| 50 | TRI: | LD | A, ( I X + ) |
| 60 |  | CALL | INK: |
| 70 |  | LD | E, ( $\mathrm{IX}+12$ ) |
| 80 |  | LD | D, ( $1 \times+13$ ) |
| 90 |  | LD | L, ( I X +4 ) |
| 100 |  | LD | H, ( IX +5 ) |
| 110 |  | AND | A |
| 120 |  | SBC | HL, DE |
| 130 |  | JP | M, END: |
| 140 |  | LD | (COUNT: ), HL |
| 150 |  | LD | E, ( $\mathrm{IX}+8$ ) |
| 160 |  | LD | D, ( IX+9) |
| 170 |  | LD | L, ( I X +6 ) |
| 180 |  | LD | $\mathrm{H},(\mathrm{IX}+7)$ |
| 190 |  | PUSH | DE |
| 200 |  | PUSH | HL |
| 210 |  | LD | $L$, ( I X +10 ) |
| 220 |  | LD | $\mathrm{H},(\mathrm{IX}+11)$ |
| 230 |  | PUSH | HL |
| 240 |  | POP | IY |
| 250 |  | POP | IY |
| 260 |  | LD | E, ( $\mathrm{I} X+12$ ) |
| 270 |  | LD | D, (IX+13) |
| 280 |  | PUSH | DE |
| 290 |  | POP | IX |
| 300 | NXTT: | POP | HL |
| 310 |  | POP | DE |
| 320 |  | PUSH | DE |
| 330 |  | PUSH | HL |
| 340 |  | CALL | PLOT: |
| 350 |  | PUSH | IX |
| 360 |  | POP | DE |
| 370 |  | PUSH | IY |
| 380 |  | POP | HL |
| 390 |  | CALL | DRAW: |
| 400 |  | INC | IX |
| 410 |  | LD | HL, (COUNT: ) |
| 420 |  | LD | DE, 1 |
| 430 |  | AND | A |
| 440 |  | SBC | HL, DE |
| 450 |  | LD | (COUNT:), HL |
| 460 |  | JR | NZ, NXTT: |
| 470 |  | POP | DE |
| 480 |  | POP | DE |
| 490 | END: | RET |  |

## The circle command

The simplest method of producing a circle on the screen uses the SIN and COS functions of the Amstrad. Consider Figure 10.8:


FIGURE 10.8
By Incrementing in the range $0<\boldsymbol{\alpha}<\boldsymbol{\pi} / 2$ and ploting a point at the coordinates ( $\mathrm{X}, \mathrm{Y}$ ) a quadrant of a circle is obtained. This quadrant can be developed into a full circle. Assuming that the centre of the circle is located at the graphics origin, consider Figure 10.9 for the doint $\mathrm{X}, \mathrm{Y}$.


FIGURE 10.9

While this method works, it is grossly inefficient as the functions SIN and COS require considerable computational time hence slowing down the algorithm. A slightly more efficient algorithm can be derived from Pythagoras' Theorem, equation 10.1 below:

Pythagoras' Theorem


$$
R^{2}=X^{2}+Y^{2}
$$

Equ 10.1
Rearranging Equation 10.1

$$
Y= \pm \sqrt{R^{2}-X^{2}}
$$

To draw a quadrant as before, $X$ has to be incremented in the range $0<=X<=R, \quad Y$ is then found for every value of $X$, and the pixel at coordinates $X, Y$ set. Try the following BASIC program.

PROGRAM 10.8
10 MODE 0
20 DEFINT $x, y, r$
$30 \mathrm{x}=0$
$40 \mathrm{r}=100$
50 WHILE $x<r$
$60 \mathrm{y}=\mathrm{SQR}(\mathrm{r} * \mathrm{r}-\mathrm{x} * \mathrm{x})$
70 PLOT $\mathrm{x}, \mathrm{y}$
$80 \mathrm{x}=\mathrm{x}+1$
90 WEND
100 END
This program produces a quadrant as shown below in Figure 10.10


FIGURE 10.10
There are two main limitations to using this method.

1. The quality of the arc as $X$ approaches $R$ leaves a lot to be desired.
2. Although quicker than $\operatorname{SIN}$ or COS, finding the square root of a number still requires considerable computational time.

There are various methods by which these problems may be alleviated. In this chapter one possible solution will be looked at. It is based upon Bresenham's algorithm initially developed for mechanical plotters. The algorithm is considerably more efficient than either of the previously mentioned methods as all the arithmetic operations can be accomplished easily using a few additions, subtractions and shifts.

## An adaptation of Bresenham's circle drawing algorithm

Instead of incrementing X in the range $0<=\mathrm{X}<=\mathrm{R}$ this method uses the range $0<=X<=\pi / 4$ thus producing a 45 degree segment. The complete circle is obtained by mirror imaging these calculated points. The heart of the algorithm is a routine which selects the pixel nearest to the true circle at the point in consideration. The distance between the true circle and the selected pixel is called the 'error term' and is derived as follows:-

Using Pythagoras' Theorem

$$
r^{2}=x^{2}+y^{2}
$$

assuming that the pixel is plotted at $X, Y$ then the error term is given by

$$
E=\left(x^{2}+y \quad\right)-r^{2}
$$

By minimising $E$ at each step, the closest approximation to a circle possible on the discrete pixel grid is obtained.

Consider Figure 10.11 which shows the various ways in which the true circle could cut the pixel grid.


FIGURE 10.11
Assuming that the black pixel $Z$ has just been set, the next pixel to be set could be either $A$ or $B$. Defining the error term as the difference between the squared distances from the center of circle to either pixel $A$ or $B$ and to the actual circle at this point, the following equations may be derived.

For pixel $A$

$$
E_{A}=\left(x_{A}^{2}+y_{A}^{2}\right)-r^{2}
$$

Equ 10.2
pixel B

$$
E_{B}=\left(x_{B}^{2}-y_{B}^{2}\right)-r^{2}
$$

Equ 10.3

Thus if $\left|E_{\mathbf{A}}\right|>=\left|E_{\mathbf{B}}\right|$ pixel $B$ is set, similary if $\left|E_{\mathbf{A}}\right|<\left|E_{\mathbf{B}}\right|$ then pixel $A$ is set.

Combining equations 10.2 and 10.3 to form the total error term $E$

$$
E_{\mathbf{T}}=E_{\mathbf{A}}+E_{\mathbf{B}}
$$

Now if $E_{T}>=0$ pixel $B$ is set, otherwise $E_{T}<0$ and pixel $A$ is set.
Reconsidering Figure 10.11

```
Case 1
E
Case 2
E
Case 3
E}\mp@subsup{\mathbf{T}}{}{<0}\mathrm{ thus pixel A is set
Case 4
E
Case 5
E T}>>=0\mathrm{ thus pixel B is set
```

As it stands the method works, however it is still necessary to calculate the square and square roots of the data to calculate the error term. It can be shown however by a series of arithmetic operations that the initial error is as follows.

$$
E_{\mathbf{T}}=3-2 r
$$

Equ 10.4
The value of $E_{T}$ changes dynamically throughout the program depending upon the choice of the previous pixel, as follows.

If pixel $A$ is selected as $\mathrm{E}_{\mathbf{T}}<0$ then the new $\mathrm{E}_{\mathbf{T}}$ is given by

$$
E_{\mathbf{T}+\mathbf{1}}=E_{\mathbf{T}}+4 \mathrm{X}+6 \quad \text { Equ } \quad 10.5
$$

or if pixel $B$ is selected as $E_{T}>=0$ then

$$
\begin{equation*}
E_{T+1}=E_{T}+4(x-y)+10 \tag{array}
\end{equation*}
$$

Equation 10.5 requires two adds and two shifts, equation 10.6 two adds, one subtract and two shifts; a considerable improvement upon the previous algorithms. A method of mirror imaging these points is now required to form the complete circle.If the $X$ and $Y$ values can be found for one quadrant then by mirror imaging these coordinates a full circle can be produced. See Figure 10.12


FIGURE 10.12
This algorithm is demonstrated in the following BASIC program.
PROGRAM 10.9

```
10 MODE 1
20 radius=100
30}x=
4 0 y = r a d i u s
50 ORIGIN 320,200
60 diff=3-2*radius
70 WHILE }x<
80 GOSUB 150
90 IF d<0 THEN d=d+4*x+6: GOTO 120
100 d=d+4*(x-y)+10
110 y=y-1
120 x=x+1
130 WEND
140 END
150 PLOT x,y
160 PLOT y,x
170 PLOT y,-x
180 PLOT x,-y
1 9 0 ~ P L O T ~ x , - y
200 PLOT -x,-y
210 PLOT -y,-x
220 PLOT -y,x
230 PLOT -x,y
240 RETURN
```

The program produces a pixel distribution as shown in Figure 10.13 , for a radius of 15 .


FIGURE 10.13
Here is the algorithm converted to assembly language: To save your fingers, all the external commands are included on the tape under the name GRAPHICS-EXT.

PROGRAV 10.10

| 10 | PLOT: | EQU | \& BBEA |
| :---: | :---: | :---: | :---: |
| 20 | INK: | EQU | \& BBDE |
| 30 | ORGIN: | EQU | \& BBCC |
| 40 | ORGET: | EQU | \& BBCC |
| 50 | DIFF: | DEFS | 2 |
| 60 | RAD : | DEFS | 2 |
| 70 | $X$ : | DEFS | 2 |
| 80 | $Y$ : | DEFS | 2 |
| 90 | XO: | DEFS | 2 |
| 100 | YO: | DEFS | 2 |
| 110 | CIRCLE | CALL | ORGET |
| 120 |  | LD | (XO:), DE |
| 136 |  | LD | A, (IX ${ }^{\text {( }}$ ) |
| 140 |  | CALL | INK: |
| 150 |  | LD | (YO:), HL |
| 160 |  | LD | D, ( $\mathrm{I} X+7$ ) |
| 170 |  | LD | $E,(1 X+6)$ |


| 180 |  | LD | H, (IX+5) |
| :---: | :---: | :---: | :---: |
| 190 |  | LD | L, ( I X + 4 ) |
| 200 |  | PUSH | HL |
| 210 |  | LD | H, (IX+3) |
| 220 |  | LD | L, (IX+ ${ }^{\text {( }}$ ) |
| 230 |  | LD | 〈RAD: ), HL |
| 240 |  | POP | HL |
| 250 |  | CALL | ORGIN: |
| 266 |  | LD | BC,0000 |
| 270 |  | LD | ( $\mathrm{X}:$ ) , BC |
| 280 |  | LD | HL, (RAD: ) |
| 290 |  | LD | (Y:) , HL |
| 300 |  | SLA | L |
| 310 |  | RL | H |
| 320 |  | PUSH | HL |
| 330 |  | POP | DE |
| 349 |  | LD | HL, 3 |
| 350 |  | XOR | A |
| 360 |  | SBC | HL, DE |
| 370 |  | LD | (DIFF), HL |
| 380 | CALC: | LD | HL, (X: ) |
| 390 |  | LD | DE, (Y: ) |
| 400 |  | PUSH | HL |
| 410 |  | PUSH | DE |
| 420 |  | CALL | MIRIM: |
| 430 |  | POP | DE |
| 440 |  | POP | HL |
| 450 |  | XOR | A |
| 460 |  | SBC | HL, DE |
| 470 |  | JP | $P$, END2: |
| 430 |  | LD | HL, (DIFF:) |
| 490 |  | LD | BC, 0000 |
| 500 |  | SBC | HL, BC |
| 510 |  | JP | P,LESS: |
| 520 |  | LD | DE, (X: ) |
| 530 |  | SLA | E |
| 540 |  | RL | D |
| 550 |  | SLA | E |
| 560 |  | RL | D |
| 570 |  | LD | HL, 6 |
| 580 |  | ADD | HL, DE |
| 590 |  | LD | DE, (DIFF: ) |
| 600 |  | ADD | HL, DE |
| 610 |  | JP | NXT3: |
| 620 | LESS: | LD | HL, (X: ) |
| 630 |  | LD | DE, (Y:) |
| 640 |  | XOR | A |
| 650 |  | SBC | HL, DE |
| 660 |  | SLA | L |
| 670 |  | RL | H |


| 680 |  | SLA | L |
| :---: | :---: | :---: | :---: |
| 690 |  | RL | H |
| 700 |  | LD | DE, 10 |
| 710 |  | ADD | HL, DE |
| 720 |  | LD | DE, (DIFF:) |
| 730 |  | ADD | HL, DE |
| 740 |  | LD | DE, (Y:) |
| 750 |  | DEC | DE |
| 760 |  | LD | (Y: ), DE |
| 770 | NXT3: | LD | (DIFF: ${ }^{\text {( }}$, HL |
| 780 |  | LD | HL, (X: ) |
| 790 |  | INC | HL |
| 800 |  | LD | (X:), HL |
| 810 |  | JP | CALC: |
| 820 | MIRIM: | LD | DE, ( $\mathrm{X}:$ ) |
| 830 |  | LD | HL, (Y:) |
| 840 |  | CALL | PLOT: |
| 850 |  | LD | DE, ( $\mathrm{Y}:$ ) |
| 860 |  | LD | HL, (X:) |
| 870 |  | CALL | PLOT: |
| 880 |  | LD | HL,0000 |
| 890 |  | LD | $B C,(X:)$ |
| 900 |  | XGR | A |
| 910 |  | SBC | HL, DE |
| 920 |  | PUSH | HL |
| 930 |  | PUSH | HL |
| 940 |  | LD | DE, (Y:) |
| 950 |  | CALL | PLOT: |
| 960 |  | POP | DE |
| 970 |  | LD | HL, (Y: ) |
| 980 |  | CALL | PLOT: |
| 990 |  | LD | HL, 0000 |
| 1000 |  | LD | $\mathrm{BC},(\mathrm{Y}:$ ) |
| 1010 |  | XOR | A |
| 1020 |  | SBC | HL, BC |
| 1030 |  | PUSH | HL |
| 1040 |  | PUISH | HL |
| 1050 |  | LD | DE, ( $\mathrm{X}:$ ) |
| 1060 |  | CALL | PLOT: |
| 1070 |  | POP | DE |
| 1080 |  | LD | HL, (X: ) |
| 1090 |  | CALL | PLDT: |
| 1100 |  | POP | HL |
| 1110 |  | POP | DE |
| 1120 |  | PUSH | HL |
| 1130 |  | PUSH | DE |
| 1140 |  | CALL | PLDT: |


| 1150 | POP | HL |
| :--- | :--- | :--- |
| 1160 | POP | DE |
| 1170 |  | CALL |
| 1180 |  | RET |
| 1190 | END2: | LD |
| 1200 |  | LDE, (XO:) |
| 1210 |  | CALL |
| 1220 |  | RET |

Well that's it, you have made it. Well done. It is hoped that you have enjoyed reading this book and feel that it was all worthwhile. Happy programming.

## The $\mathbf{Z 8 0}$ Instruction Set

Abbreviations used in the following tables:
Registers

```
\(\mathrm{r}, \mathrm{r}^{\prime}=\) Refers to any one of the registers \(\mathrm{A}, \mathrm{B}, \mathrm{C}, \mathrm{D}, \mathrm{E}, \mathrm{H}, \mathrm{L}\).
dd \(=\) Refers to any one of the registers pairs \(B C, D E, H L, S P\)
\(\mathrm{qq} \quad=\) Refers to any one of the register pairs \(\mathrm{AF}, \mathrm{BC}, \mathrm{DE}, \mathrm{HL}\)
\(\mathrm{pp}=\) Refers to any one of the register pairs \(\mathrm{BC}, \mathrm{DE}, 1 \mathrm{X}, \mathrm{SP}\)
\(\mathrm{rr} \quad=\) Refers to any one of the register pairs \(\mathrm{HC}, \mathrm{DE}, 1 \mathrm{X}, \mathrm{SP}\)
e \(\quad=\) Refers to a two's complement offsett
\(s \quad=\) Refers to any one of \(r, n,(H L),(I X+d) ;(I Y+d)\)
\(\mathrm{d}=\) Refers to any one of \(\mathrm{r},(\mathrm{HL}),(\mathrm{IX}+\mathrm{d}),(\mathrm{IY}+\mathrm{d})\) or in a index
instruction to a two's complement offset.
\(\mathrm{H}=\) High Byte: L = Low Byte.
\(\mathrm{S} \quad=\) Where \(\mathrm{b}=\) bit \(0 \quad 7\)
```

Addressing Modes

| RR | $=$ Register - Register |
| :--- | :--- |
| Im | $=$ Immediate |
| IDX | $=$ Indexed |
| $D$ | $=$ Direct |
| In | $=$ Indirect |

Flags

```
C = Carry / link flag
Z = Zero flag
S = Sign flag
P/V = Parity or overflow flag
H = Half-carry flag
N = Add/Subtract flag
```

Key to flag outcomes
? Flag set depending upon outcome of operation
0 Flag reset
1 Flag set

* Flag not affected
- Flag outcome unknown

V Flag set on overflow
P Flag set on parity
F The P/V flag is set to the contents of the interrupt enable flip-flop(IFF)

## The P/V Flag

If the operation indicated by $a \operatorname{V}$ in the $P / V$ column results in an overflow then the $V$ flag will be set (1) otherwise it will be reset (0). If the operation is used to test the parity, indicated by a $P$, then the flag will be set (1) if the parity is even else reset ( 0 ) on parity odd.

Addressing Modes
LD r, $\mathrm{r}^{\prime}$ Register,Register
LD r,n Immediate
LD r, (IX+d) Indexed
LD r,(nn) Direct
LD r, (dd) Indirect

Where
$r$ or $r^{\prime}$ is a 8-bit register
n is an 8 -bit register
d is a 2 's complement offset
nn is an 16 -bit number
dd is one of the following: BC, DE, HL, SP.

|  |  |  |
| :---: | :---: | :---: |
|  |  |  |
|  |  |  |
|  | $$ | ーN゙mmーmmNササーーツーワのNNNN |
|  |  |  |
|  |  |  |




|  |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  | ๕ | ๕ | ๙ٌ | $\Xi$ | $\leq$ | S |
|  | $\begin{array}{ll} -0 & \stackrel{0}{0} \\ 0 \\ 0 & 0 \\ z & 0 \end{array}$ | －つい | 15 | $\omega$ | $\omega$ | ＊ | is | ＊ |
|  |  | －～－ | $\cdots$ | a | $\sim$ | $\sim$ | ～ | $\sim$ |
|  |  |  |  |  |  |  |  |  |
|  |  |  |  | $\begin{aligned} & \underset{\sim}{x} \\ & \underset{\sim}{\infty} \\ & \underset{x}{x} \end{aligned}$ |  |  |  |  |


| 0 | $a$. | $a$. | a． | $a$. |
| :---: | :---: | :---: | :---: | :---: |
| － | a． | $a$. | $a$. | $a$. |
| ＊ | $a$. | $a$. | $\cdots$ | $\cdots$ |
| 0 | $a$. | $a \cdot$ |  | $a$. |
| ＊ |  |  |  |  |
| ＊ | ＊ | ＊ | ＊ | ＊ |
| ᄃ | E | $\Xi$ | $\Xi$ | $\subseteq$ |
| \％ | $\nabla$ | \％ | $\nabla$ | is |
| $\sim$ | $\sim$ | $\sim$ | $\sim$ | N |
|  |  | $⿸ 厂$ |  | 重 |
| ～ | $\stackrel{\rightharpoonup}{1}$ | $\frac{\pi}{0}$ | $0$ | $\begin{aligned} & \text { ๙ } \\ & \text { 亿 } \end{aligned}$ |


| Eight-Bit Arithmetic and Logical Group |  |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Mnemonic | Symbolic Operation | No of Bytes | No of Cucles | A ddress mode | $\begin{aligned} & \text { Flags } \\ & \mathrm{C} Z \\ & \hline \end{aligned}$ | affe P/V | S | N | 1 H |
|  |  |  |  | Im | ? ? | V | ? | 0 | ? |
| ADD A,r | $A-A+r$ | 1 | 1 | Im | ? ? | V | ? | 0 | ? |
| ADD A, n | $A-A+n$ | 2 | 2 | In | ? ? | V | ? | 0 | ? |
| ADD A, (HL) | $A-A+(H L)$ | 1 | 2 | IDX | ? ? | V | ? | 0 | ? |
| ADD A, (IX+d) | $A-A+(I X+d)$ | 3 | 5 | IDX | ? ? | V | ? | 0 | ? |
| ADD A, (IY+d) | $A-A+(I Y+d)$ | 3 | 5 | Im | ? ? | V | ? | 0 | ? |
| ADC A,s | $A-A+s+C Y$ |  |  | Im | ? ? | V | ? | 1 | ? |
| SUB A,s | $A-A-s$ |  |  | Im | ? ? | V | ? | 1 | ? |
| SBC A,s | $A-A-s-C Y$ |  |  | Im | 0 ? | P | ? | 0 | 1 |
| AND s | $A-A s$ |  |  | Im | 0 ? | P | ? | 0 | 1 |
| OR s | $A \longleftarrow A$ s |  |  | Im | 0 ? | P | ? | 0 | 1 |
| XOR s | $A-4 . s$ |  |  | Im | ? ? | V | ? | 1 | ? |
| CP s | A-s |  |  | Im | * ? | V | ? | 0 | ? |
| INC | r-r+1 | , | 1 | In | * ? | V | ? | 0 | ? |
| INC( HL ) | ( HL ) $-(\mathrm{HL})+1$ |  | 3 | IDX | * ? | V | ? | 0 | ? |
| INC(IX+d) | (IX + d) $-(\mathrm{IX}+\mathrm{d})+1$ | 3 | 6 | IDX | * ? | V | ? | 0 | ? |
| INC( $\mathrm{I} \mathrm{Y}+\mathrm{d}$ ) | $(I Y+d)-(I Y+d)+1$ | 3 | 6 | Im | * ? | V | ? | 1 | 1 |
| DEC d | $\mathrm{d}-\mathrm{d}-1$ |  |  |  |  |  |  |  |  |





|  |  |  |
| :---: | :---: | :---: |
|  |  |  |
|  |  |  |
|  |  |  |
|  |  |  |
|  | $\begin{aligned} & \text { U } \\ & \text { O } \\ & \text { O } \\ & \mathbb{D} \\ & \stackrel{C}{c} \end{aligned}$ |  ம் <br>  |


|  |  | $\begin{aligned} & * * \\ & * \\ & * \\ & * \\ & * \\ & * \\ & * \\ & * \\ & * \end{aligned}$ |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | EE | EE | $E$ | $E$ | E | $\leq \stackrel{x}{0} \underset{0}{-x}$ |
|  |  | $\cdots m$ | $m \sim$ | ~ | N | N | $\rightarrow$ - |
|  | $\begin{array}{ll} 40 & 0 \\ 0 & \stackrel{y}{\star} \\ \text { z } \end{array}$ | ๓ | N | $\sim$ | N | $\sim$ | $\rightarrow \sim \sim \sim$ |
|  |  |  |  |  |  |  |  |
|  |  |  | $\begin{array}{r} \circ \\ 00 \\ \approx \sim \end{array}$ | $\begin{aligned} & 0 \\ & \cup \\ & \mathbf{Z} \\ & \Perp \end{aligned}$ |  | $\begin{aligned} & 0 \\ & \mathbf{N} \\ & \text { ² } \end{aligned}$ |  |


|  |  | * |  | * | * | * | * |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | E | E | E | E | E | E | E |
|  |  | $\sim$ | ๓ | $\cdots$ | $\cdots$ | $\nabla$ | $\nabla$ | $\cdots$ |
|  |  | $m$ | $\cdots$ | $\checkmark$ | $\cdots$ | N | $\sim$ | $\cdots$ |
|  |  |  |  |  |  |  |  |  |
|  |  | E U U |  |  |  | $\underset{\substack{7 \\ \sim}}{7}$ |  | - |


| O．O．U |  |  |  |  | 1 -1 1 1 -1 |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | E』』 |  | $\subseteq$ | $\Xi$ |
|  |  | のmナ | n | ＊ | 6 |
|  | $\begin{array}{ll} 4 & y \\ 0 & \stackrel{y}{x} \\ z & 0 \end{array}$ | $\sim \sim \sim$ | N | N | $\sim$ |
|  |  |  |  |  |  |
|  |  |  |  | $\underset{\sim}{\underset{\sim}{z}}$ | ～ |


|  |  |  |  |  | $\cdots$ |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | E』』 |  | $\sqsubseteq$ | $\Xi$ |
|  |  | のぃー | $\sim$ | ＊ | n |
|  |  | ～$\sim$ N | $\sim$ | N | $\sim$ |
|  |  |  |  |  |  |
|  | $\begin{aligned} & \text { 己 } \\ & \text { O } \\ & \text { E } \\ & \dot{E} \end{aligned}$ |  |  | $\begin{aligned} & 0 \\ & \stackrel{0}{5} \\ & 0 \end{aligned}$ |  |

Effects Of Instructions On The Flags

The Flags

| Bit | Flaq |  |
| :--- | :--- | :--- |
| 0 | C | Carry |
| 1 | N | add/subtract |
| 2 | P/V | Parity/oVerflow |
| 3 | - | - |
| 4 | H | Half carry |
| 5 | - | - |
| 6 | Z | 7.ero |
| 7 | S | Sign |

Effects Of Instructions On The Sign Flag

| Sroup | Instruetion | Effeets |
| :---: | :---: | :---: |
| $\begin{aligned} & \text { 8-bit } \\ & \text { Loads } \end{aligned}$ | $\begin{aligned} & \text { LD A,I } \\ & \text { LD A,R } \end{aligned}$ | Set if I register is negative, else reset Set if $R$ register is negative, else reset |
| Compares | CPI,CPIR, CPD,CPDR | Set if result is negative, else reset |
| 8-bit <br> arithmetic | $\begin{aligned} & \text { ADD A,S } \\ & \text { ADC A,S } \\ & \text { SUB S } \\ & \text { SBC A,S } \\ & \text { AND S } \\ & \text { OR S S } \\ & \text { XOR S } \\ & \text { CP S } \\ & \text { INC S } \\ & \text { DEC S } \end{aligned}$ | Set if result is negative, else reset |
| Generalpurpose arithmetic | $\begin{aligned} & \text { DAA } \\ & \text { NEG } \end{aligned}$ | Set if msb of $A=1$, else reset <br> jet if result is negative, else reset |
| $\begin{aligned} & 16 \text {-bit } \\ & \text { arithmetic } \end{aligned}$ | $\begin{aligned} & \text { ADC HL,SS } \\ & \text { SBC HL,SS } \end{aligned}$ | Set of result is negative, else reset |
| Shif ts and rotates |  | Set if result is negative, else reset <br> Set if $A$ is negative after shift, else reset |
| Bit | BIT B,S | Corrupted |
| Inputs and Outputs | IN R,(C) <br> IN,INIR IND,INDR, OU II, © ला4, OUTD,OTDR | Set if input data is negative, else reset Corrupted |

Effects of Instructions On The Zero Flag

| Srous | Instruction | Effects |
| :---: | :---: | :---: |
| $\begin{aligned} & \text { 8-bit } \\ & \text { loads } \end{aligned}$ | LD A,I LDA,R | Set $Z$ if $I$ register $=0$, else reset $Z$ Set $Z$ if $R$ register $=0$, else reset $Z$ |
| Sompares | CPI,CPIR, CPD,CPDR | Set $Z$ if $A=(H L)$, else reset $Z$ |
| 8-bit <br> arithmetic | ADD A,S <br> ADC, A,S <br> SUB S <br> SBC A,S <br> OR S <br> XOR S <br> CP S <br> INC S <br> DEC S | Set $Z$ if result $=0$, else reset $Z$ |
| General purpose arithmetic | $\begin{aligned} & \text { DAA } \\ & \text { NEG } \end{aligned}$ | Set Z if result $=0$, else reset Z |
| $\begin{aligned} & 16 \text {-bit } \\ & \text { arithmetic } \end{aligned}$ | ADC HL,SS SBC HL,SS | Set $Z$ if result $=0$, else reset $Z$ |
| Shifts and rotates | RLC S <br> RL <br> RRC S <br> RR S <br> SLA S <br> SRA S <br> SRL S <br> RLD <br> RRD | Set $Z$ if result $=0$, else reset $Z$ |
| 3 it | BIT B,S | Set $Z$ if specified bit $=0$, else reset $Z$ |
| 'nputs and outputs | INR, (C) <br> INI,IND, <br> INIR,INDR <br> OUTT,OUTD <br> )TIR, ○ ГU: | Set $Z$ if input data $=0$ else reset $Z$ Set $Z$ if $B-1=0$, else reset $Z$ <br> Set <br> Set $Z$ if $B-1=0$, else reset $Z$ Set 7 |

Effects Of Instructions On The Half-Carry And Add/Subtract Flags

| Group | Instruction | Half-Carry Effects | Add/Subtract |
| :---: | :---: | :---: | :---: |
| 8-bit loads | $\begin{aligned} & \text { LD A,I } \\ & \text { LD A,R } \end{aligned}$ | Reset | Reset |
|  | $\begin{aligned} & \text { LDI,LDIR, } \\ & \text { LDD,LDDR } \end{aligned}$ | Reset | Reset |
| Compares | CPI,CPIR,CPD CPDR | Set if no borrow from bit 4 else reset | Set |
| 8-bit <br> arithmetic | ADD A,S <br> ADC A,S <br> SUB $S$ <br> SBC A,S <br> AND S <br> OR S <br> XOR S <br> CP S <br> INC S <br> DEC S | Set if no carry from bit 3, else reset <br> Set if no borrow from Bit 4, else reset <br> Set <br> Set if no borrow from bit 4, else reset <br> Set if carry from bit 3, else reset <br> Set if no borrow from bit 4, else reset | Reset <br> Set <br> Reset <br> Set <br> Reset <br> Set |
| General purpose arithmetic | DAA <br> CPL <br> NEG <br> CCF <br> SCF | Corrupted <br> Set <br> Set if no borrow from bit 4, else reset <br> No effect <br> Reset | No effect <br> Set <br> Set <br> Reset <br> Set |


| Group | Instruction | Half-Carry Eff ects | 4 dd/Subtract Effects |
| :---: | :---: | :---: | :---: |
| 16-bit arithmetic | ADD HL,SS <br> ADC HL,SS <br> SBC HL,SS <br> ADD IX,PP <br> ADD IY,RR | Set if carry out of bit 11 , else reset <br> Set if no borrow from bit 12, else reset <br> set if carry out of bit 11 , else reset | Reset <br> Set <br> Reset |
| Shif ts and rotates | RLCA <br> RLA <br> RRCA <br> RRA <br> RLC S <br> RL S <br> RRC S <br> RR S <br> SLA S <br> SRA S <br> SRL S <br> RLD <br> RRD | Reset | Reset |
| Bit | BIT B,S | Set | Reset |
| Inputs outputs | INR, (C) <br> INI,INIR, IND,INDR, OUTI,OTIR, OUTD,OTDR | Reset <br> Corrupted | Reset <br> Set |

Effects Of Instruction On The Parity/Overflow Flag

| Group | Instruction | Effects |
| :---: | :---: | :---: |
| $\begin{aligned} & \text { 8-bit } \\ & \text { loads } \end{aligned}$ | $\begin{aligned} & \text { LD A,I } \\ & \text { LD A,R } \end{aligned}$ | Copy of interrupt flip-flop 2 |
| Block instructions | $\begin{aligned} & \text { LDI,LDD } \\ & \text { CPI,CPIR } \\ & \text { CPD,CPDR } \\ & \text { LDIR,LDDR } \end{aligned}$ | Set if $B C<>1$, else reset <br> Reset |
| $\begin{aligned} & 8 \text {-bit } \\ & \text { arithmetic } \end{aligned}$ | ADD A,S <br> ADC A,S <br> SUB S <br> SBC A,S <br> AND S <br> OR S <br> XOR S <br> CP S <br> INC S <br> DEC S | Set if overflow, else reset <br> Set if parity even, else reset <br> Set if overflow, else reset <br> Set if operand was 7FH before increment, else reset <br> Set if operand was 80 H before increment, else reset |
| Generalpurpose arithmetic | $\begin{aligned} & \text { DAA } \\ & \text { NEG } \end{aligned}$ | Set if (A) parity even, else reset Set if (A) was 80 H before negate, else reset |
| $\begin{aligned} & \text { 16-bit } \\ & \text { arithmetic } \end{aligned}$ | $\begin{aligned} & \text { ADC HL,SS } \\ & \text { SBC HL,SS } \end{aligned}$ | Set if overflow, else reset |
| Shifts and rotates | RLC S <br> RL S <br> RRC S <br> RR S <br> SLA S <br> SRA S <br> SRL S <br> RLD S <br> RRD S | Set if parity even, else reset |
| Bit | BTT B, ${ }^{\text {S }}$ | Corrunt |


| Group | Instruction | Effect |
| :--- | :--- | :--- |
| Inputs and <br> Outputs | IN R, (C) <br> IND,INIR, <br> OUTI,OTIR, <br> OUTD,OTDR | Corrupt if parity even, else reset |

## Effects Of Instructions On The Carry Flag

| Group | Instruction | Carry Effects |
| :---: | :---: | :---: |
| $\begin{aligned} & \text { 8-bit } \\ & \text { loads } \end{aligned}$ | $\begin{aligned} & \text { LD A,I } \\ & \text { LA A,R } \end{aligned}$ | No effect |
| Block instructions | CPI,CPIR, <br> CPD,CPDR <br> LDI,LDIR <br> LDD,LDDR | No effect |
| $\begin{aligned} & 8 \text {-bit } \\ & \text { arithmetic } \end{aligned}$ | ADD A,S <br> $4 D C$ A,S <br> sub S <br> SBC S <br> AND S <br> OR S <br> XOR S <br> PP S | Set if carry from bit 7, else reset <br> Set if no borrow, else reset <br> Reset <br> Set if no borrow, else reset |
| General- <br> purpose <br> arithmetic | J)AA <br> NEG <br> CCF <br> SCF | Set if bed carry, else reset <br> Set if $A$ was not 0 before negate, else reset <br> Set if CY was 0 before CCF, else reset Set |


| Group | Instruction | Carry Effects |
| :---: | :---: | :---: |
| 16-bit arithmetic | ADD HL,SS <br> ADD LH,SS <br> SBC HL,SS <br> ADD IX,PP <br> ADD IY,RR | Set if carry from bit 15 , else reset <br> Set if no borrow, else reset <br> Set if carry from bit 15 , else reset |
| Shif ts <br> and <br> rotates | RLCA <br> RLA <br> RRCA <br> RRA <br> RLC S <br> RL S <br> RRC S RR S <br> SLA S <br> SRA S <br> SRL S | Copy A bit 7 <br> Copy A bit 0 <br> Copy bit 7 of operand <br> Copy bit 0 of operand <br> Copy bit 7 of operand <br> Copy bit 0 of operand <br> Copy bit 0 of operand |

## 

The Effects of Compares on the Overflow, Sign and Carry Flags

|  |  | Interpretation |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| A | S | 8-bit | 2's comp | V | S | C |
| 30 | 20 | A>s | $A>s$ | 0 | 0 | 0 |
| 20 | C0 | A < S | A>s | 0 | 0 | 1 |
| 70 | C0 | $\mathrm{A}<\mathrm{s}$ | A $>\mathrm{S}$ | 1 | 1 | 1 |
| C0 | 70 | A>s | $A<s$ | 1 | 0 | 0 |
| C0 | 20 | A>s | A < S | 0 | 1 | 0 |
| 20 | 30 | A < S | A < S | 0 | 1 | 1 |

$s=$ One of the following:- A,B,C,D,E,H,L,(HL), (IX+d), (IY+d)
1 = flag set
0 = flag reset

Conditions:

| Flag | Set | Reset |
| :--- | :--- | :--- |
| V | PO (Parity Odd) | PE (Parity Even) |
| S | P (Positive) | M (Negative) |
| C | C (Carry) | NC (No Carry) |

In the above, if the sign and overflow flags are the same, then $A>s$ in two's complement. If they are different, then $A<s$, assuming the zero flag is not set, of course.

## $\square A P P E N D T X \square \square 4 \square$

## Some Built-In Routines

| $\& \mathrm{BB} 00$ | Initialise key manager |
| :--- | :---: | :---: | :---: |
| Entry | Exit |
| None | A,B,C,D, E, H,L and Flags |
| corrupt. |  |



| \&BB06 | Await character |
| :--- | :--- |
| Get character from keyboard buffer. If empty, don't wait. |  |
| Entry | Exit <br> None |
| A: The character (ASCII) <br> Carry: True <br> Other flags: Corrupt |  |
| Expands single expansion tokens. |  |



| \&BB18 | Await character (non expanded) <br> Get key press from keyboard buffer. Wait if none present. |
| :--- | :--- |
| Entry | Exit <br> None <br> A: The character/token (ASCII) <br> Carry: True <br> Other flags: Corrupt |
| Does not expand expansion tokens. |  |



| \& BB1E | Key test |
| :--- | :--- |
| See whether specified key or joystick button is pressed. |  |
| Entry | Exit |
| A: key number (ASCII) | A, HL: Corrupt |
|  | C: $128=$ etrl pressed |
|  | $32=$ shift pressed |
|  | $160=$ shift \& ctrl pressed |
|  | Carry: False if pressed, else |
|  | Zero: False if true |
|  | Other flags: Corrupt |


| \& BB21 Keyboard status |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
| See whether shift lock or caps lock is pressed. |  |  |  |  |
| Entry None |  |  |  | Exit <br> A: Corrupt <br> L: $\quad 0=$ shift lock off <br> $255=$ lock on <br> H: $\quad 0=$ caps lock off <br> 255 = caps lock on <br> Flags: Corrupt |
| \& BB24 Joystick Status | Joystick Status |  |  |  |
| Entry Exit <br> None A: Status of joystick 0 <br>  H: Status of joystick 0 <br>  L: Status of joystick 1 |  |  |  |  |
| Bit 6 Bit 5 Bit 4 Bit 3 Bit 2 Bit 1 Bit 0 <br> Spare Fire 1 Fire 2 Right Left Down Up But ton <br> Bit $7=0$; Above bits set means appropriate state applies |  |  |  |  |
|  |  |  |  |  |
|  |  |  |  |  |


| \&BB39 | Set Repeat Key |
| :--- | :--- |
| Enable/disable auto-repeat on specified key |  |
| Entry | Exit |
| A: Key number (ASCII) |  |
| B:0 <br> 255 <br> No repeat <br> Repeat enabled | A,B,C,H,L: Corrupt |


| \&BB3C | Test Repeat |
| :--- | :--- |
| Find repeat status of specified key |  |
| Entry <br> A: Key number (ASCII) <br>  | Exit |
|  | A,HL: Corrupt |
|  | Zero: False if repeat, |
| else true |  |
| Carry: False |  |


| \& BB3F | Repeat Set |  |
| :--- | :--- | :---: |
| Set start up delay and repeat speed |  |  |
| Entry |  |  |
| H: Start up delay <br> L: Repeat speed | Exit |  |
| Delays and repeats are expected in 50 ths of a second, e.g. 50 <br> second. | A: Corrupt |  |



| \&BB51 | Reset text VDU |  |
| :--- | :--- | :---: |
| Entry | Exit |  |
| None |  |  |
|  |  |  |


| \&BB54 | Enable text VDU |
| :--- | :--- |
| Allows characters to be placed on the screen. |  |
| Entry | Exit |
| None |  |
|  |  |
| A: Corrupt |  |
| Clears control code buffer. | Flags: Corrupt |


| $\&$ BB57 | Disable text VDU |
| :--- | :--- |
| Prevents characters from being placed on the screen. |  |
| Entry | Exit |
| None | A: Corrupt |
|  | Flags: Corrupt |
| Empties control code buffer. |  |


| \&BB5A | Output text |
| :--- | :---: |
| Output character on current stream. |  |
| Entry | Exit |
| A: Character to send(ASCII) |  |


| \& BB5D | Write text character to screen |
| :--- | :--- |
| Entry | Exit |
| A: Character to print | A,B,C,D,E,H,L: Corrupt |
|  | Flags: Corrupt |
| Updates cursor position |  |


| \&BB60 | Read text character from screen |
| :--- | :--- |
| Entry | Exit |
| None | A: The character, or zero <br>  <br>  <br>  <br> Carry: True if character, <br> else false <br> Other flags: Corrupt |
| Cursor position needs to be set first. |  |



| \&BB66 | Define window |
| :--- | :---: |
| Sets size of text window |  |
| Entry | Exit |
| H: Column value for one edge |  |
| D: Column value of other edge |  |
| L: Row value of one edge |  |
| E: Row value of other edge | A,B,C,D,E,H,L: Corrupt |
| Lowest of $H$ and $D$ is left column. Lowest of $L$ and $E$ is top row. <br> Top left of screen $=1,1$ <br> Puts cursor at top left of window. |  |


| \&BB6C | Clear text window |
| :--- | :--- |
| Entry | Exit |
| None | A,B,C,D,E,H,L: Corrupt <br> Flags: Corrupt |
| Puts cursor at top left of window. |  |


| $\&$ BB6F | Set text column |
| :--- | :--- |
| Entry | Exit |
| A: New column |  |
|  |  |
| $1=$ A,H,L: Corrupt |  |
|  | Flags: Corrupt |


| \&BB72 |  |
| :--- | :--- |
| Entry | Exit text row |
| A: New row | A,H,L: Corrupt |
|  | Flags: Corrupt |
| $1=$ Topmost row within window |  |



| \&BB87 Tes |  |
| :---: | :---: |
| Find out where next character will be printed |  |
| Entry <br> H: Column to check <br> L: Row to check | Exit <br> A: Corrupt <br> B: = 0 If window would scroll down <br> $=255$ If window would scroll up else corrupt <br> H : Column at which print would occur <br> L: Row at which print would occur <br> Carry = False if window will scroll, else true <br> Other flags: Corrupt |
| $1,1=$ top left of window. |  |


| \&BB90 | Set pen colour |
| :--- | :---: |
| Sets foreground text colour |  |
| Entry | Exit |
| A: Colour number | A,H,L: Corrupt |
|  | Flags: Corrupt |


| $\&$ BB96 | Set paper colour |
| :--- | :--- |
| Sets text background colour |  |
| Entry | Exit |
| A: Paper colour number | A,H,L: Corrupt |
|  | Flags: Corrupt |


| \&BB9C | Swap text colours |
| :--- | :---: |
| Swaps current text foreground and background colours |  |
| Entry | Exit |
| None | A,H,L: Corrupt |
|  |  |


| \& BBBA | Initialise graphics VDU |  |
| :--- | :--- | :--- |
| Entry |  | Exit |
| None |  | A,B,C,D,E,H,L: Corrupt <br> Flags: Corrupt |
| Sets graphics VDU indirections to defaults. Resets graphics window <br> to full screen. Does not clear window. |  |  |


| \&BBBD | Reset graphics VDU |  |
| :--- | :--- | :---: |
| Entry |  |  |
| None |  |  |
|  |  |  |
| Sets graphic VDU indirections to default. |  |  |


| $\& \operatorname{BBC} 0$ | Graphics absolute move |
| :--- | :--- |
| Entry | Exit |
|  |  |
| DE: Absolute X coordinate | A,B,C,D,E,H,L: Corrupt |
| HL: Absolute Y coordinate | Flags: Corrupt |


| \&BBC 3 | Graphies relative move |  |
| :--- | :--- | :---: |
| Entry | Exit |  |
|  |  |  |
| DE: Relative X coordinate | A,B,C,D,E,H,L: Corrupt |  |
| HL: Relative Y coordinate | Flags: Corrupt |  |


| \& BBC6 | Find graphics position |  |
| :--- | :--- | :---: |
| Entry | Exit |  |
|  |  |  |
| None | DE: X coordinate |  |
|  |  |  |
|  | HL: Y coordinate |  |
|  |  |  |
|  |  |  |
|  |  |  |
|  |  |  |
|  |  |  |
|  |  |  |
|  |  |  |


| \&BBC 9 | Set graphics origin |
| :--- | :--- |
| Entry | Exit |
| DE: X coordinate | A,B,C,D,E,H,L: Corrupt |
| HL: Y coordinate | Flags: Corrupt |
| $(0,0)=$ lower left corner of screen $=$ default graphics origin. |  |


| \& BBCC | Find graphics origin |
| :--- | :--- |
| Entry | Exit |
| None | DE: X coordinate |
|  | HL: Y coordinate |
| $(0,0)=$ lower left corner of screen $=$ default graphics origin. |  |


| \&BBCF | Exit |
| :--- | :--- |
| Entry | Araphics window width |
| DE: X coordinate of one edge | Flags: Corrupt |
| HL: X coordinate of other edge |  |
| Left edge $=$ smaller of DE and HL <br> $(0,0)=$ lower left corner of screen |  |


| \&BBD2 | Set graphics window height |
| :--- | :--- |
| Entry | Exit |
| DE: Y coordinate of one edge | A,B,C,D,E,H,L: Corrupt |
| HL: Y coordinate of other edge | Flags: Corrupt |
| $(0,0)=$ lower left of screen <br> bottom edge $=$ lower of DE and HL |  |


| \&BBDB | Clear graphics window |
| :--- | :--- |
| Sets window to background colour |  |
| Entry | Exit |
| None | A,B,C,D,E,H,L: Corrupt |
|  |  |


| \&BBDE | Sets graphics foreground colour |
| :--- | :--- |
| Entry | Exit |
| A: Colour number | A: Corrupt |
|  | Flags: Corrupt |


| $\&$ BBE 4 | Set graphics background colour |
| :--- | :---: |
| Entry | Exit |
| A: Colour number | A: Corrupt |
|  | Flags: Corrupt |


| \&BBE7 | Find graphics background colour |
| :--- | :--- |
| Entry | Exit |
| None | A: Background colour |
|  |  |
|  | Flags: Corrupt |


| \&BBEA | Absolute graphics plot |
| :--- | :--- |
| Entry | Exit |
|  |  |
| DE: X coordinate | A,B,C,D,E,H,L: Corrupt |
| HL: Y coordinate | Flags: Corrupt |


| SBBED | Relative graphics plot |  |
| :--- | :--- | :---: |
| Entry | Exit |  |
| DE: Relative X coordinate |  |  |
| HL: Relative Y coordinate |  |  |


| \& BBF 0 | Absolute graphics test point |
| :--- | :---: |
| Entry | Exit |
| DE: X coordinate | A: Background colour of |
| HL: Y coordinate | point |
|  | B,C,D,E,H,L: Corrupt |
|  | Flags: Corrupt |


| \&BBF 3 | Relative graphics test point |
| :--- | :--- |
| Entry | Exit |
| DE: Relative X coordinate | A: Background colour of |
| HL: Relative Y coordinate | point |
|  | B,C,D,E,H,L: Corrupt |
|  | Flags: Corrupt |


| \&BBF6 | Absolute graphics line |
| :--- | :--- |
| Entry | Exit |
| DE: X coordinate of endpoint | A,B,C,D,E,H,L: Corrupt |
| HL: Y coordinate of endpoint | Flags: Corrupt |


| \&BBF 9 | Relative graphics line |
| :--- | :--- |
| Entry | Exit |
| DE: Relative X coordinate |  |
| HL: Relative Y coordinate | A,B,C,D,E,H,L: Corrupt |


| \&BBFC | Graphics text |
| :--- | :--- |
| Writes text at current graphics position |  |
| Entry | Exit |
| A: Character | A,B,C,D,E,H,L: Corrupt |
|  | Flags: Corrupt |


| $\& B C 0 E$ | Set Screen Mode |
| :--- | :--- |
| Set screen mode and text and graphics VDU's |  |
| Entry | Exit |
| A: Required mode | A,B,C,D,E,H,L: Corrupt |
|  | Flags: Corrupt |


| \&BC14 | Clear screen |
| :--- | :--- |
| Clear the screen memory |  |
| Entry | Exit |
|  | A,B,C,D,E,H,L, Corrupt |
|  |  |
|  |  |
|  |  |


| $\&$ BC 32 | Set ink colour |
| :--- | :--- |
| Entry | Exit |
|  |  |
| A: Ink number | A,B,C,D,E,H,L: Corrupt |
| B: First colour | Flags: Corrupt |
| C: Second colour |  |
| If B and C are different, the ink colour will alternate. |  |


| SBC 4D |  |
| :--- | :--- |
| Move screll line |  |
| Entry | Exit or down 1 line |
| To scroll down: |  |
| B $=0$ | A,B,C,D,E,H,L: Corrupt |
| To scroll up: | Flags: Corrupt |
| B <> 0 |  |
| A: Paper colour of new line |  |



| \&BCA 7 | Sound reset |
| :--- | :--- |
| Clear all sound channels and chip |  |
| Entry | Exit |
| None | A,B,C,D,E,H,L: Corrupt |
|  |  |



| \&BCAD Sound check |  |
| :--- | :---: |
| Status of a sound queue |  |
| Empty | Exit |
| A: Test bit | B,C,D,E,H,L: Corrupt |
|  | Flags: Corrupt |


| \&BCB0 Empty Queue Event |  |
| :--- | :---: |
| Set up sound to occur when a sound queue becomes empty |  |
| Entry | Exit |
| A: Bit for link (Channel-Event) | A,B,C,D,E,H,L: Corrupt |
| HL: Address of event | Flags: Corrupt |
| Bit 0: Link channel A |  |
| Bit 1: Link channel B |  |
| Bit 2: Link channel C |  |


| \&BCB3 | Round Release |
| :--- | :---: |
| Release particular held sounds |  |
| Entry | Exit |
| A: Channels to release | A,B,C,D,E,H,L,IX: Corrupt |
|  | Flags: Corrupt |
| Bit 0: Release channel A |  |
| Bit 1: Release channel B |  |
| Bit 2: Release channel C |  |


| \&BCB6 | Sound hold |
| :--- | :--- |
| All sounds are stopped immediately |  |
| Entry | Exit |
| None | Carry: True if sound |
| active, else false |  |
|  | A,B,C,H,L: Corrupt |
|  | Other flags: Corrupt |
| Sounds are automatically restarted by SOUND CHANNEL, SOUND RELEASE <br> and CONTINUE SOUND. |  |


| \&BCB9 | Continue sound |
| :--- | :--- |
| Release all held sounds |  |
| Entry | Exit |
| None | A,B,C,D,E,IX: Corrupt |
|  |  |
|  | Flags: Corrupt |


| \& BCBC A mplitude envelope |  |
| :---: | :---: |
| Set up one of the 15 amplitude envelopes |  |
| Entry | Exit |
| A: Envelope number HL: Address of amplitude | HL: Contains data block address plus 16 if envelope correct, else preserved <br> $\mathrm{A}, \mathrm{B}, \mathrm{C}$ : Preserved if envelope invalid, else corrupt <br> D,E: Corrupt <br> Carry: True if envelope correct, else false <br> Other flags: Corrupt |
| BYTE 0: Number of parts in envelope |  |
| BYTES 1,2,3: First part of envelope |  |
| BYTES 4,5,6: Second part of envelope |  |
| BYTES 7,8,9: Third part of envelope |  |
| BYTES 10,11, 12: Fourth part of envelope |  |
| BYTES 13,14,15: Fifth part of envelope |  |


| BCBF Tone envelope |  |
| :---: | :---: |
| Set up one of the 15 tone envelopes |  |
| Entry <br> A: Envelope number <br> HL : Address of tone data block | Exit <br> HL: Contains data block address plus 16 if envelope correct, else preserved <br> $A, B, C$ : Preserved: envelope invalid <br> D,E: Corrupt <br> Carry: True if envelope correct, else false <br> Other flags: Corrupt |
| BYTE 0: Number of parts in envelope BYTES 1,2,3: First part of envelope BYTES 4,5,6: Second part of envelope BYTES 7,8,9: Third part of envelope BVTES 10,11,12: Fourth part of envelope BYTES 13,14,15: Fif th part of envelope |  |


| \& BCC2 Amplitude address |  |
| :---: | :---: |
| Finds address of an amplitude envelope |  |
| Entry <br> A: Envelope number | Exit <br> A: Corrupt <br> $B C$ : Length of envelope in bytes if envelope correct, else preserved <br> HL: Address of envelope if envelope correct, else corrupt <br> Carry: True if envelope correct, else false <br> Other flags: Corrupt |
| A must be between 1 and 15 |  |


| \& BCC5 Tone address |  |
| :---: | :---: |
| Address of tone envelope |  |
| Entry <br> A: Envelope number | Exit <br> A: Corrupt <br> $B C$ : Length of envelope if envelope correct, else preserved <br> HL: Address of envelope if envelope correct, else corrupt <br> Carry: True if envelope correct, else false <br> Other flags: Corrupt |
| A must be between 1 and 15 <br> For further details on any of these routines see "The Complete CPC 464 Operating System Firmware Specification" (SOFT 158). |  |

#  

## Binary,Binary-Coded and Hexadecimal Notations

Modern counting systems, in general use throughout the world, use the decimal system. This has been developed to count past 10 and also below 1. In this system, the digits to the left in a number are of greater value than those to the right; for instance in the number 66 the first 6 has a value 10 times the second, i.e.


This is extended in larger numbers where digits to the left are successively greater by a multiple of ten, i.e.


A system where the position or place of a digit in a number affects its value is known as a PLACE-VALUE numbering system. In the decimal system, the values of digits increase in multiples of 10 and this is known as the BASE for that system. Other systems use different bases but follow the same pattern as the decimal system, i.e. the place to the left is greater being multiplied by the base.

The computer, being basically electrical in operation, can only recognise two states, on or off, often represented as ' 1 ' and ' 0 '. Thus it uses the Binary system - ie. base 2. Any number in binary consists simply of 0 's and 1 's, or electrically speaking, offs and ons (or electronically, zero volts and some volts). To count past one, the binary system must resort to place-value notation and, as with other systems, the multiplying factor is the base, i.e. 2. Thus, the number 101 in base 2 or binary represents:

i.e. $4+0+1=5$. Clearly the plethora of bases presents a problem when representing numbers. In decimal (base 10), '101' represents one hundred and one while in binary (base 2) '101' represents 5. To overcome this ambiguity, a convention exists when representing numbers so that the base is written to the right of the number, just below the line. Thus, the two numbers discussed above become:

$$
\begin{aligned}
& 101_{10}=\text { One hundred and one in base ten. } \\
& 101_{2}=\text { Five in base two. }
\end{aligned}
$$

The present-day generation of home computers (1985-style) uses eight bit registers or memories and can, thus, represent numbers up to 11111111 , i.e. 255 in base 10:

$$
128+64+32+16+8+4+2+1=255_{10}
$$

| 1 | 1 | 1 | 1 | 1 | 1 | 1 | 1 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 128 | 64 | 32 | 16 | 8 | 4 | 2 | 1 |
| Digit <br> Equivalent in <br> base 10 |  |  |  |  |  |  |  |

FIGURE A. 1
By way of example, let's make another conversion - say, $10100111_{2}$.


Thus $10100111=1 \times 128+0 \times 64+1 \times 32+0 \times 16+0 \times 8+1 \times 4+1 x 2+1 \times 1$

$$
\begin{aligned}
& =128+32+4+2+1 \\
& =167_{10}
\end{aligned}
$$

Just to check your understanding, have a go at the following:

## EXERCISE A5.1

Calculate the value of the following binary numbers in base 10:-
i) $00000011_{2}$
i i ) $00000100_{2}$
i i i ) 100000002
iv) $10000011_{2}$
v) $10110111_{2}$
vi) $01110011_{2}$

The gnswers are in the solutions Chapter.

To make the idea of converting numbers from Decimal to Binary notation clearer try running the program 'BIN/HEX' on the cassette. Type in the following:

## RUN "BIN/HEX"

The program will now automatically be loaded and run by the computer and the following display will appear:
© HOMEYFOLD SOFTHARE 1984


Don't worry about the boxes marked 'Hex' or 'BCD', we will be coming to them a little later. What we are interested in, at the moment, are the 'Decimal' and 'Binary' boxes.

As the display indicates, the program is waiting for you to enter a number in the range 0 to 255 . Type in ' 1 ' and press 'ENTER'. The screen changes to give the following display:

All the boxas have changed to display the value of 1 in the various different notations. The instruction boxes tell you that the current value can be incremented or decremented, using the uparrow and down-arrow cursor keys respectively.

Press the up-arrow key and as the values increase you will be able to see clearly how binary counts. If you now press ' $E$ ' you will be able to enter a new start number. Enter ' 15 ' and the binary box should contain '00001111'. Now increment this by one. The left four bytes (the least significant bytes) have all changed to zero and the fifth byte has become one. One way of understanding this is to lay out the addition:

$$
\begin{array}{rl}
1111 & \mathrm{~A} \\
+\quad 1 & B
\end{array}
$$

On adding the 1 to 1 this gives '2' i.e. 0 , carry 1 . This carry then produces another ${ }^{\prime} 0$ ' + a carry, and so on.

When the register is full i.e. $11111111_{2}$, the addition of a further 1 will clock the register back to zero and 256 will be lost. However, with the Z80 chip all is not lost as the chip has a carry flag that stores the fact that a carry has occurred. (The carry flag is marked ' CF ' on the display.)

To see the carry flag work press $E$ and then start the count at about $250_{10}$ i.e. enter 250 〈RETURN〉. It's now not too far to increment up to 255 and 11111111s.

Now watch the binary box as you count past $255_{10}$ to $256_{10}$. The binary cycles back to zero + the carry bit. This is a handy feature of the Z 80 but must not be relied on as more than a temporary store of the carry. It's just as easily reset to zero as it is set to 1 !

The program will also accept numbers that are entered in Binary form. However, to do this the number MUST be preceeded by the prefix ' $\& X$ '. Thus to enter the binary number 101010 ( 42 decimal) type:

## \&X 101010

and then press ENTER. All the boxes change to show 42 in the various notations.

To see if you really understand Binary notation try converting the following binary numbers to decimal on paper and then use the program to check your answers.

EXERCISE 45.?
i) 11111
ii) 101001
iii) 10111101
iv) 10001000

The answers are in the solutions chapter.

Keep the BIN/HEX program in the computer; you will need it again soon!

While the 0 's and 1 's are convenient for the computer, they are much less so for the mere human so a compromise is sought. Decimal notation is of little use as, apart from $\mathbf{1}_{\mathbf{1 0}}$ and $\mathbf{1}_{2}$ there is no other correspondence. A further idea would be to take the whole eight binary bits as a digit (i.e. up to 255 ) and use a base of 256! What would you see as the objection to this? That's apart from the idea itself being a bit mind-bending!

Time to think ... The answer comes from an examination of the base 10 case in which ten digits (0 to 9 ) are needed to represent the ten steps up to 10 . In the base 2 system, two digits are needed so base 256 would need 256 digits!

## Hexadecimal

A compromise system adopted splits the eight bits up into two parts and represents these separately. Thus, the largest number to be represented is $1111_{2}$ or $15 \mathbf{1 0}$ and this requires, along with the 0 , sixteen different symbols. The ones adopted for this job are:


Decimal number
Symbol
FIGURE A5.2
Using this notation, any eight bit number can be represented by two symbols, one for the most significant four bits and one for the least significant four bits. To avoid the rather long description of these two halves of a byte, they are given the term NYBBLES. Thus a byte consists of two nybbles, a most significant nybble (MSN) and a least significant nybble (LSN) - see Figure 45.3.


FIGURE A5.3
The system described, which uses sixteen symbols is given the name HEXADECIMAL - usually abbreviated to HEX. Its major advantage, as far as computers are concerned, is that it is compatible with binary. Any eight bit binary number can be represented by two hexadecimal characters.

If you now look at the top right-hand box on the screen that we pretended not to notice earlier, you will see that this counts in HEX. The compatibility between binary and HEX shows wherever a major carry occurs - take for instance $1111_{2}$, $15 \mathbf{1 0}$ or $\mathrm{F}_{16}$ : one increment past this turns the binary ones to zeroes and adds a one to the left, i.e. to $10000_{2}$ or $10{ }_{16}$. These major points of correspondence occur at: Step 1

$$
\begin{array}{rlrl}
11_{2} & = & 1_{16} & =1 \mathbf{1 0} \\
00010000_{\mathbf{2}} & = & 10_{16} & =16_{\mathbf{1 0}} \\
0000000100000000_{\mathbf{2}} & = & 100_{16} & =256 \mathbf{1 0} \\
0001000000000000_{2} & =1000_{16} & =4096 \mathbf{1 0}
\end{array}
$$

4s you will have already noticed, the hexadecimal count is present on the DEC/BIN/HEX display and the progress of the count can be followed on this.

Press ' $E$ ' and enter the start value of '1' and again, start incrementing the count. Up to 9 , the hex characters coincide with the decimal ones and between 10 and 15 the single letters correspond to the decimal numbers. After 15, Hex to decimal conversion becomes a little more tricky, as the use of two numbers together, e.g. $\mathrm{FF}_{16}=255$, once again calls for place-value notation. This time, as the base is 16 the ratio between any place and its neighbour is 16 .

The values, in base 10, of the places in hexadecimal are:


FIGURE A5.4
Using Figures $A 5.4$ and $A 5.5$, the breakdown of $E 92 F$ in base 16, into 59695 in base 10 , is illustated.


FIGURE A 5.5
Now that hex is totally mastered (!) try the following; the first two are explained fully in the solutions chanter.

EXERCISF 4.5.3
Calculate the value in decimal of the following:-


Do the aoove exercise on paper first. The program will also accept numbers input in Hexadecimal but they must be preceeded by the prefix ' $\&$ '. Thus if you entered the value ' $\& F F$ ' the decimal equilvalent, 255 , would be displayed. You can check your answer to Exercise A5.3 using the program or look in the solutions chapter. Keep the program, you will need it in a moment.

## Binary-Coded Decimal

As well as decimal, binary and hexadecimal notations, one other system is used in computing - Binary-Coded Decimal. As its name suggests, it is a hybrid form with elements from both binary and decimal. It is commonly used where an output is required in digital format, e.g. a digital clock, or when great precision is required and no bits can be dropped.

In BCD the normal decimal base is retained, i.e. one place is a factor of 10 times its neighbour but each individual digit is represented in binary. Thus the number $87_{10}$ would be represented:

i.e. $B C D=10000111$ (or in eight bits 10000111)

FIGURE A5.6

As the largest digit required in decimal notation is 9 , only four bits of binary are needed to represent this, i.e. $9_{10}=1001_{2}$, thus a BCD digit can be represented by a nybble and two digits by a byte. Figure A5.6 shows this, where $87_{10}$ is represented in BCD as $10000111_{2}$. This can give rise to ambiguity in that ${10000111_{2}}$ in binary is $135_{10}$. To overcome this, $B C D$ representations will be given the notation 10000111 (BCD).

Using four bits of binary, it is possible to count up to $\mathbf{1 5}_{\mathbf{1 0}}$ (i.e. $1111_{2}=15_{10}$ ) but in $B C D$ the largest digit used is 9 , so inevitably $B C D$ is less economical in its use of space. Its largest digit, 9 , is $1001_{2}$ and when one is added to this it clocks over to $0^{0000} 2$ and carries the 1 to the next nybble, i.e.

| $8_{10}$ | $=$ | 0000 | 1000 | (base | 2 |
| ---: | :--- | :--- | :--- | :--- | :--- | BCD)

FIGURE A5.7

The display we are concerned with this time is the one marked BCD. Press ' $E$ ' and enter a start value of 1. If you increment through the first 9 counts you will see that up to $9_{10}$, binary and BCD are identical. However, as you increment from $9_{10}$ to $\mathbf{1 0}_{10}$ keep an eye on the $B C D$ box and you will see the 1 carried over to the most significant nybble. From $10_{10}$ upwards $B C D$ becomes a true hybrid representing the decimal number in a binary form.

As the number input increases, the uneconomical nature of $B C D$ will become apparent. If you now enter a new start value of 95 and start incrementing you will see the problem as $99_{10}$ changes to $10010^{10}$ When the count is made, however the accumulator is wrongly changed and contains incorrect values. The program deals with this by displaying the message 'TOO BIG FOR BCD' in the box. If you decrement back down to 99 or less the appropriate $B C D$ value is again displayed but the carry flag remains set. (If you wish, you may reset both carry flags by pressing ' $R$ '. However, the BCD flag will be set again as soon as a value over 99 is encountered). When incrementing from 9910 to 10010 the BCD generates a carry from its most significant nybble to the carry flag so the Z 80 does not lose this but sets the flag.

As mentioned above, this carry is only a short-term expedient and must be picked up at the earliest possible moment if it is not to be lost. The carry is generated on the $B C D$ boxes at $99_{10}$ while the binary boxes will store up to 256 and the decimal of course up to $999_{10} . \mathrm{BCD}$ is less economical but has its uses in particular situations.

As you know all about BCD now, try the following:-

EXERCISE A5.4
Convert the following decimal numbers into $B C D$ :

| i) | 4 | v) | 53 |
| ---: | :--- | ---: | :--- |
| ii) | 10 | $v i)$ | 102 |
| iii) | 77 | $v i i)$ | 953 |
| iv) | 97 | $v i i i)$ | 2579 |

The answers are in the solutions chapter.

## EXERCISE A5.5

Convert the following BCD numbers into decimal:-

```
        i) 0000 0001
        ii) 0000 1001
iii) 0001 0101
    iv) 0010 0000
    v) 0100 1001
    vi) 0010 0011
vii) 1001 0111
viii) 1000 1000
```

The answers are in the solutions chapter.

Unfortunately for you, the program does not accept numbers input in BCD notation. However, if you are desperate you could enter each nybble separately.

In the explanation given for the value of places in place-@value notation a simplification was adopted in order to make these explanations clearer for our less mathematically inclined brethren! However, if you wish to see a slightly more mathematical explanation, please read on. Otherwise - END OF APPENDIX 5.

With binary numbers, it was said that the places increase their value in multiples of 2 , but the least significant bit of. the binary number was equivalent to the same symbol base 10 (or for that matter base 3 , or whatever). In actual fact, the multiplying factor is the base, raised to the power of its place starting with zero at the left. i.e. in binary:

| 7 | 6 | 5 | 4 | 3 | 2 | 1 | 0 |
| ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: |
| 128 | 64 | 32 | 16 | 8 | 4 | 2 | 1 |
| $2^{7}$ | $2^{6}$ | $2^{5}$ | $2^{4}$ | $2^{3}$ | $2^{2}$ | $2^{1}$ | $2^{0}$ |

Place
Previously stated multiplication factor

Mathematically more precise factor.

Thus the least significant bit is multiplied by $2^{0}$ or 1 . (If you are not sure of this try the direct program PRINT 2个0.) The next bit is multiplied by $2^{1}$, and so on.

This rule holds good for ANY base. Let's apply it for hex, i.e. base 16:
Least significant bit factor $=16^{0}=1$
2nd most significant bit factor $=16^{1}=16$
3rd most significant bit factor $=16^{2}=256$
Most significant bit factor $=16^{3}=4096$

## The assembler

This appendix explains all of the features of both the assembler and the editor. It is recommended that you read through it and refer to it when necessary throughout the book.

The following editor commands are displayed by the menu.

| 1 | Insert text | 8 Save file |
| :--- | :--- | :--- |
| 2 | List | 9 Fetch file |
| 3 Replace line | 10 Print file |  |
| 4 Delete text | 11 Renumber |  |
| 5 Assemble | 12 Convert Base |  |
| 6 Exit to Basic | 13 Arithmetic Operation |  |
| 7 Call Program |  |  |

These commands will be detailed on the following pages.

## 1. The insert option

This command is used for entering text into the text file. It is possible to specify both the starting line number and the line increment in response to the prompt, "Enter start and increment". The first number will be taken as the starting line number, the second as the line increment. These two numbers must be separated by a dash "-" which is located below the "=" sign on the keyboard. For example the following sequence of commands would cause the assembler to assign a line number of 10 to the first line of text entered and set the second line number to 20 i.e. a line increment of 10 . The editor's prompts will be shown in bold thus.

```
> I
> Enter start and increment? 10-10 <ENTER>
```

Note that you will not actually see the 'I' appear on the screen, it is shown here to denote that it was pressed, also <ENTER> will be used in this appendix to represent the pressing of the large blue ENTER key.

If no line increment is specified then 10 will be assumed. To exit the insert mode type in the '@' character as the first character on a line. This will cause the editor to return to the command mode shown by the ' $>$ ' prompt. For example if the last line in your program was RET in line 120, then ' $@$ ' would be entered as the first character in line 130.

The screen would appear as below:

120 RET <ENTER>
130 @ 〈ENTER〉
Type $M$ for the menu
>

## 2. The list option

This command allows the whole program or a segment of it to be listed to the screen. When selected the prompt "Enter starting line number" appears. To list the whole program just press the ENTER key. Once the listed program has filled a whole screen the listing process will stop until any key is pressed. If you require the listing to start at a particular line number then enter this line number in response to the prompt "Enter starting line number". At any point during the listing pressing the space bar will halt the listing, pressing any key will allow the listing to continue. Also, while listing, pressing the ' $M$ ' key will terminate the listing and print the menu on the screen.

## 3. The replace option

This option is used to replace an existing line with another. Suppose the following program was in the text file
10 LD A, 65
20 IN C A
30 CALL \&BB5A
40 RET

Line 20 should be INC $A$, and would be changed with the following commands.

```
> R
> Enter the line number 20 <ENTER>
```

20 INC A <ENTER>

Note it is not possible to replace more than one line at a time. If it is required to replace a series of lines use the insert option to insert the new text.

## 4. The delete option

This command enables either a single line or a whole block of text to be deleted from the text file. The syntax for the command is exactly the same as that for the Insert command.

For example:

```
>D
> Enter line number 20 <ENTER>
```

Would delete line 20, whereas:

```
>D
> Enter line number 20-200 <ENTER>
```

Would delete lines 20 to 200 inclusive.
To delete the whole program choose line numbers which are outside the used range. For example, suppose a program uses the line number range 10 to 320 . The following sequence of commands would delete the whole program from memory
$>\mathrm{D}$
> Enter line number 1-400 <ENTER>

## 5. The assemble option

After entering a program into the text file it is necessary to assemble this source code into machine code. This is accomplished with the assemble option.

After the assemble option has been selected, (by typing A while in the command mode), a menu will appear as below:

1. No listing
2. Listing to screen.
3. Listing to printer.
4. Both sereen and printer.
5. No listing

This option will cause no listing to be generated hence it will lead to the fastest assembly. However any errors will be reported.
2. Listing to the screen.

This option causes the assembly listing to be output to the screen.
3. Listing to printer.

This is exactly the same as option 2 except that the output is directed to the printer.
4. Both screen and printer.

The assembly output is directed to both the screen and printer.
If during assembly the assembler encounters any errors it will jump back to the editor after informing you of the error.

## 6. The exit to basic option

This command jumps out of the assembler program and enters BASIC after clearing the screen with a MODE 1 command. The Assembler and Editor are written in a mixture of BASIC and machine code. The small BASIC 'driver' program uses the BASIC line numbers 64000 and above. Thus as long as the line numbers are kept below 64000 it is possible to have a small BASIC program resident in memory at the same time as the assembler. This is very useful for testing out algorithms before trying them in machine code. The maximum size of the additional BASIC program is about 4 K . To re-enter the assembler, saving any program held in the text file, press the decimal point key on the numeric key pad or type in from BASIC 'GOTO 64026'. If you don't need to keep the contents of the text file, i.e. delete any assembly language program in memory, type in from BASIC 'GOTO 64018'.

## 7．The call program option

This option allows machine－code programs to be run or called from the assembler．To run a machine－code program，the memory location containing the first instruction in the program is called．Note： this option will only work if the program uses the ENT assembler directive as its first line；don＇t be tempted to use it if your program uses the ORG assembler directive as it may cause the computer to act strangely i．e：crash．

Thus assuming that ENT has been used pressing $C$ while in the command mode will clear the creen and then jump to the machine code program．

To run a program which uses the ORG directive it is necessary to call the beginning of the program from BASIC．Thus suppose the ORG instruction in the program is as follows：－

10 ORG 30000
This will cause the assembler to store the first byte of the resultant machine code in memory location 30000 ．Thus to call the program exit to BASIC using X．Now type in the following：－

CALL 30000 〈ENTER〉
This will cause the machine－code program starting at memory location 30000 to be run．Ensure that the machine－code program is error free however as any mistake may cause the computer to crash．

As stated previously it is possible to save a copy of the machine code generated by the assembler（an object－code file），this type of file has to be loaded into the computer from BASIC．The load command is exactly the same as that used for loading a BASIC program except that the computer needs to be told where to locate the machine－code file．This information，the load address，is given after the file name，separated by a comma．

For example to load the object code created by the program TEST and saved under the file name TEST－b into memory starting at memory location 30000 ，the following command would be entered from BASIC

LOAD＂TEST＂， 30000 〈ENTER＞
Then to run the program
CALL 30000 〈ENTER〉
would be used．

## The tape commands ( $S$ and $F$ )

By using these commands text files can be saved to tape or fetched from tape in a form suitable for the assembler. It is also possible to save the machine code (object code) produced when a text file is assembled. This is very useful as it enables a machine code program to be developed and then run independently of the assembler.

## 8. The save option

This option is used to either save a copy of the text file to tape or to save a copy of the object code.

## Saving the text file

Like BASIC programs, files are assigned a name which can consist of any alphanumeric characters. When the save option is selected you are asked to enter the file name you wish to use in response to the prompt "Enter the file name". Thus to save the contents of the text file under the file name TES' $T$ the following commands would be used

## $>\mathrm{S}$ <br> > Enter the file name? TEST <ENTER>

The familiar "Press REC and PLAY then any key:" prompt will appear, at which point you should proceed as if in BASIC: insert a blank cassette, press PLAY and REC then any key. After the file has been saved the command-mode prompt ${ }^{\prime \prime}$ ' will reappear.

## Saving the object code

It is also possible to save a copy of the object code generated by the last assembly of a text file. The object code is the machine code produced by the assembler. Thus an assembly language program can be developed using the assembler and then the resultant machine code saved to tape for use later. (Note: details as to how to run this object-code file are given in the section detailing the 'Call Program' option.)

To save a copy of the object code it is necessary to add a file type-marker to the file name. This marker is a 'b' separated from the file name by a dash. Before the object code can be saved the program in the text file must be assembled. Thus to save the object code created by the imaginary file TEST the following file name would be used
$>\mathrm{S}$
> Enter the file name? TEST-b <ENTER>

## 9. The fetch option

This option is used to fetch a text file from tape. Note: it cannot be used to reload a copy of the object code created by the assembler and saved with the identifier '-b'. See the 'Call Program' option for this. You are prompted with the "Enter file name" prompt. If you cannot remember the file name the program was saved under just press ENTER in response to the prompt and the first compatible file found on the tape will be loaded. For example the following would be used to fetch the file test

```
>F
> Enter the file name? TEST <ENTER>
Press PLAY then any key: <Press PLAY then ENTER>
```


## 10. The print option

This option allows the program held in the text file to be output to the printer, if one is present. The syntax for this command is exactly the same as that for the list command, except that $P$ is entered instead of $L$.

## 11. The renumber option

This command renumbers all the lines stored in the text file. When selected the prompt "Enter the new line increment" appears; the number entered then will be used as the starting line number and the line increment. Thus to renumber the text file with a line increment of 10 starting with a line number of 10 , the following sequence of commands would be used

```
N
> Enter the new line increment 10 <ENTER>
```


## 12. The convert base option

While writing assembly language programs it is sometimes useful to be able to convert a number from one base to another. The Convert Base Option allows this, it will accept any number in the range 0 65536. The number to convert can be represented in any one of the three following bases:

1. Decimal.
2. Hexadecimal.
3. Binary.

To distinguish between them, the standard BASIC prefixes are used:

| Base | Prefix |
| :--- | :--- |
| Decimal | None |
| Hexadecimal | $\&$ |
| Binary | $\& X$ |

The input number is converted to all three bases. Thus to express 275 in decimal, hex and binary the following sequence of commands would be used.
> B
Enter number to convert? 275 <ENTER>
The screen will then display the number 275 in all three bases. To clear the screen press $B$ again. Note the lower screen display will remain unaffected by all commands except $B$ and $O$ which will clear it.

## 13. The arithmetic operation option

This command allows two numbers, in any one of the three supported bases, to be either added or subtracted from each other. For example to add 200 to $\& F F$.
$>0$
First number? 200 <ENTER>
Second number? \&FF 〈ENTER>
A. Add S. Subtract? A 〈ENTER>

The lower screen will now clear and display the following:
Binary $=\$ X 11100011$
Decimal $=445$
Hexadecimal $=\& 1 \mathrm{C7}$
As with the Convert Base option, this display will remain until $O$ or $B$ is pressed again.

## Assembler directives

As well as accepting the full $Z 80$ instruction set the assembler will accept certain assembler directives. An assembler directive is an instruction to the assembler instead of the Z80 (they are sometimes called pseudo-opcodes for this reason).

Assembly directives considerably increase the legibility and ease of writing programs.

The first directive should be familiar:

| ENT | Causes the object code to be placed <br> immediately after the source code, in a form <br> suitable for running from the assembler's <br> call program option. |
| :--- | :--- | :--- |

When writing programs that require more storage for data than is available from the registers or easily from the stack, it is necessary to use memory locations to store this data. Ideally these memory locations would be situated in the same vicinity as the program. As the exact length of the program is not known calculating the address of a memory location situated at the end of the program is not easy. The solution to the problem is to use the following assembler directive

DEFS $n$ Reserves $n$ bytes of memory starting at the current value of the location counter.

To allow easy reference to this storage area a label is assigned to this directive. For example to sent up a four byte buffer referenced by the label STORE: the following line would be used

STORE: DEFS 4

When the assembler encounters this command it will reserve four bytes of memory and assign to the label 'STORE:' the address of the first byte in this buffer.

For example:
Suppose that an 8 by 8 bit multiplication program produces a 16 bit result in HL ; if this result will be needed further on in the program it will have to be kept.

By using the following program the result can be obtained by referencing the label STORE:

ENT
STORE: DEFS 2

Multiplication program

LD (STORE:), HL

Thus the contents of the memory location addressed by store contain the result of the multiplication. As well as creating buffers, assembler directives can be used for many other functions. The first to be considered is assigning numeric values to labels.

EQU nn Assigns the value $n n$ to the preceding label.

This form of directive is used mainly for setting up constants. For example:

LOOP: EQU 20
LD A,LOOP:
When assembled and executed, this would load A with 20.

So far most of the programs have used the ENT directive. This is fine for development and testing purposes but when a machine-code program is to be called from BASIC it has to be stored where BASIC cannot overwrite it. The amount of memory available to BASIC is set by the BASIC command MEMORY. By setting MEMORY to 39999 any memory location above 39999 cannot be used for BASIC program storage: thus, in effect, memory has been reserved for machinecode programs.

Instead of letting the assembler decide where to locate the program it needs to be told. The following directive is used to accomplish this

ORG nn Set the location counter to $n n$

This feature of the asembler allows programs to be assembled so as to reside anywhere in memory. Note: the value $n n$ has to be greater than the last memory location used by the editor. If you type in an invalid location the assembler will inform you.

Many programs require specific memory locations to be loaded with data. There are three directives to accomplish this; the first two load numeric data and are as follows


The last directive stores the ASCII representation of a string in memory. This is very useful for printing messages on the screen.

DFFM "s"
Set the contents of memory, starting with the current value of the location counter, to the ASCII representation of string "s".

Try the following program:

## ENT

MESS: DEFM "A MESSAGE !"
LD B, 11
LD HL,MESS:
LOOP: LD A,(HL)
CALL \& BB5A
INC HL
DJNZ LOOP:
RET
Useful heh!

## Addition of operands \& direct loading of ASCII characters

If by now you have worked through the book and have read chapter 10, it may have struck you that in Chapter $10 \& 80$ was added to an ASCII character held in quotes in a DEFB command. The effect of this line is to load into memory, at the current value of the location counter, the ASCII value of the character contained in the quotes after $\& 80$ has been added to it. The effect of adding $\& 80$ to a binary number is to set bit 7 . This was required in the program as the Amstrad's operating system requires the last character in an external command's name to have bit 7 set.

Thus to load the ASCII representation of $A$ into the Accumulator it is possible to use the following line:

LD A,"A"
which would load A with 65. Likewise, to load A with B you could use:
LD A,"A"+1

These functions are very useful at times, especially for setting up arrays of data.

## Comments

The assembler will allow comment lines to be included in the text file provided that the first character in that line is a semicolon. Thus a sample program containing comments would appear as below:

```
10 ENT
20 ;Load A with 65
30 LD A,65
40 ;Print A on the screen
50 CALL &BB5A
60 RET
```

Note that comments must be on separate lines from instructions; the two cannot be combined on one line.

## ADDRESS

The computer has lots of chips in it, in which to remember data. It stores up data in little groups of 8 bits, called bytes. The computer has lots of these bytes in its memory, we call each of the places that holds a byte a memory location. Each memory location has a special number associated with it, just like a house number, this number is called the address of that memory location. It helps the computer find the byte it wants.

## ALGORITHM

An algorithm is a set of instructions for doing a particular job. Cooking recipes are algorithms and so are flow charts and computer programs.

## ARCHITECTURE

The arrangement or design of the logic in a computer system.

ARITH METIC AND LOGIC UNIT or ALU
The area in the central processor that does all the arithmetic and logical operations.

ASCII
An abbreviation for American Standard Code for Information Interchange. In the computer, information is stored in the form of binary numbers so, in order to represent a letter in the computer, it was decided that each letter of the alphabet should be given a special number or code. This code is called the ASCII code of the letter. Not all the ASCII codes represent letters, some represent other characters like $=,+,!, ?$ or $/$. Also there are other codes that represent new lines etc. Many computers do not strictly conform to the ASCII standard but most conform to a large extent.

## ASSEMBLER

A program which translates assembly language into machine code.

## ASSEMBLER DIRECTIVE

These commands tell the assembler something, e.g. ORG. This instructs the assembler to start storing the object code at the given address. See also Assembler.

## ASSEMBLY LANGUAGE

A 'Iow level' computer language, but not as 'low level' as machine code. Assembly language is a language designed to make it easier to enter machine code programs into a computer. A program called an 'assembler' translates assembly language programs ('source code') directly into machine code ('object code').

## BASIC

Beginners All Purpose Symbolic Instruction code. A 'high level' programming language.

BIT
One digit, either 0 or 1 , in a binary number.

## BYTE

A group of 8 bits used to represent a number between 0 and 255.

## CENTRAL PROCESSOR UNIT

The part (in this case the Z 80 chip) of the computer that does all the executing of machine code programs (every program 'boils down' to machine code of one form or another!).

## COMMANDS

The near English equivalents of machine code. We actually write commands when entering assembly language. Thus, ADD A,B is a command; 80 is the machine code equivalent. See also 'mnemonics'. Another word used for command is 'instruction'.

To create the object programs from the source.

COMPILER
A program which converts a whole program written in a 'high level' language such as BASIC into machine code before the program is run. Speeds comparable with assembly language/machine code programs can be achieved. See also 'Assembler', 'Disassembler' and 'Interpreter'.

## COMPLEMENT

A 'reverse' form of a binary number in which all the 1 's are swapped for 0 's and all the 0 's for 1 's, i.e.

10111100 becomes 01000011

## CONTROL CHARACTERS

Control charaters do not display anything but serve to perform some action such as 'new line' <RETURN> or clear screen.

## CRASH

If the Z 80 is told to execute a program in memory that is incomplete in some respect then it may end up executing what it should not be executing! The Z 80 is not very clever and can easily attempt to execute the contents of a buffer, string variable or any other kind of data. When this happens the Z80 gets in a mess, jumping around, executing a bit here and a bit there. It may store things all over the place, generally making a mess of what you have in memory. You will need to reset the computer to bring the Z80 to its senses. (A system crash will not do physical damage to the system. Crash the system for fun if you want!)

## CRYSTAL OSCILLATOR

Device based on the vibration of a quartz crystal to produce an oscillating electrical voltage. Used in electronic watches, hence quartz watch, also on timing devices (clocks) for some computer systems.

A group of electrical pathways used by a computer system to communicate internally.

## DOUBLE PRECISION

A rather general term meaning twice as precise. Used in this book to mean mathematics done on numbers 2 bytes long (i.e. ranging from 0 to 65535 ) rather than one byte long.

DISASSEMBLER

A program which translates machine code into assembly language.

## EXECUTE

Used, in the context of this book, to mean the running of a machine-code program.

FLAG
A special location, usually just one bit, that is set to a particular value if some condition was true or to some other value if it was not. It could be altered on the result say, of a compare operation between two numbers, if they were equal it would be set to 1 and if they were not it would be set to 0 .

GATE
Generally, an electronic device for performing logical operation. Voltage levels are used to indicate the values TRUE and FALSE, or 1 and 0. (Pneumatic logic gates also exist, but not in this computer!).

## INDIRECTION

The process of looking up the address to use in an instruction, when the address is not actually given in the instruction: The instruction contains the address at which the address to use is stored.

## INSTRUCTIONS

The near English equivalents of machine code. We actually write instructions when entering assembly language. Thus, $A D D A, B$ is an instruction; 80 is the machine code equivalent. See also 'mnemonics'. Another word used for instruction is 'command'.

INTERFACE
A device to allow two electronic systems, not normally compatable directly, to communicate with each other.

I/0
Abbreviation for Input/Output

## INTERPRETER

A program which reads another program (eg. a BASIC program) and converts it instruction by instruction into machine code which is then immediately executed. Note that this is different from an assembler or a compiler which convert whole programs (the 'source code'). Programs in an 'interpreted' language such as BASIC run more slowly than assembly language and compiled programs as each BASIC instruction has to be interpreted every time it is executed, whereas, say, an assembly language program only has to be converted into machine code once before the program is run. See also 'Compiler'.

LOAD
To load a register or the accumulator means to put some number into it. The number can be obtained in various ways.

LOGICAL OPERATOR
Operator or function that only works with the values TRUE and FALSE. The most basic logical operators are AND, OR and NOT. NOT just returns the complement (opposite) of its input.

The 'level' of a computer language refers roughly to its similarity to English or other spoken languages. The higher the level, the closer the language is to a proper spoken language. The lower the level the closer the language is to the inscrutable numbers of machine code. High level languages are characterised by simple commands which can do a lot - i.e. by 'powerful' commands. In approximate order from low to high a selction of computer languages listed here: machine code, assembly language, FORTRAN, BASIC, ALGOL, PASCAL, COBOL, LISP. Some languages such as FORTH, whilst of quite high level, have many features of both low and high level languages and it is difficult to say exactly how high a level they are.

## MACHINE CODE

This is the actual numbers that the Z 80 microprocessor chip uses. Not merely data, but every instruction which the chip executes is represented as far as the chip is concerned by a machine-code number, and these, controlling internal voltages, are all it can use.

## MEMORY LOCATION

The computer has lots of chips in it, in which to remember data. It stores up data in little groups of 8 bits, called bytes. The computer has lots of these bytes in its memory, we call each of the places that holds a byte a memory location. Each memory location has a special number associated with it, just like a house number, this number is called the address of that memory location. It helps the computer find the byte it wants.

## MEVORY MAP

A chart showing how the memory is used by the computer, i.e. which memory locations are used for what.

## MNEMONICS

Pronounced 'nemoniks', and named after the Greek goddess of memory, Mnemosyne, mnemonics are simply memory aids. It is easier to understand or remember what 'ADD $A, B$ ' does than to remember what the Z80 chip will do with the instruction ' 80 '. Hence we tend to use assembly language with its mnemonics rather than enter programs directly in machine code.

NESTING
A structure in a computer program where one loop is put inside another.

## NYBBLE

A nybble is a chunk of 4 bits just as a byte is a chunk of 8 bits. For convenience a byte is sometimes considered to consist of two nybbles, the least significant nybble (right-hand one) and the most significant nybble (left-hand one).

## OBJECT CODE

The machine code version of an assembly language program. The assembler is said to convert 'source code' into 'object code'.

## OBJECT PROGRAV

The object program is the actual machine-code version of an assembly-language program (the source program).

OP CODE
An instruction, usually written in assembly language or in a higher level language, which the computer can follow: eg. ADD, LD, PRINT, etc. Note that the op code is the instruction minus its operands. Thus $A D D A, B$ is an instruction, whilst $A D D$ is the $o p$ code.

OPERATING SYSTEM
A built in program which is designed to simplify 'housekeeping' procedures within the computer. It deals with such functions as scanning the keyboard, creating the video display, saving programs to tape, etc.

## OPERAND

The operand of an instruction is any number which follows that instruction, such as $A$ and 145 in LD $A, 145$. Some instructions don't need an operand such as RET.

## PARAMETER

Most instructions have parameters．For example in the BASIC line ＇PRINT $a, b$＇；$a$ and $b$ are the parameters．

## PERIPHERAL

A device attached to the main computer system，such as a printer， VDU or light pen．

## PIXEL

Short for＇picture element＇，a pixel is the smallest portion of the screen which the computer can control－i．e．a dot．All pictures，letters etc．which the computer puts on the screen are made up from combinations of pixels．

## PROGRAM COUNTER

A special 16 bit register，in the $Z 80$ ，that points to the next instruction to be executed，so that the Z 80 does not lose its place in a program！

RAM
Abbreviation for＜R＞ead＜A＞nd＜M＞odify memory，also sometimes known as 〈R＞andom＜A＞ccess 〈M〉emory．

## REGISTER

A special memory location in a chip，usually in the Central Processor Unit，（CPU）for storing a number，in binary．The registers in the Z 80 are either 8 or 16 bits long．

## RESET

A flag or a bit is＇reset＇when it has the value＇ 0 ＇．A pixel is reset when it is not lit up．

ROM


#### Abstract

Abbreviation for <R>ead 〈O〉nly <M>emory. This is memory in which there is a program permantly stored, and cannot be erased by trying to POKE data into it or by means of LD type instructions.


## SCREEN (Addresses)

The screen has a special area of the computer's memory reserved for it. This memory area tells the system what information goes where on the screen. If we alter the contents of these locations then the displayed character on the screen will change.

## SERVICE ROUTINE

Machine-code routine used for servicing interrupts.

## SET

Generally set is used to refer to flags, it means to put a 1 into the flag. A pixel is set when it is lit up.

## SOURCE CODE

Assembly language as typed in, and before converion to machine code or 'object code' by the assembler.

## SOURCE PROGRAM

The source program consists of the actual assembly mnemonics, as used in this book. It means a program that was created by the user but must first be translated into some other form before execution can take place. An assembly-language program must be changed into machine code in order to execute it.

## SYMBOLIC LABEL

This is a name given to a line in a program, so that it can be referred to easily by the programmer. Instead of jumping to a specific memory location within a program, it can jump to the name instead.

## VECTOR ADDRESS

The address that must be 'looked up' in an indirection operation is called the vector address.

Z80
Z80 is the type or reference number of the central processing unit CPU used in this computer. The CPU is often referred to as THE Z80'.

## CHAPTER 1

EXERCISE 1.1
ENT
LD A, 65
CALL 47962
RET

## EXERCISE 1.2

## ENT

LD A, 70
CAIL 47962
LD A, 82
CALL 47962
LD A,69
CALL 47962
LD A,68
CALL 47962
RET

## CHAPTER 2

EXERCISE 2.1
ORG 30000
LD B, 10
LD A,65
CALL 47962
DEC B
JR NZ, 30004 RET

EXERCISE 2.2
The JR NZ instruction is used in preference to the JP NZ instruction because the jump distance is within +129 and -126 bytes, and the $J R N Z$ instruction requires less time to execute. It is therefore more efficient.

EXERCISE 2.3
ORG 30000
LD C, 26
LD A, 65
NXT: CALL 47962
INC A
DEC C
JR NZ, NXT:
RET

## CHAPTER 3

EXERCISE 3.1

| Memory location | Contents |
| :---: | :---: |
| $:$ | $\vdots$ |
| $\vdots$ | $\vdots$ |
| 200 | E |
| 201 | D |
| 202 | L |
| 203 | H |
| $:$ | $\vdots$ |
| $:$ | $\vdots$ |

EXERCISE 3.2

## ENT

LD DE, 100
LD (35000), DE
LD HL, 400
LD (35002), HL
LD DE, (35000)
LD HL, (35002)
CALL 48118
RET
If you use the machine-code plot routine at 48106 , the program is instead:

## ENT

LD DE, 100
LD (35000), DE
LD HL, 400
LD (35002), HL
LD DE, 0
LD HL, 0
CALL 48106
LD DE, (35000)
LD HL, (35002)
CALL 48118
RET

## EXERCISE 3.3

## ENT

LD DE, 200
LD HL, 300
CALL 48118
LD DE,400
LD HL, 200
CALL 48118
LD DE, 0
LD HL, 0
CALL 48118
RET
Note: There is no real need, apart from illustration, to load the coordinates into memory. This program is quicker than a program which stores the coordinates in memory then reads them out again.

```
    ENT
    LD BC,35000
    LD A,65
    LD E,3
NXT: LD (BC),A
    INC BC
    DEC E
    JR NZ,NXT:
    LD E,3
    LD BC,35000
PUT: LD A,(BC)
    INC BC
    CALL 47962
    DEC E
    JR NZ,PUT:
    RET
```

EXERCISE 3.5

## ENT

LD BC, 35000
LD A,65
LD E, 26
26 loops required
NXT: LD (BC),A
INC BC
INC A Next ASCII letter
DEC E
JR NZ, NXT:
LD BC, 35000
LD E, 26
26 loops required
PUT: LD A, (BC)
INC BC
CALL 47962
DEC E
JR NZ,PUT: RET

EXERCISE 3.6

$$
\begin{aligned}
& \text { ENT } \\
& \text { LD IX, } 35000 \\
& \text { LD A, } 83 \\
& \text { LD (IX+0), A } \\
& \text { LD (IX+2),A } \\
& \text { INC A } \\
& \text { INC A } \\
& \text { LD (IX+1), A } \\
& \text { LD A,65 } \\
& \text { LD (IX+3), A } \\
& \text { LD A,78 } \\
& \text { LD (IX+4), A } \\
& \text { LD A, (IX+2) } \\
& \text { CALL 47962 } \\
& \text { LD A, (IX+3) } \\
& \text { CALL } 47962 \\
& \text { RET }
\end{aligned}
$$

## CHAPTER 4

EXERCISE 4.1

```
ENT
LD A,200
ADD A,48
CALL 47962
RET
```

This puts a little man on the screen.

EXERCISE 4.2

$$
\begin{aligned}
& \text { ENT } \\
& \text { LD A, \& } 41 \\
& \text { ADD A,\&10 } \\
& \text { CALL \&BB5A } \\
& \text { RET }
\end{aligned}
$$

This places a ' $Q$ ' on the screen.

EXERCISE 4.3
ENT
LD C, \&FA LSB of 250
LD 4,\&58 LSB of 600
AND A
ADD A,C
4DD A,65
LD (\&7000), A
LD C,\&00 VSB of 250
LD $\mathrm{A}, \& 2$
MSB of 600
ADC A,C
4DD 4,65
LD ( \& 7001), A
LD A,(\&7000)
CALL \& BB5A
LD A,(\&7001)
CALL \& BB5A
RET
This produces a shape like a robot's gripping arm.

EXERCISE 4.4
ENT
LD C, 9
LD A, 233
SUB C
CALL \& BB5A
RET
It is not necessary to subtract 65 from the answer because CHR (224) is a printable character (a smiling face).

EXERCISE 4.5
ENT
LD A, 126
ADD A,97
LD C, 153
SUB C
CALL \& BB5A
RET
This puts ' $F$ ' on the screen.

## EXERCISE 4.6

ENT
LD DE, 4008
LD HL, 4248
AND A
SBC HL,DE
LD A,L
CALL \& BB5A
RET
This puts an up-arrow on the screen.

## EXERCISE 4.7

ENT
LD HL, 35000
LD A,10
LD (HL),A
INC HL
LD A, 20
LD (HL),A
LD A, 65
ADD A,(HL)
LD (HL), A
DEC HL
LD A, 65
ADD A,(HL)
LD (HL),A
CALL \& BB5 4
INC HL
LD A, (HL)
CALL \& BB5A
RET
This puts ' $K U$ ' on the screen.

## EXERCISE 4.8

ENT
LD DE, 100
LD HL, 50
CALL 48118
LD D,0
LD E, 100
LD A,75
ADD A,E
LD E,A
LD H,0
LD L, 50
LD A, 75
ADD A,L
LD L, A
CALL 48118
RET

## CHAPTER 5

## EXERCISE 5.1

LD A, \& 7
ADD $4, \& C$
DAA
ADD A, 65
CALL \&BB5A
RET
'This will put a Z ' on the screen.

## EXERCISE 5.2

LD C,\&12
LD A,\&35
SUB C
DAA
ADD A,65
CALL \&BB5A
RET
This will put a 'd' on the screen.

## EXERCISE 5.3

1. $\mathrm{C}=0$
2. $\mathrm{C}=1$
3. $\mathrm{C}=0$

EXERCISE 5.4
The required mask would be 00000011 .

EXERCISE 5.5
253 AND $75=73$ (1001001)

EXERCISE 5.6

1. 1001 OR $1101=1101$
2. 250 OR $25=251$
3. (209 OR 20) AND $27=17$

## EXERCISE 5.7

1. 1101 XOR $1110100=127$

LD C, 11
LD A, 116
XOR C
CALL \&BB5A
RET
This prints a chessboard on the screen.
2. $\quad 77$ XOR $200=133$

LD C, 77
LD A, 200
XOR C
CALL \&BB5A
RET
This prints a vertical bar on the screen.
3. (25 OR 255) AND $200=200$

LD C, 25
LD A, 200
OR C
LD C, 200
AND C
CALL \&BB5A
RET
This prints two diagonal lines on the screen.

## EXERCISE 5.8

1. 0100
2. 0100010
3. 0001

## EXERCISE 5.9

1. 1010
$=10$
$\underline{1101}$
$=\frac{-3}{7}$
2. 1111
$=-1$
0111
$=\frac{7}{6}$
3. 0110
$=-10$
1000
$\underline{1110}$

$$
=\frac{8}{-2}
$$

EXERCISE 5.10
LD A, 20
CPL
INC A
ADD A,98
CALL \&BB5A
RET
This prints an ' N ' on the screen.

## CHAPTER 6

EXERCISE 6.1
The solution is the same as Program 6.1 except for these lines:
LD C, 10
LD E, 9
The program should put character 155 on the screen, i.e. an upside-down short-tailed T.

## Exercise 6.2

LD C, 124
LD E, 146
LD D,0
LD B, 8
LD HL, 0
NXTB: SRL C
JR NC,NOADD:
ADD HL,DE
NOADD: SLA E
RL D
DEC B
JR NZ, NXTB:
LD A,H
CALL \&BB5A
LD A,L
CALL \&BB5A
RET
This gives $\boldsymbol{\pi}$.

## EXERCISE 6.3

The easy way to do this is to delete DEC $B$ and replace the line JR NZ, NXTB: with:-

DJNZ NXTB:

EXERCISE 6.4

1. LD A,5

RLCA
RLCA
RLCA
RLCA
RLCA
CALL \& BB5A
RET
This prints an up arrow head on the screen; the ASCII for 160.
2. LD A,254

RRCA
CALL \&BB5A
RET
This prints CHR (127); a chessboard, on the screen.

EXERCISE 6.5
LD A, 255
CALL \&BB5A
RES 4,A
CALL \& BB5A
SET 4, A
RES 3,A
CALL \& BB5A
RET
This prints a double headed arrow, a rocket and a pyramid on its side, on the screen.

## CHAPTER 7

## EXERCISE 7.1

## ENT

LD DE, 0
LD HL, 0
CALL \& BBC 0
LD DE, 100
LD HL, 200
PUSH DE
PUSH HL
CALL \&BBF 6
LD DE,0
LD HL, 0
CALL \&BBCO
POP DE
POP HL
CALL \& BBF 6
Set graphies cursor to $(0,0)$
Load DE with 100
Load HL with 200
Save DE on stack
Save HL on stack
Draw line to $(100,200)$
Set cursor to $(0,0)$
Put old contents of HL in DE
Put old contents of DE in HL
Draw line to $(200,100)$
RET

EXERCISE 7.2

```
ENT
LD A,43
- PUSH AF
CALL &BB5A
LD (&7148),SP
LD HL,&7148
LD SP,HL
LD A,61
PUSH AF
CALL &BB5A
LD HL,(&714A)
LD SP,HL
POP AF
PUSH AF
CAIL &BB5A
LD HL,&7146 Because A and F are in the new stack
LD SP,HL
POP AF
CALL &RB5A
LD HI,(&714A)
LD SP,HL
POP AF
CAIL &BB5A
RET
```


## CHAPTER 8

EXERCISE 8.1
$\begin{array}{ll} & \text { LD HL, \&B100 } \\ & \text { LD DE,\&C000 } \\ & \text { LD BC,\&3FFF } \\ \text { LOOP: } & \text { LDI } \\ & \text { JP PO,FINISH: } \\ \text { JP LOOP: } \\ \text { FINISH: } & \text { RET }\end{array}$

## APPENDIX 5

EXERCISE A5.1
i) 3
ii) 4
i i i) 128
iv) 131
v) 183
vi) 115

EXERCISE A5.2
i) 31
ii) 41
i i i) 189
iv) 136

EXERCISE A 5.3
i) 9
ii) 19
iii) 165
iv) 174
v) 14
vi) 26
vii) 234

EXERCISE A5.4
i) 00000100
ii) 00010000
v) 01010011
vi) Too big for two byte BCD representation
iii) 01110111 vii) Too big for two byte BCD representation
iv) 10010111
viii) Too big for two byte BCD representation

EXERCISE A5.5
i) 1
v) 49
vi) 23
ii) 9
vii) 97
iv) 15
viii) 88
$\square \square \square \square \square \mathbb{N D E X D \square \square \square}$

## A

Accumulator 1-2
ADC A,s 4-5
ADC HL,ss 4-11
ADD A,n 1-2, 4-1
ADD A,s 4-5
ADD HL,ss 4-11
ADD IX,pp 4-11, 7-7
ADD IY,pp 4-11, 7-7
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## B

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## C

CALL 1-2, 1-3, 2-15, 7-1
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Carry Bit 4-4
Carry Flag $4-5,4-12,8-5$
CCF 4-12
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CPD 8-7
CPDR 8-7
CPL 5-11
CPI 8-6
CPIR 8-7
CPU Control Group A1-9

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[^0]:    AND A Logical $4 N D$ of the accumulator.

